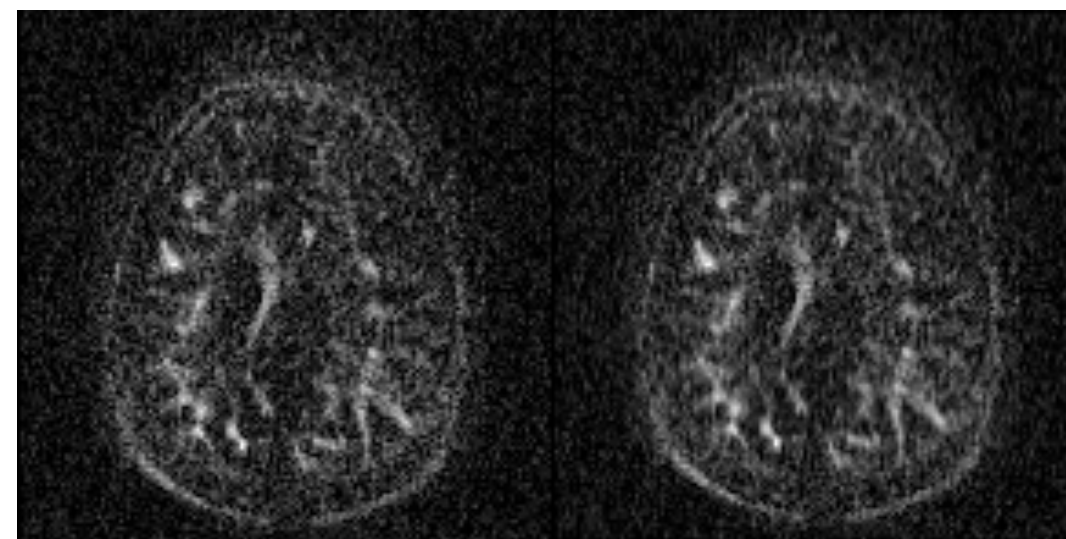
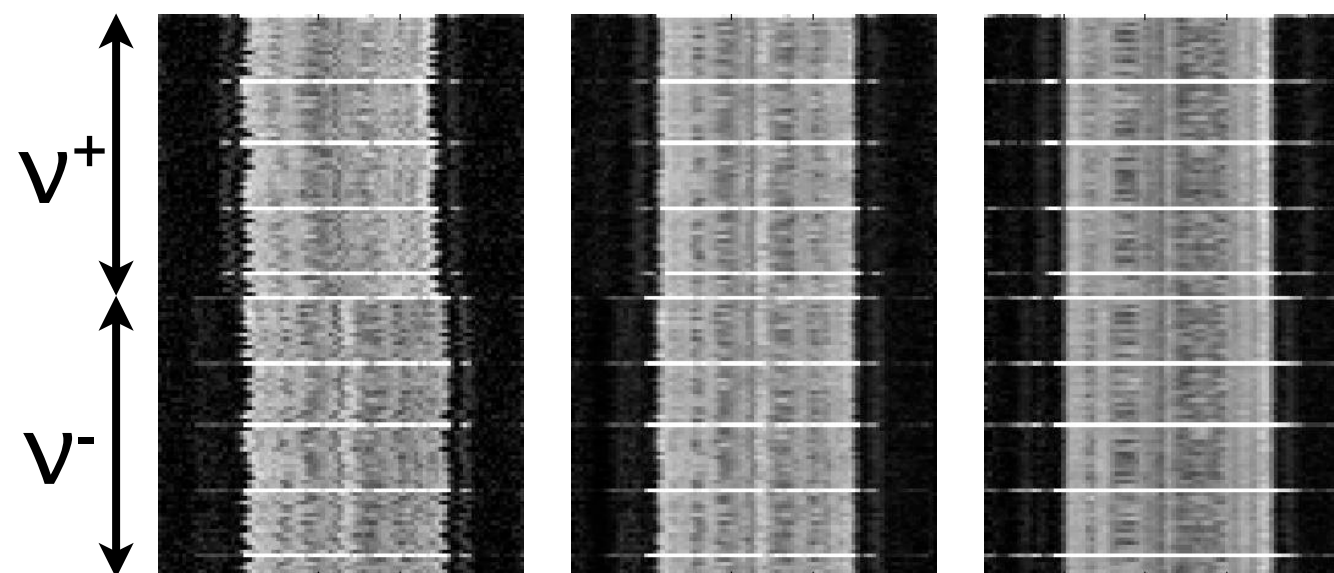
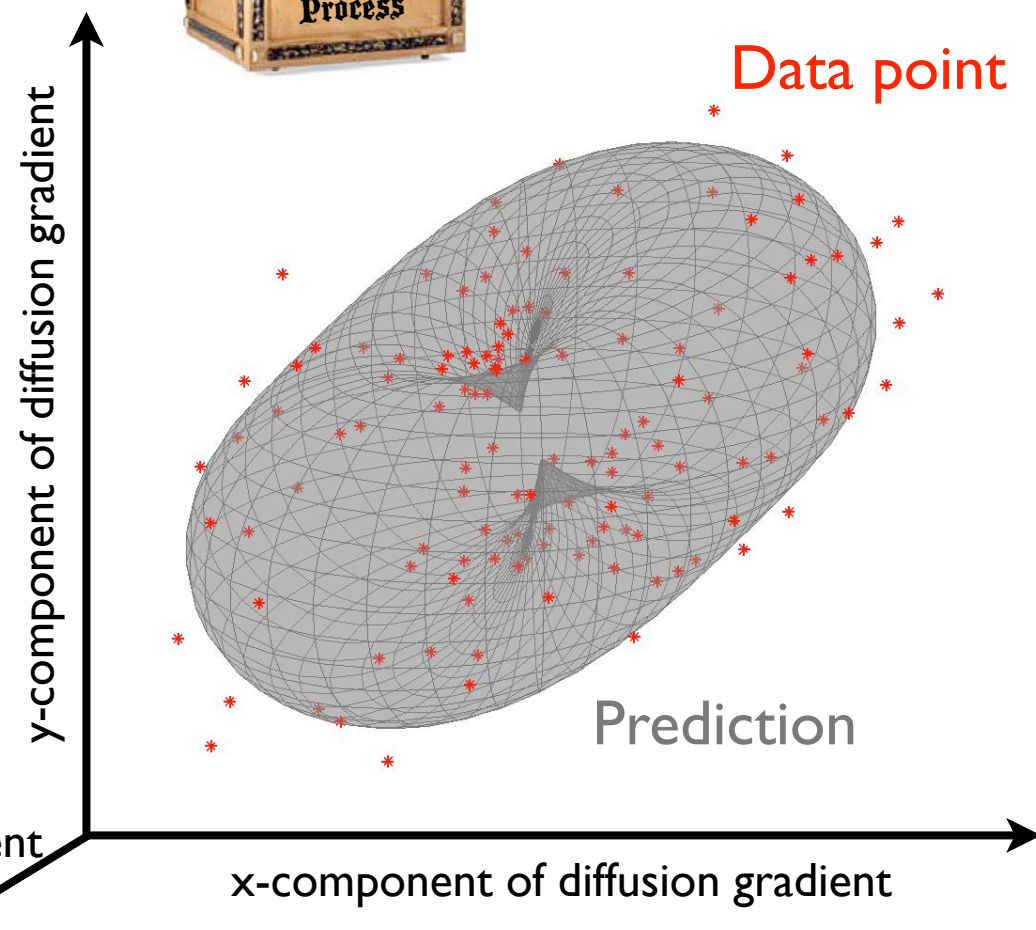




eddy - An FSL tool for diffusion pre-processing



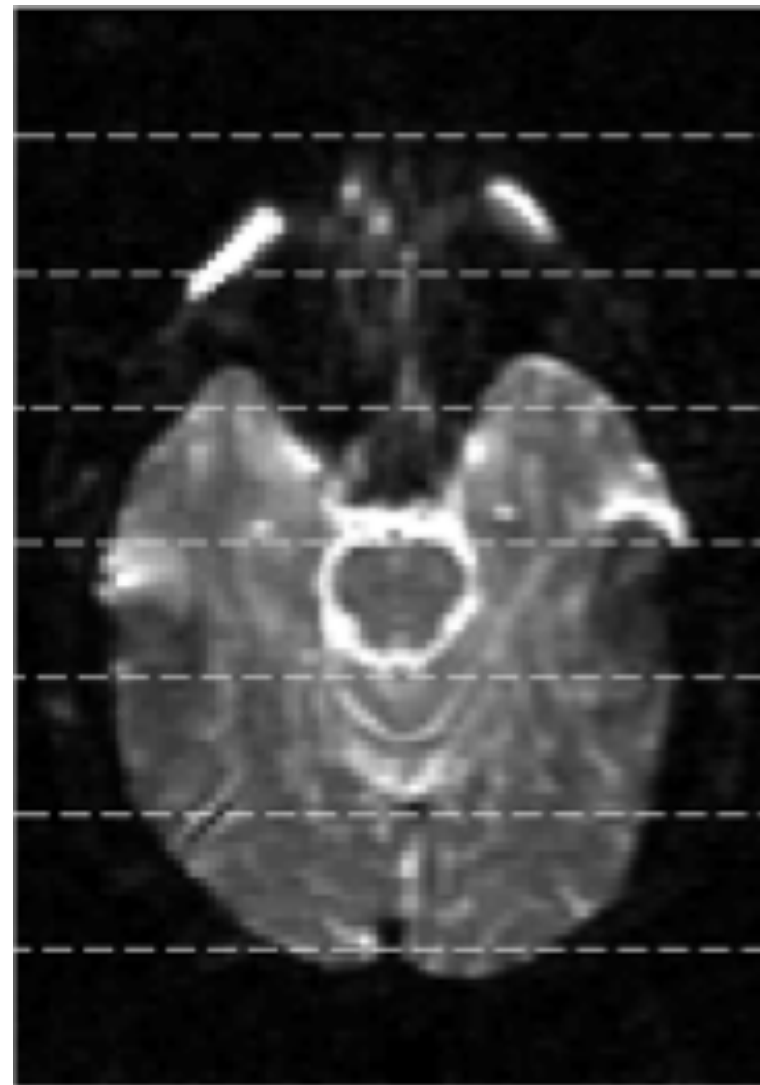
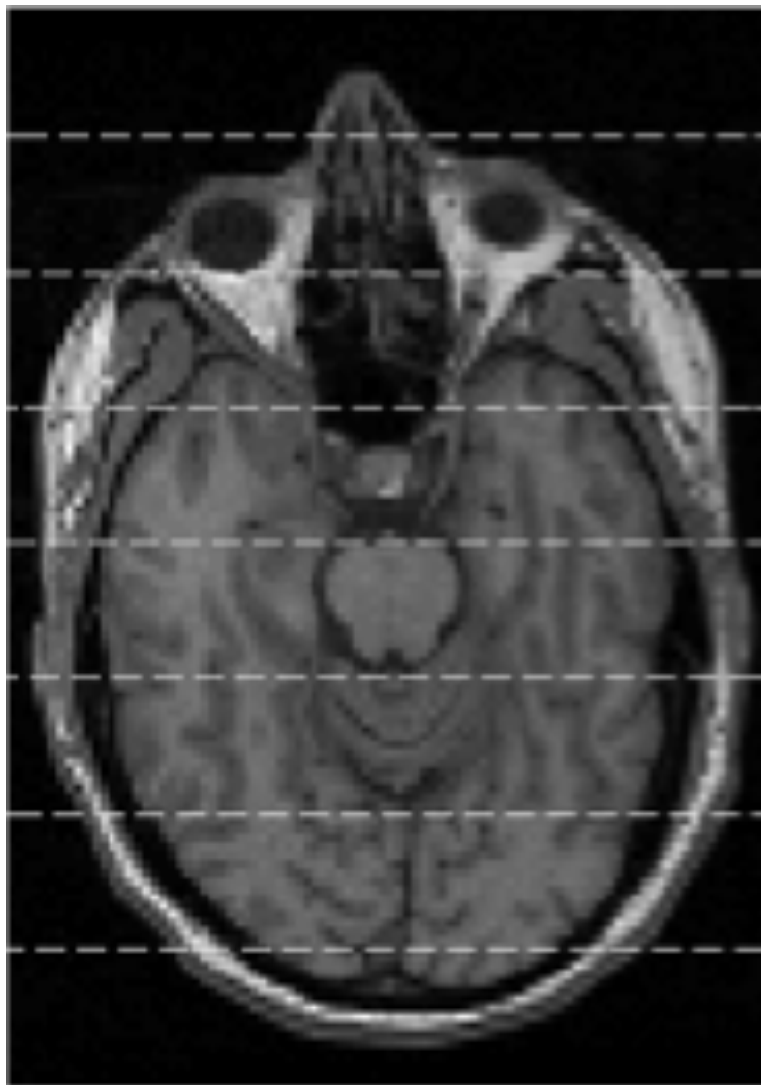


Outline of the talk

- What is the problem with diffusion data?
- Off-resonance field \Rightarrow Distortions
- How to fix, and mess up, data
- Where does the off-resonance field come from?
- Worlds shortest course on image registration
- How topup works
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- Under the hood of Zoltar
- Outlier detection
- Some results



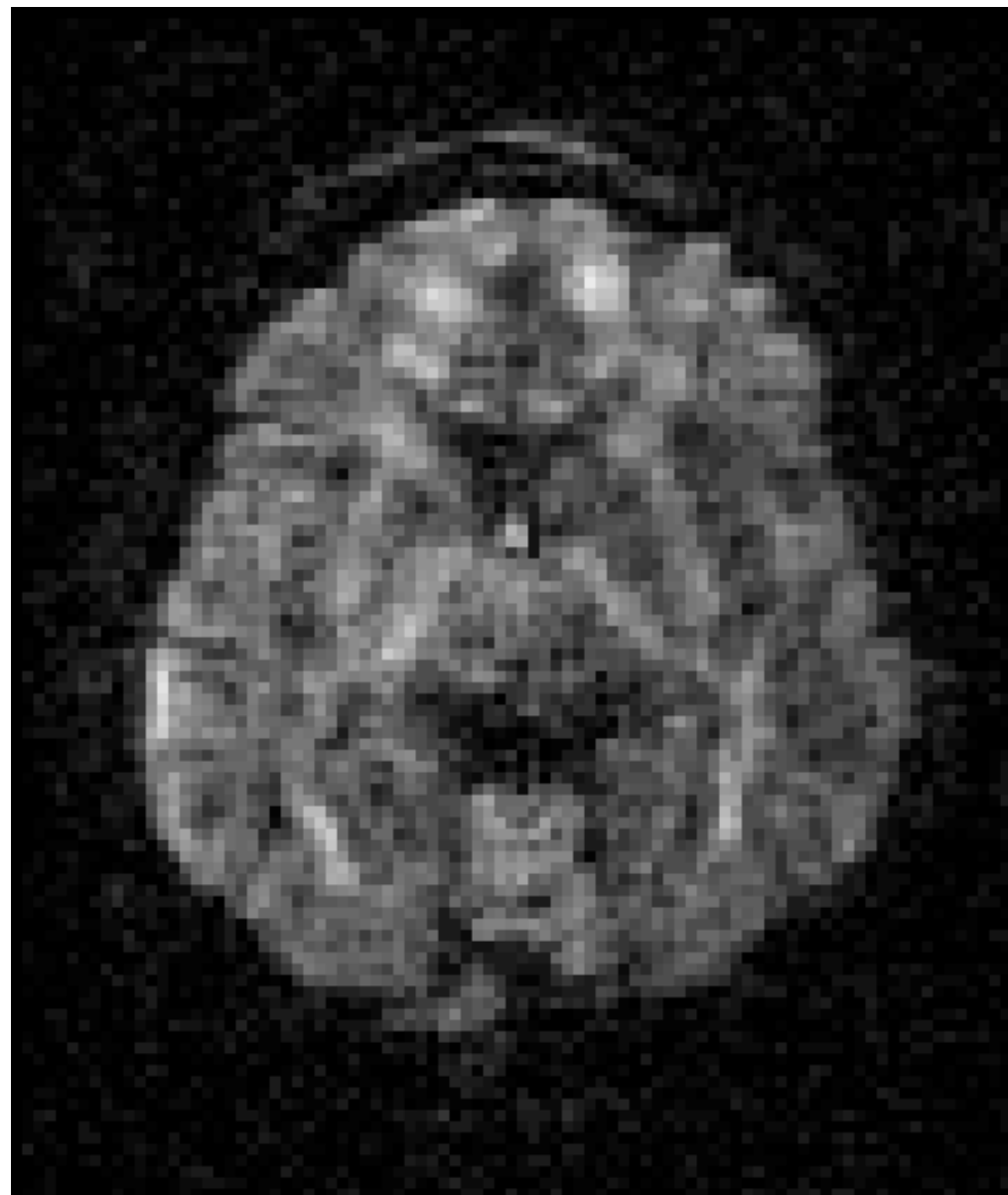
What is the problem with diffusion data?



Well, it isn't very anatomically faithful



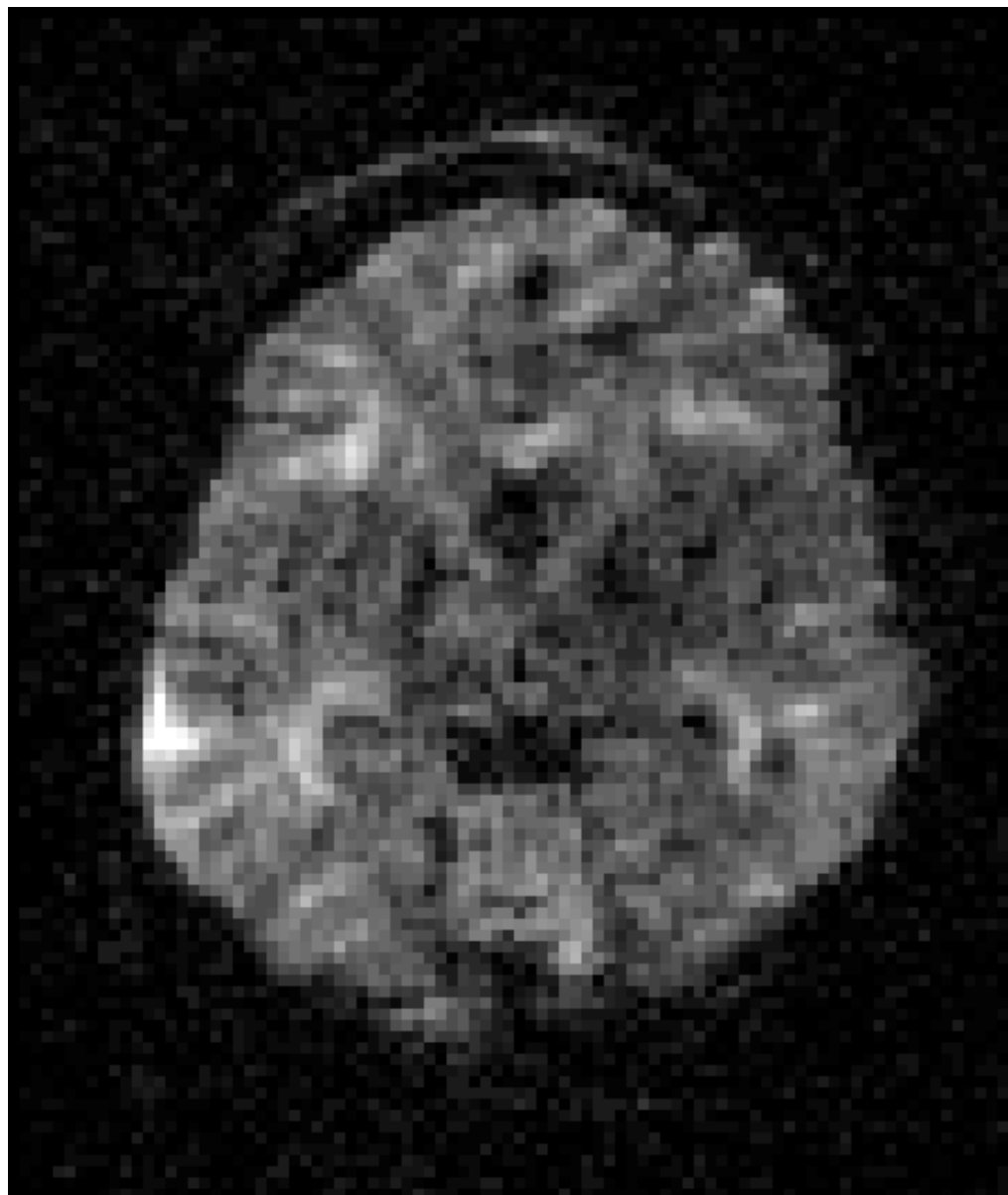
What is the problem with diffusion data?



In fact, it isn't even internally consistent



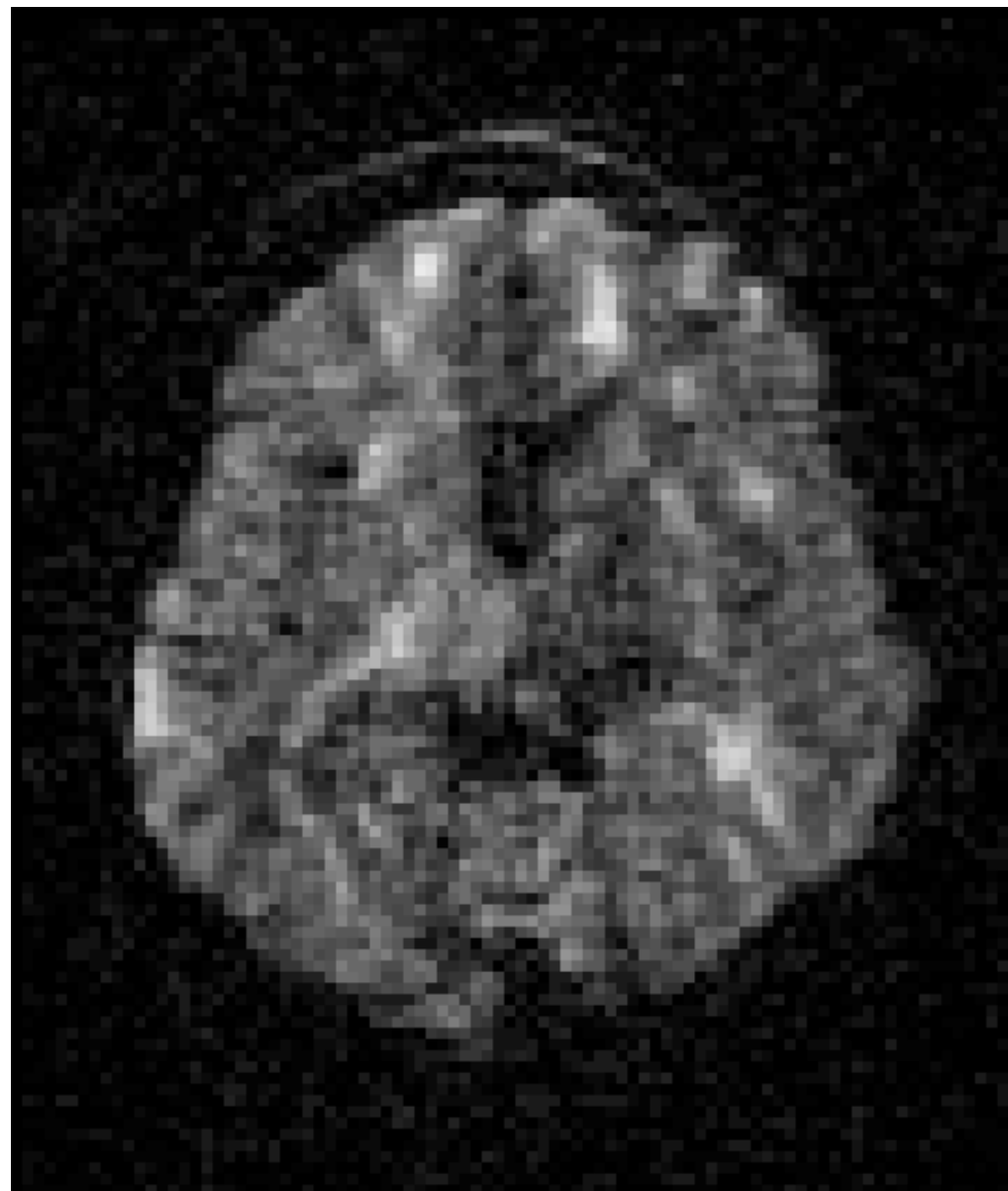
What is the problem with diffusion data?



In fact, it isn't even internally consistent



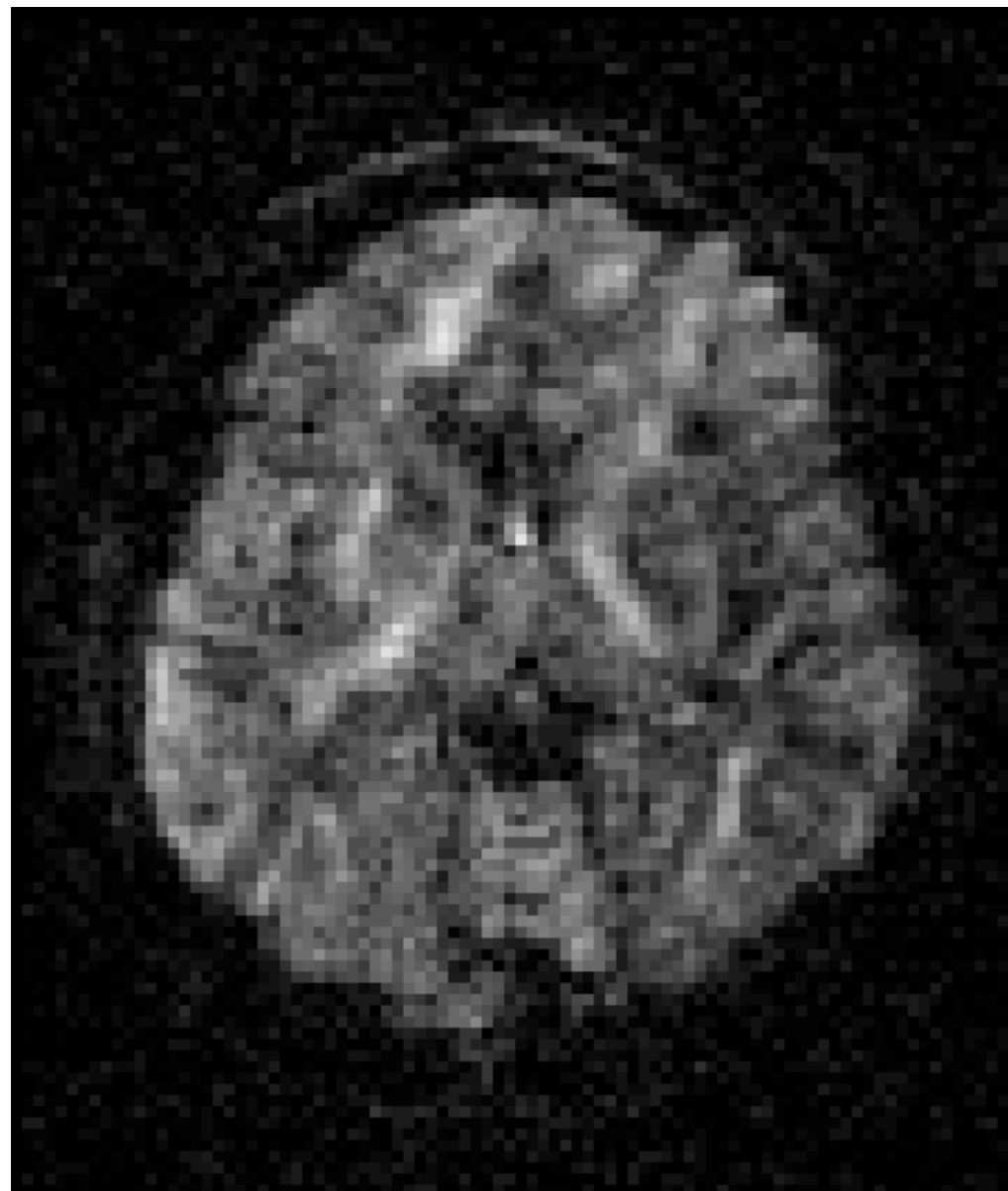
What is the problem with diffusion data?



In fact, it isn't even internally consistent



What is the problem with diffusion data?



In fact, it isn't even internally consistent



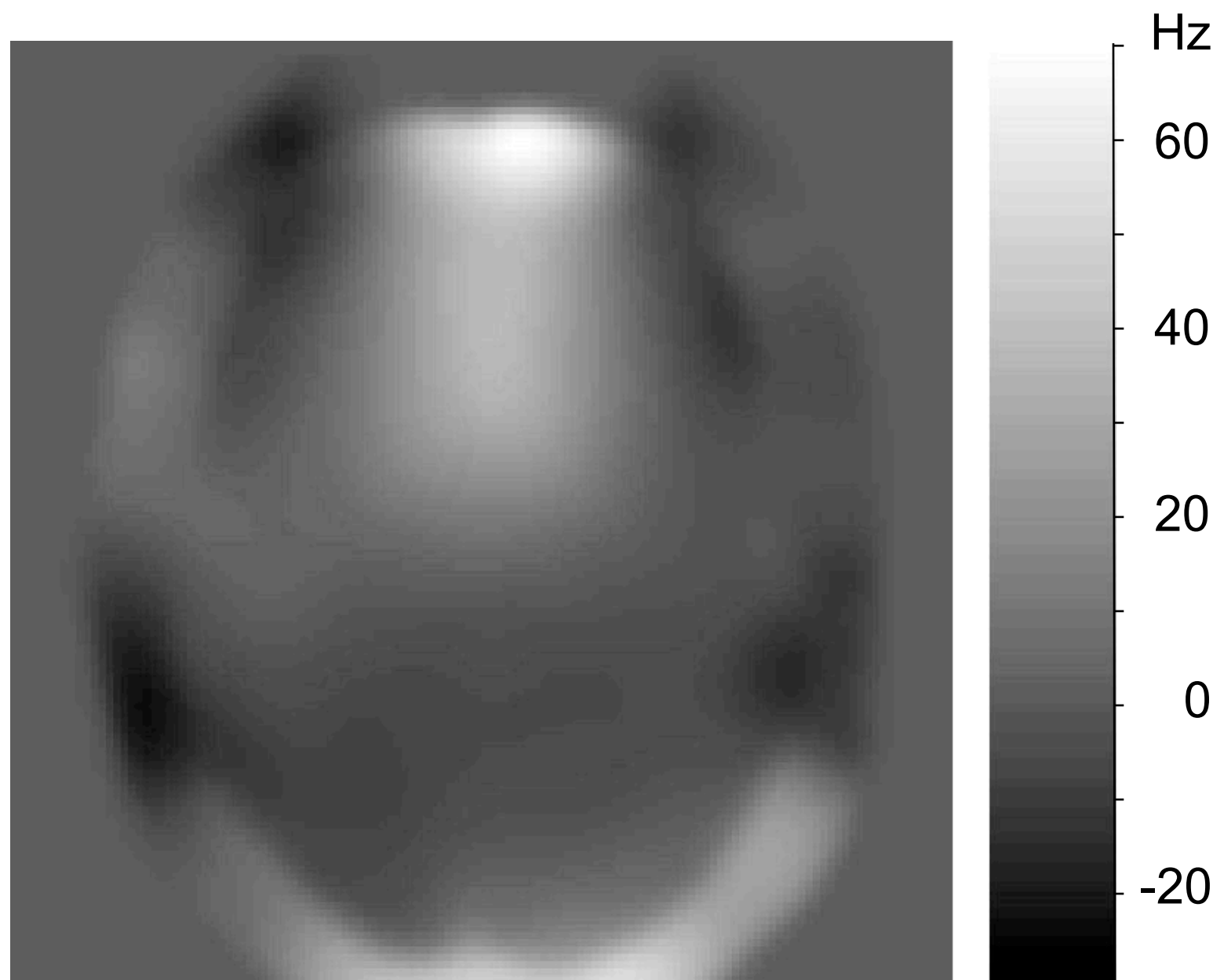
Outline of the talk

- What is the problem with diffusion data?
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Off-resonance field \Rightarrow Distortions

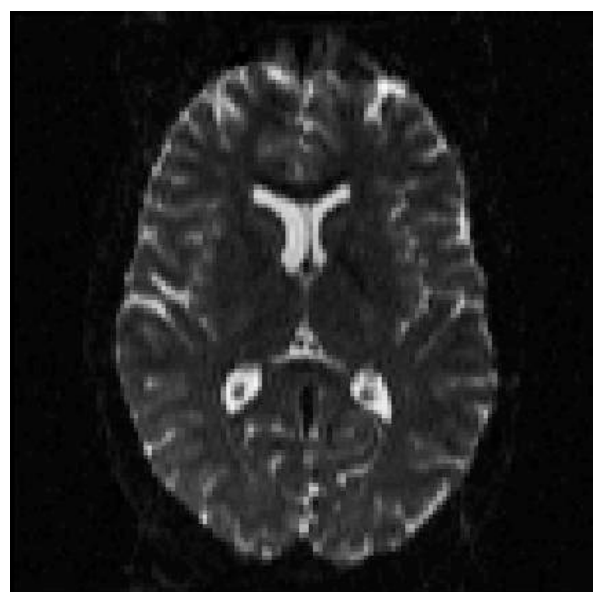
An “off-resonance” field is a map of the difference between what we think the field is and what it really is.



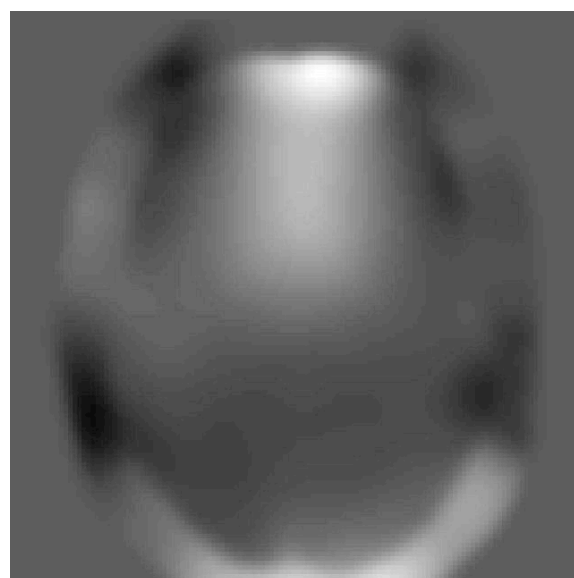
It is all caused by an “off-resonance” field



Off-resonance field \Rightarrow Distortions



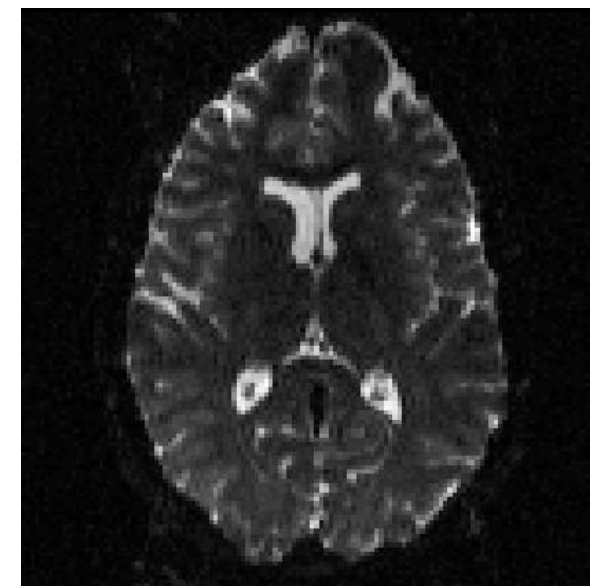
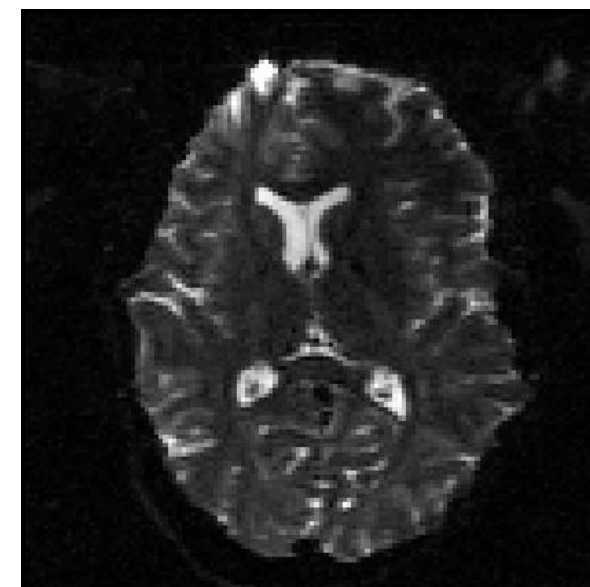
But this object



scanned in
this field

or this

Can yield this

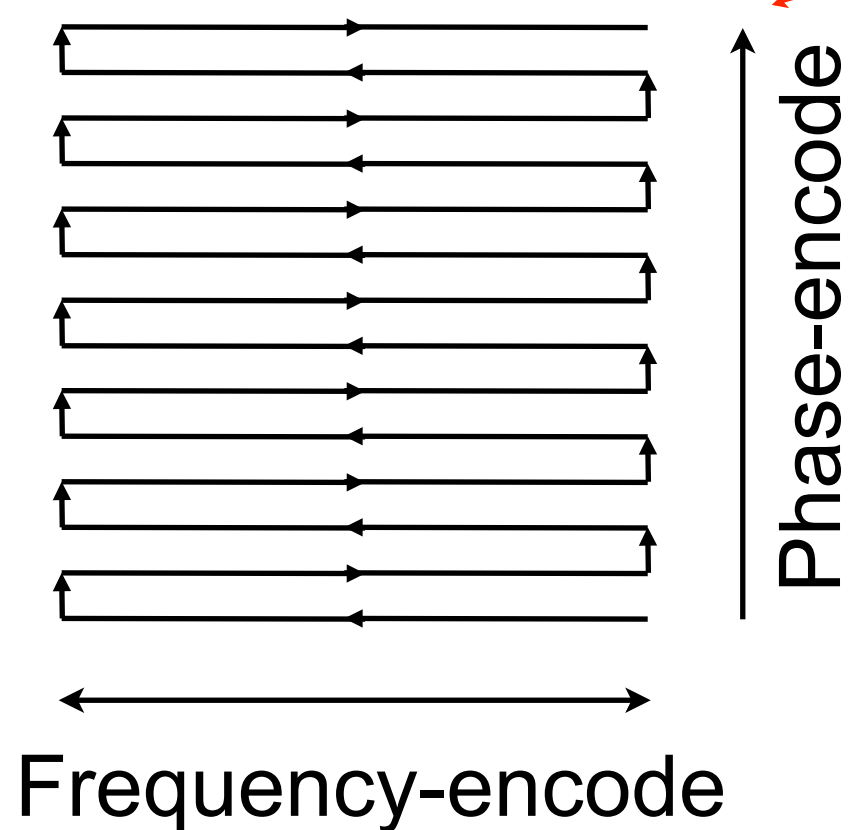


So there is clearly more to this story...



Off-resonance field \Rightarrow Distortions

But first, what does this mean?

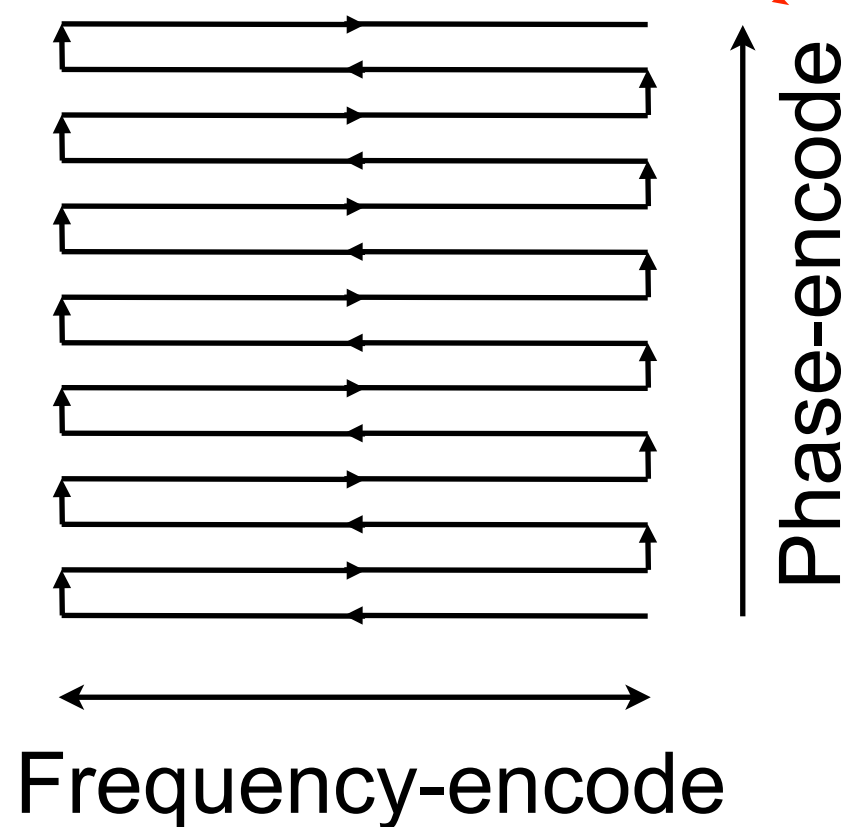
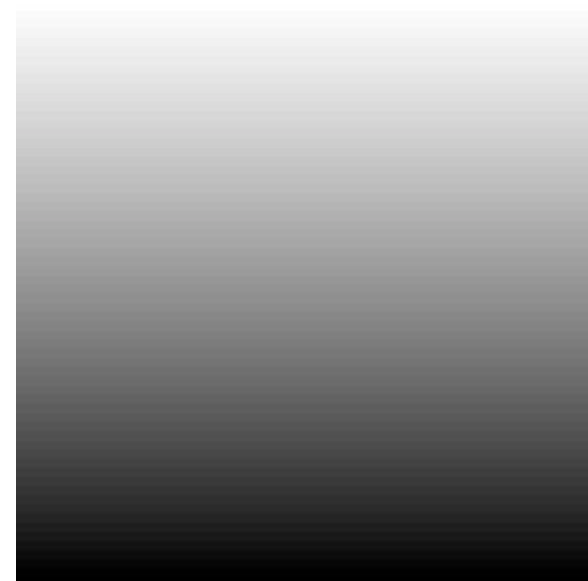


In echo-planar imaging we traverse one direction fast and the other very slowly.



Off-resonance field \Rightarrow Distortions

But first, what does this mean?



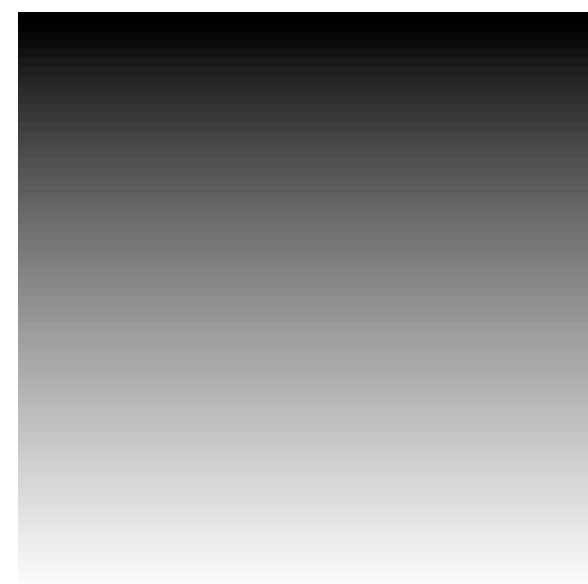
It means that for each PE-step we switch “this” on.

So when we “see” a high frequency, what do we infer?



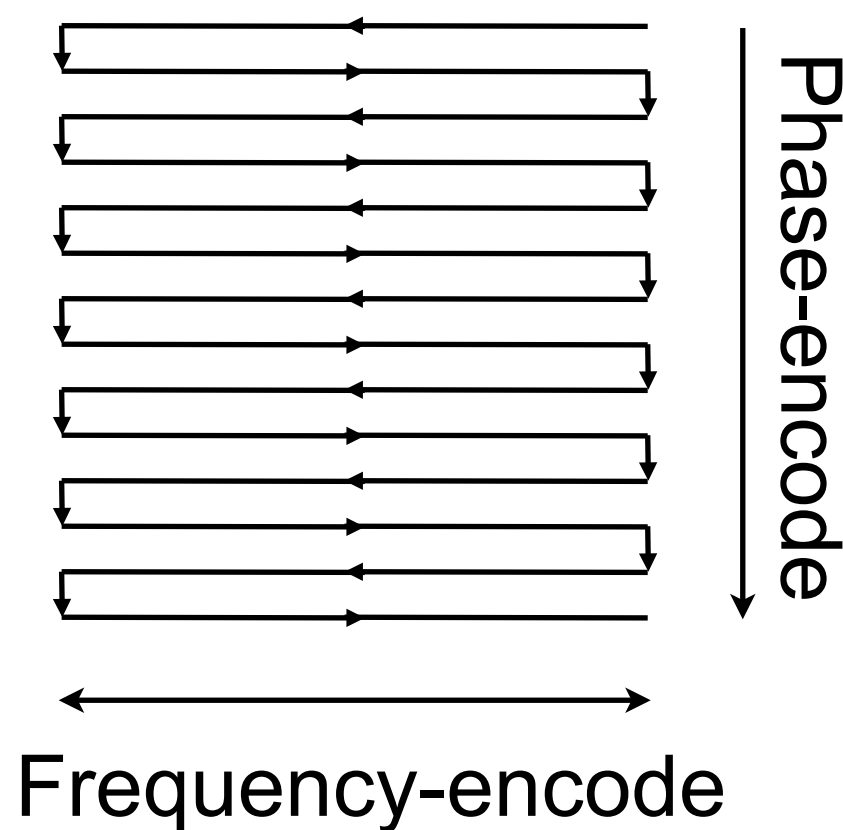
Off-resonance field \Rightarrow Distortions

Conversely we could



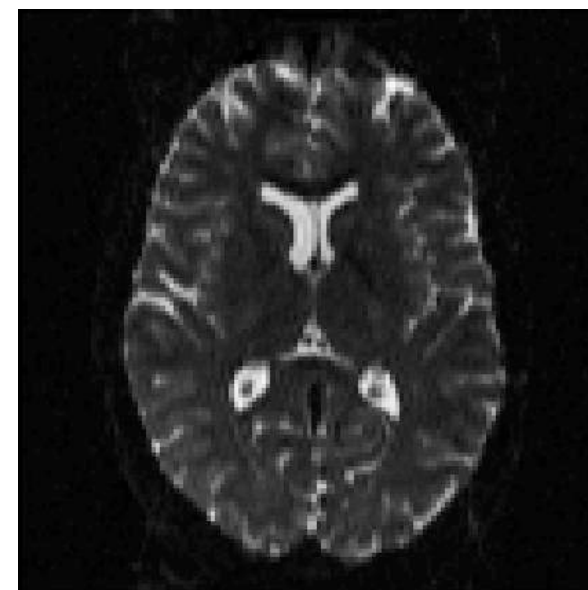
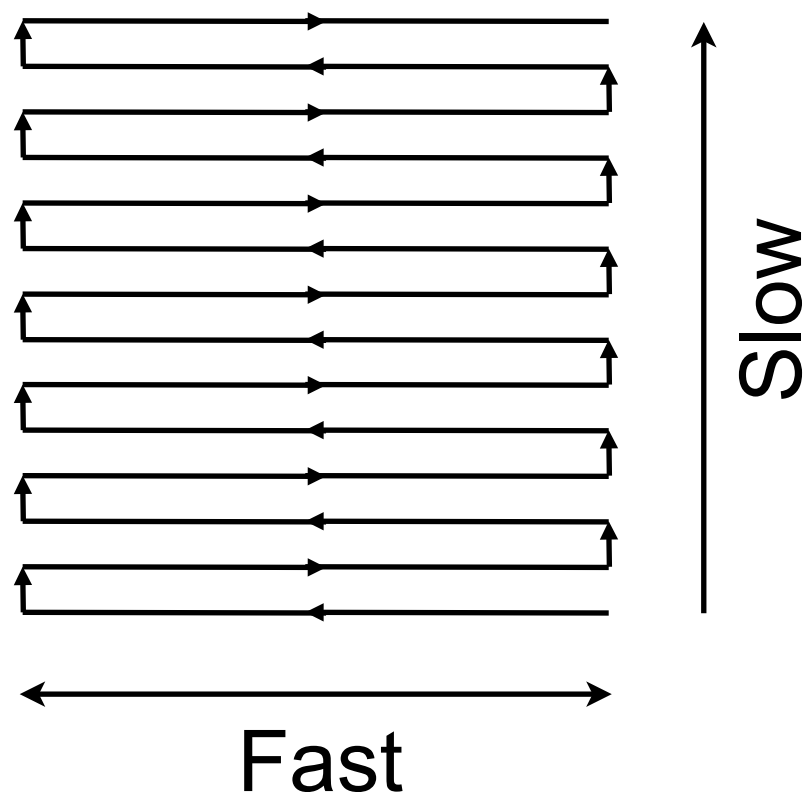
switch “this” on for each PE-step.

NOW, when we “see” a high frequency, what do we infer?





Off-resonance field \Rightarrow Distortions



BW/pixel $\sim 1000\text{Hz}$

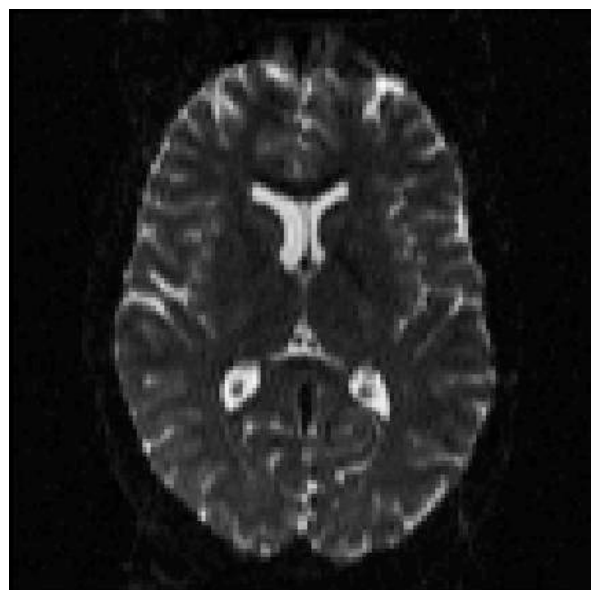
BW/pixel $\sim 10\text{Hz}$

A Band Width/pixel of 1000Hz means that in order to get the location wrong by one pixel we must get the frequency wrong by 1000Hz .

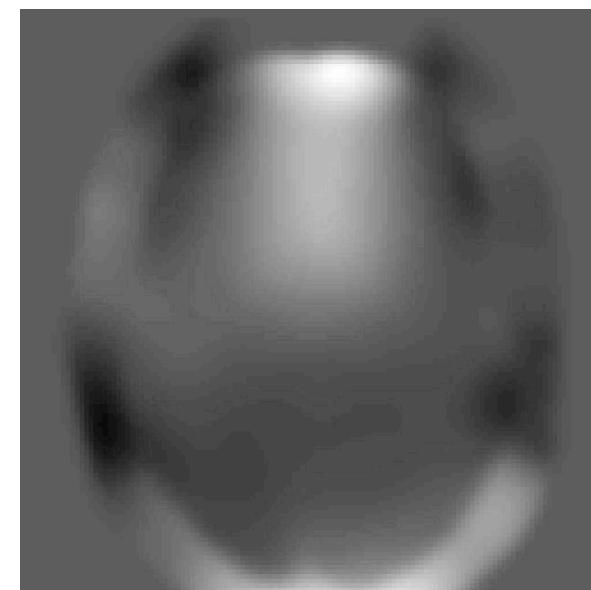
And a BW/pixel of 10Hz means that in order to get the location wrong by one pixel we must get the frequency wrong by 10Hz .



Off-resonance field \Rightarrow Distortions



BW/pixel \sim 10 Hz



Hz
60
40
20
0
-20

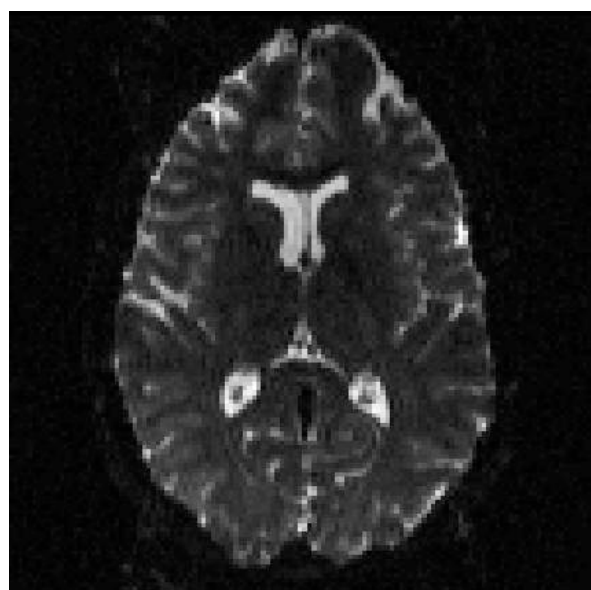
BW/pixel \sim 1000 Hz

So, let's relate this to the numbers in the off-resonance map.

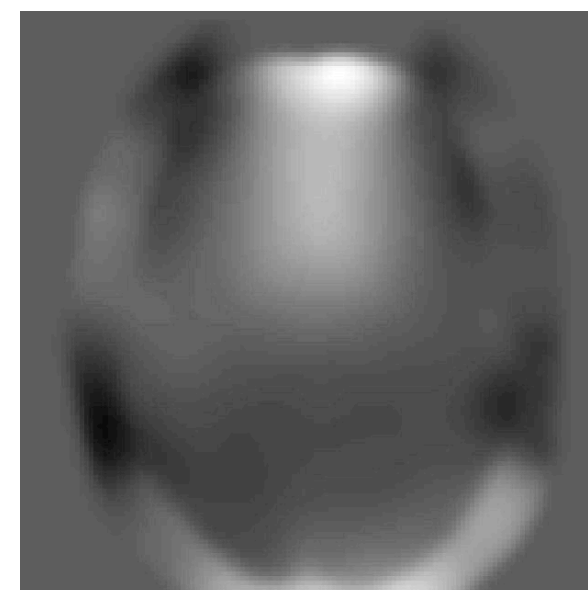
What do you think an image of this object will look like given this field and these imaging parameters?



Off-resonance field \Rightarrow Distortions



BW/pixel \sim 10Hz \uparrow



Hz
60
40
20
0
-20

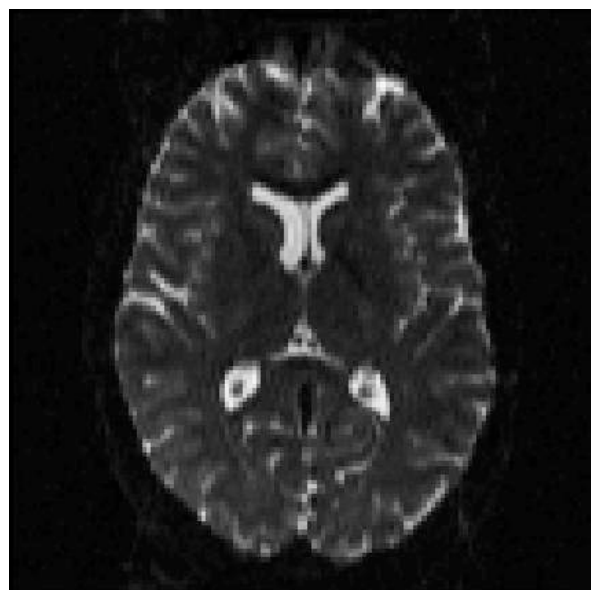
BW/pixel \sim 1000Hz

So, let's relate this to the numbers in the off-resonance map.

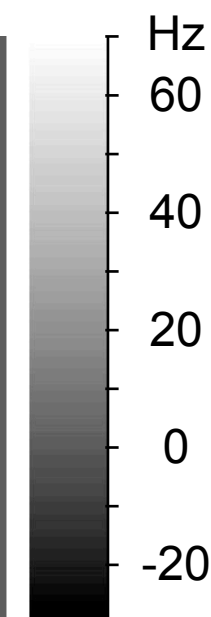
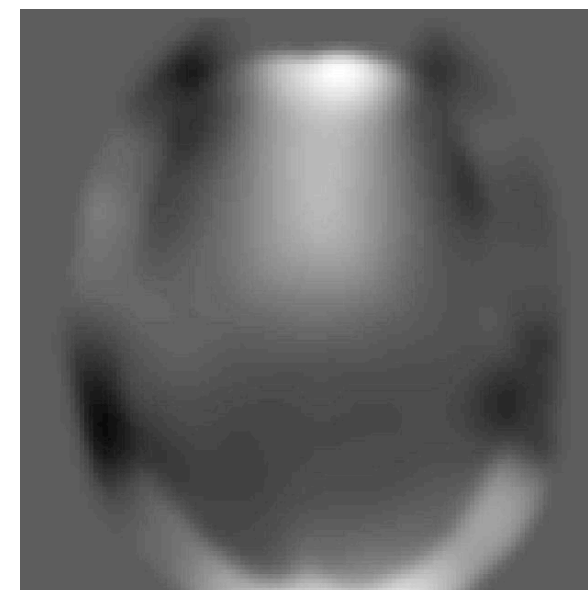
What do you think an image of this object will look like given this field and these imaging parameters?



Off-resonance field \Rightarrow Distortions



BW/pixel \sim 10Hz



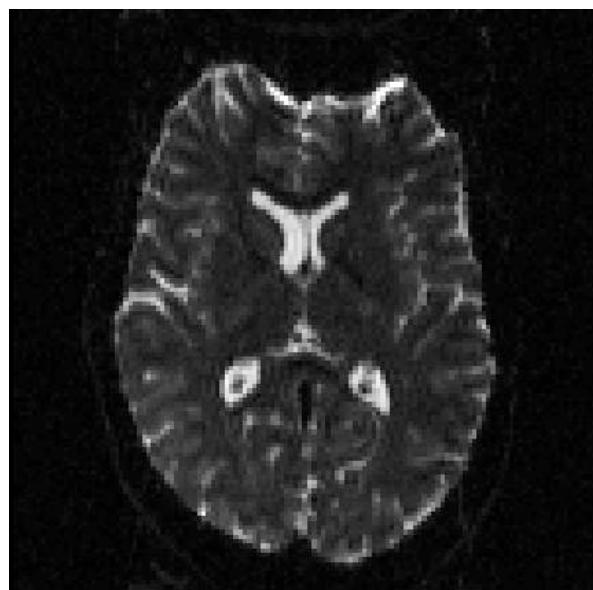
BW/pixel \sim 1000Hz

So, let's relate this to the numbers in the off-resonance map.

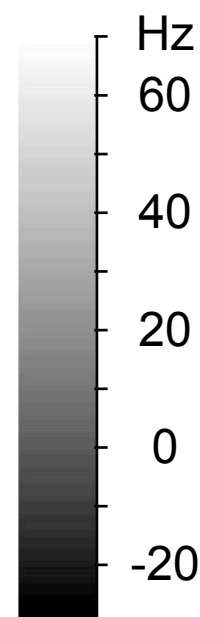
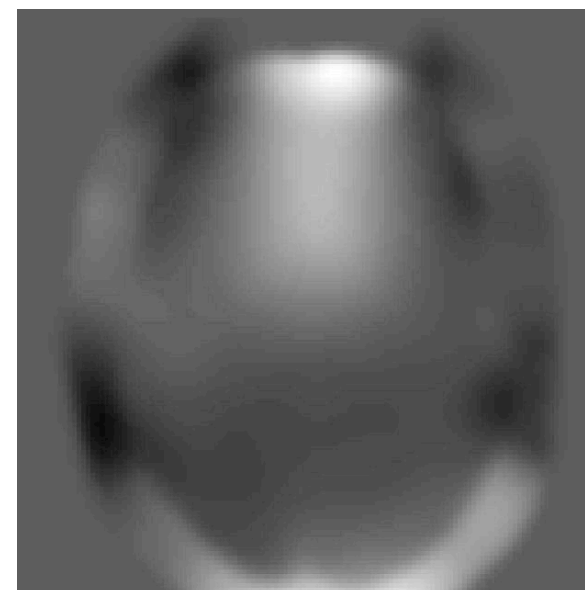
And what about this case?



Off-resonance field \Rightarrow Distortions



BW/pixel \sim 10Hz



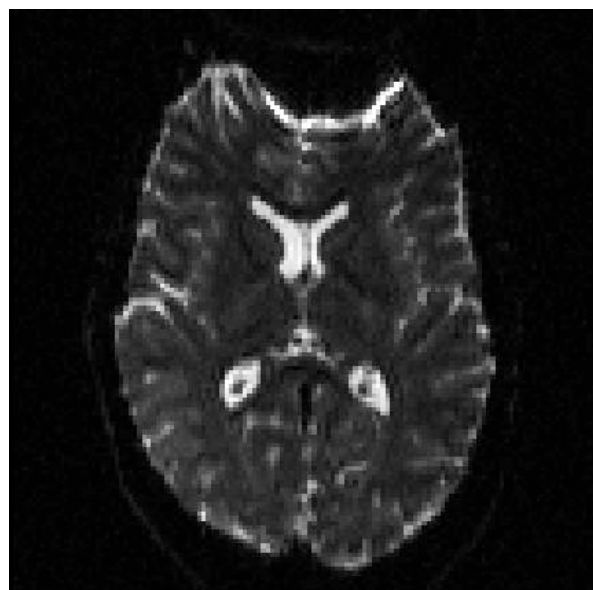
BW/pixel \sim 1000Hz

So, let's relate this to the numbers in the off-resonance map.

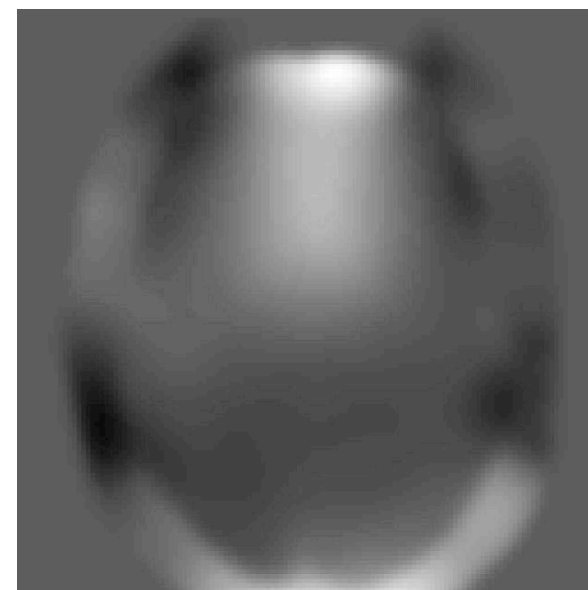
And what about this case?



Off-resonance field \Rightarrow Distortions



BW/pixel \sim 7 Hz



Hz
60
40
20
0
-20

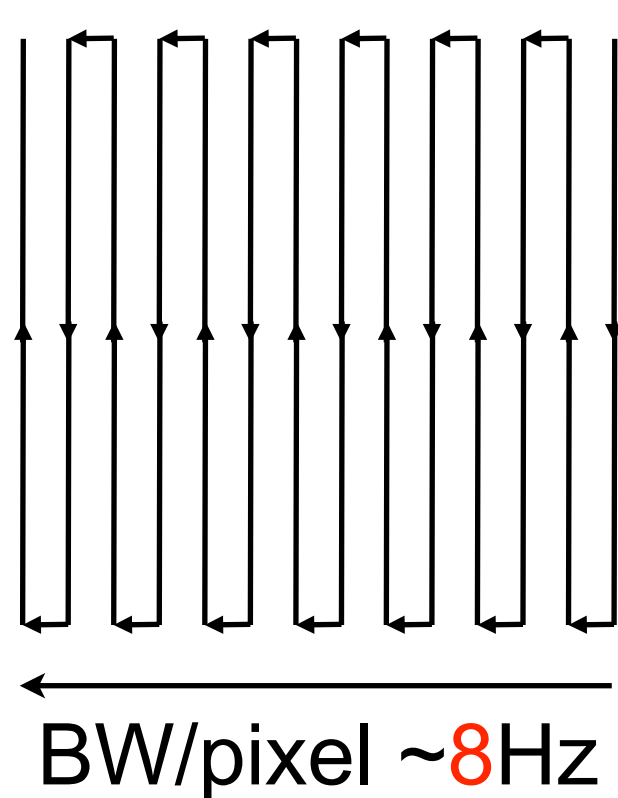
BW/pixel \sim 700 Hz

So, let's relate this to the numbers in the off-resonance map.

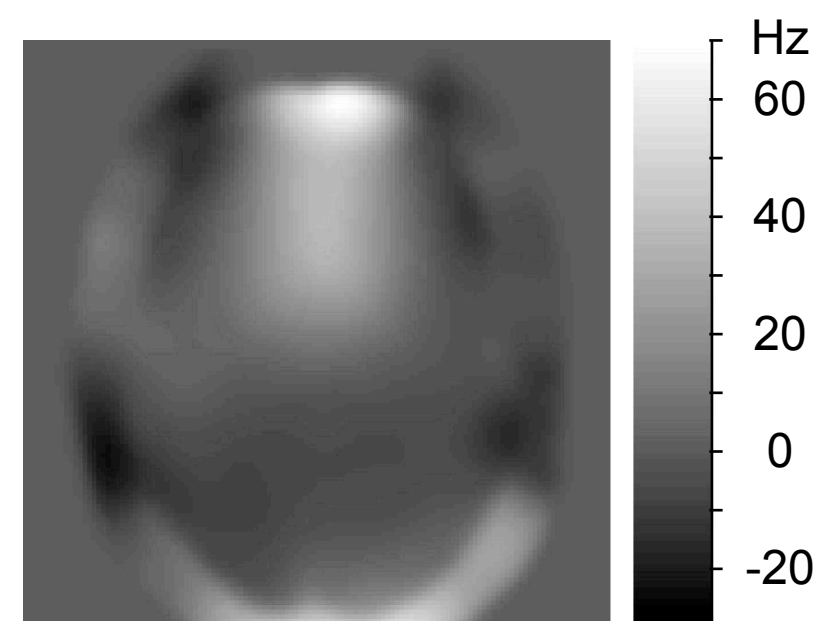
And if we change the BandWidth?



Off-resonance field \Rightarrow Distortions



BW/pixel $\sim 800\text{Hz}$

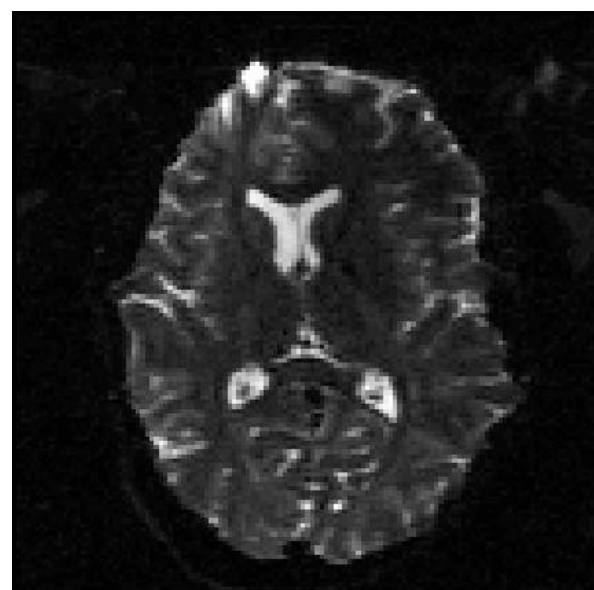


So, let's relate this to the numbers in the off-resonance map.

And if we change the direction of the phase-encoding?

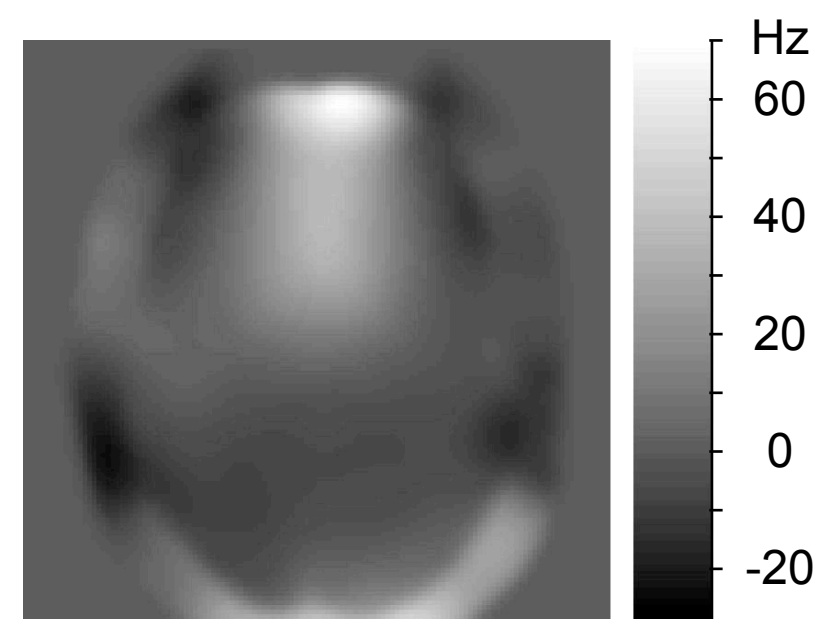


Off-resonance field \Rightarrow Distortions



← BW/pixel ~ 8 Hz

BW/pixel ~ 800 Hz

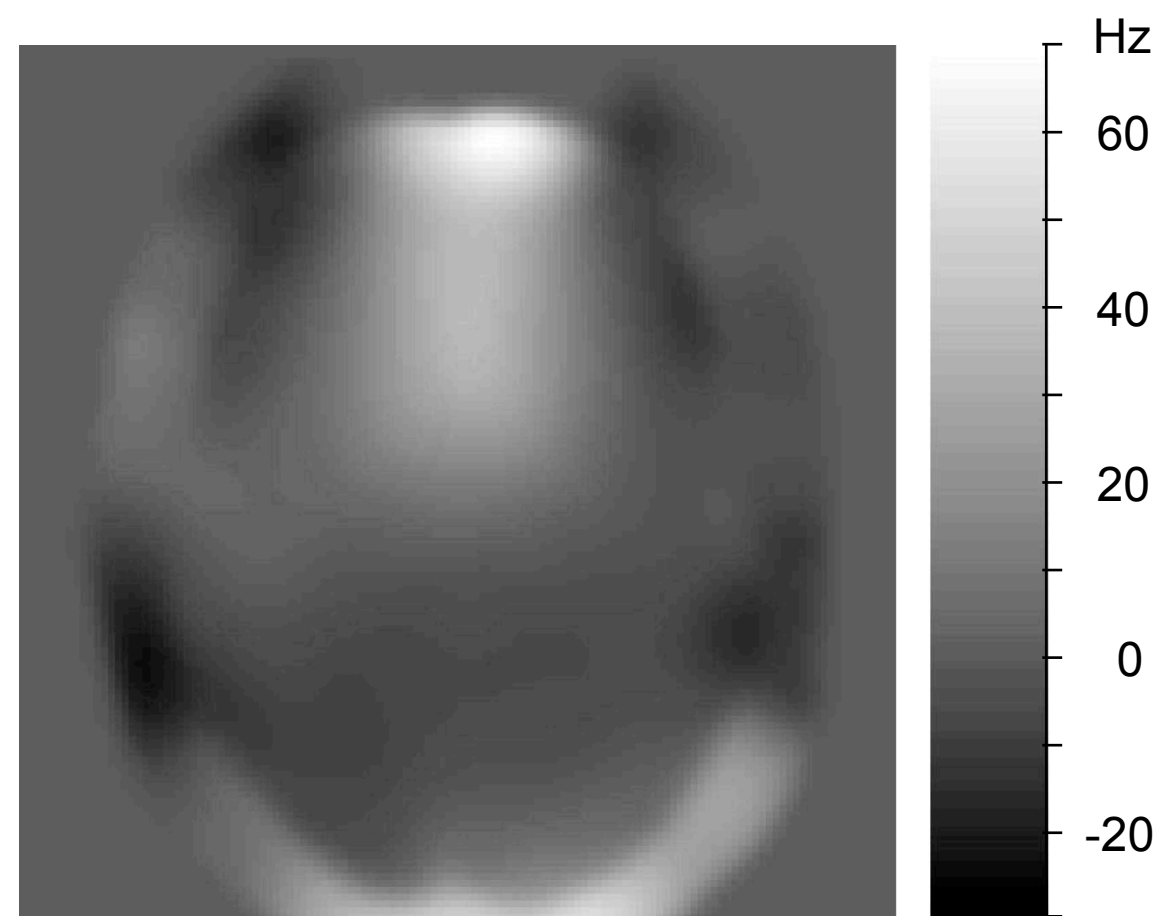


So, let's relate this to the numbers in the off-resonance map.

And if we change the direction of the phase-encoding?



Off-resonance field \Rightarrow Distortions

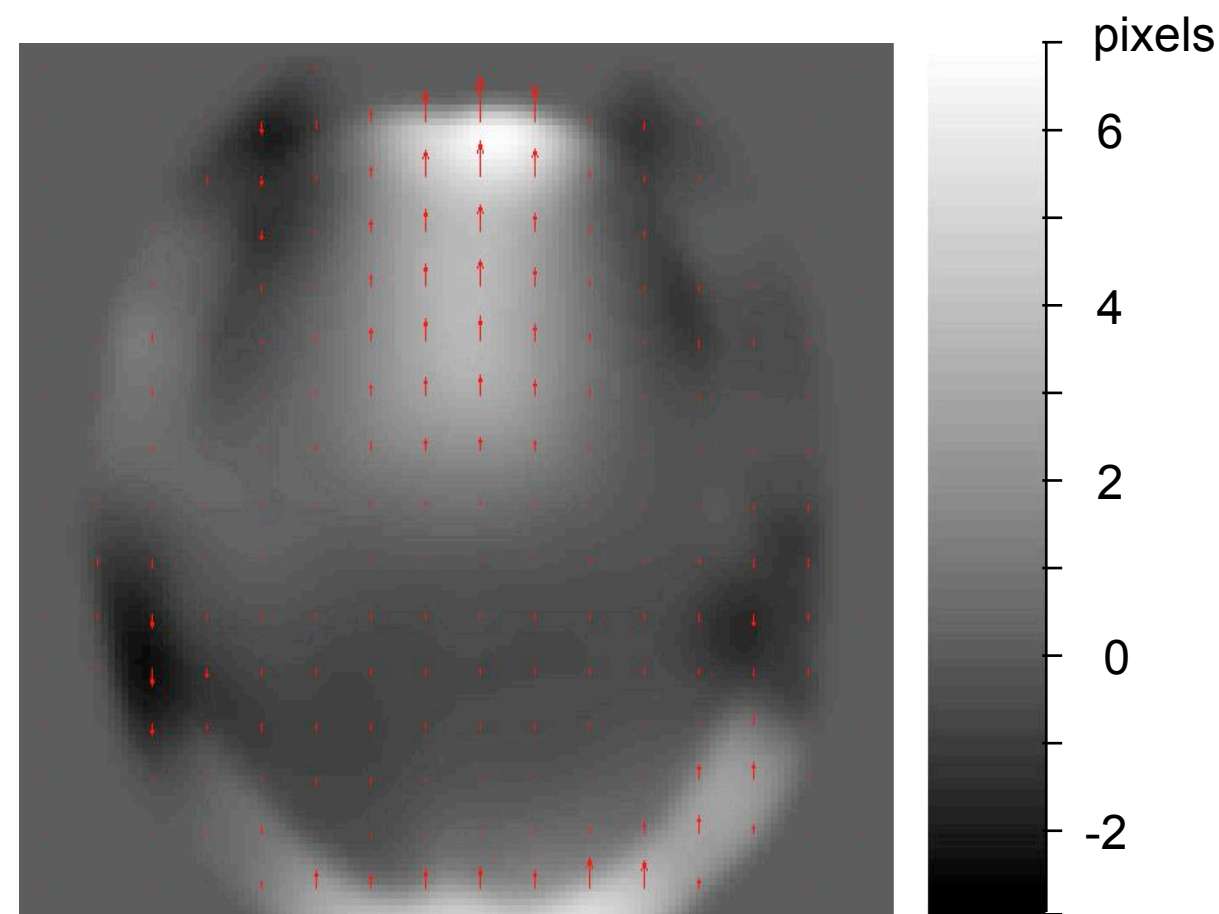


So, an off-resonance field is effectively a scaled voxel-displacement map.

And if we know the imaging parameters we can do the translation.



Off-resonance field \Rightarrow Distortions



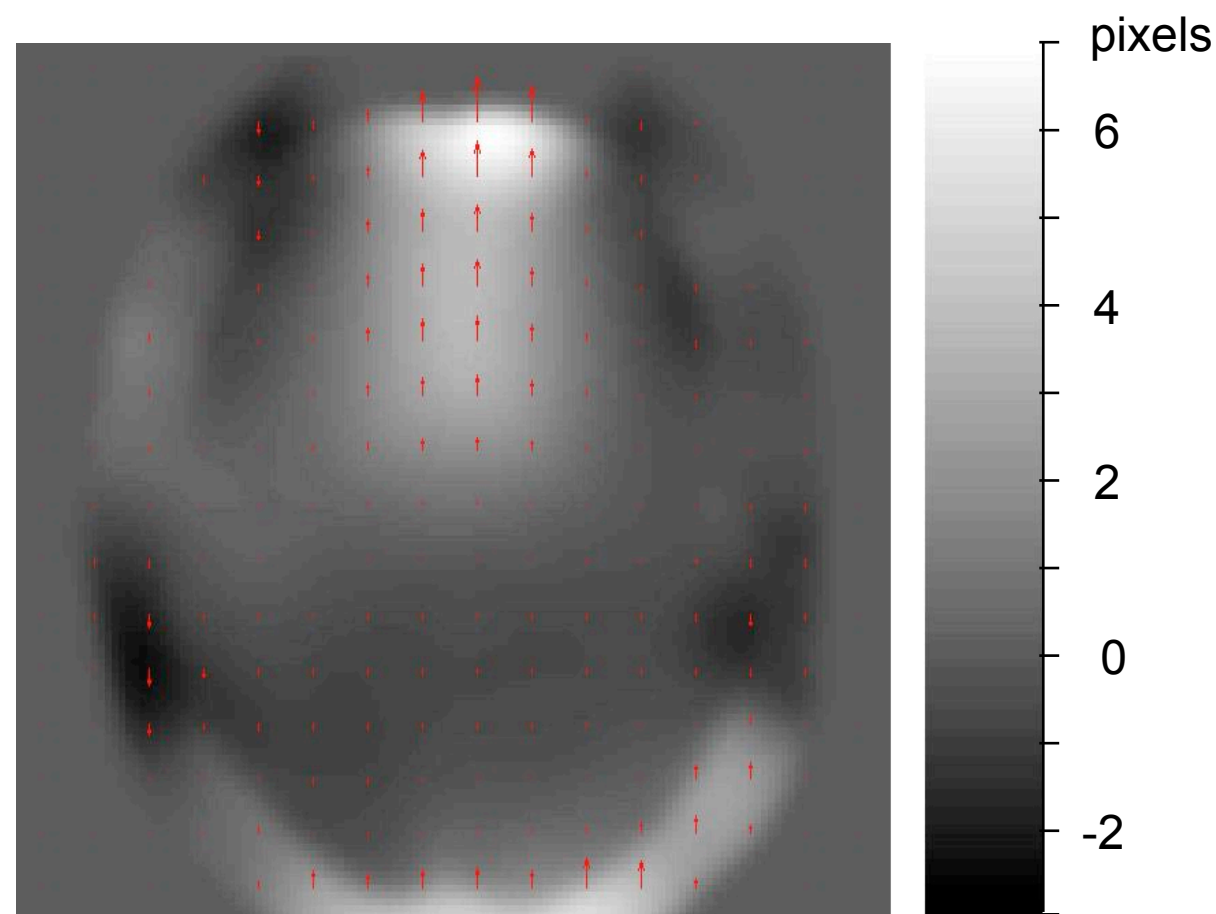
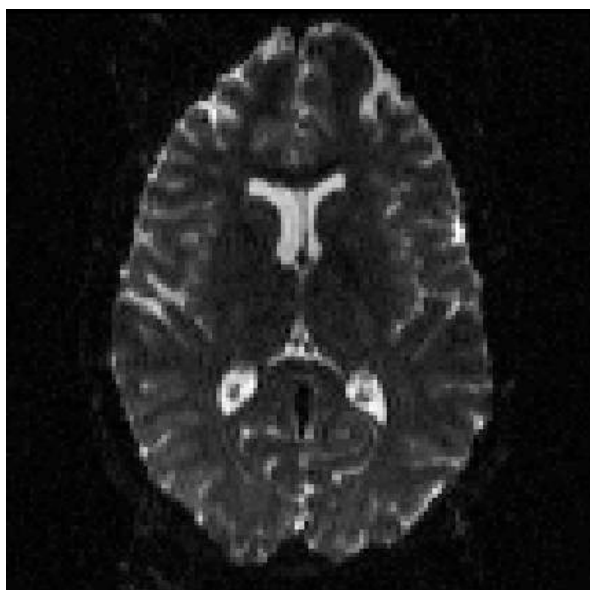
So, an off-resonance field is effectively a scaled voxel-displacement map.

And if we know the imaging parameters we can do the translation.

$$\text{BW/pixel} = 10\text{Hz}, \mathbf{p} = [0 \ 1 \ 0]$$



Off-resonance field \Rightarrow Distortions



And know what to expect

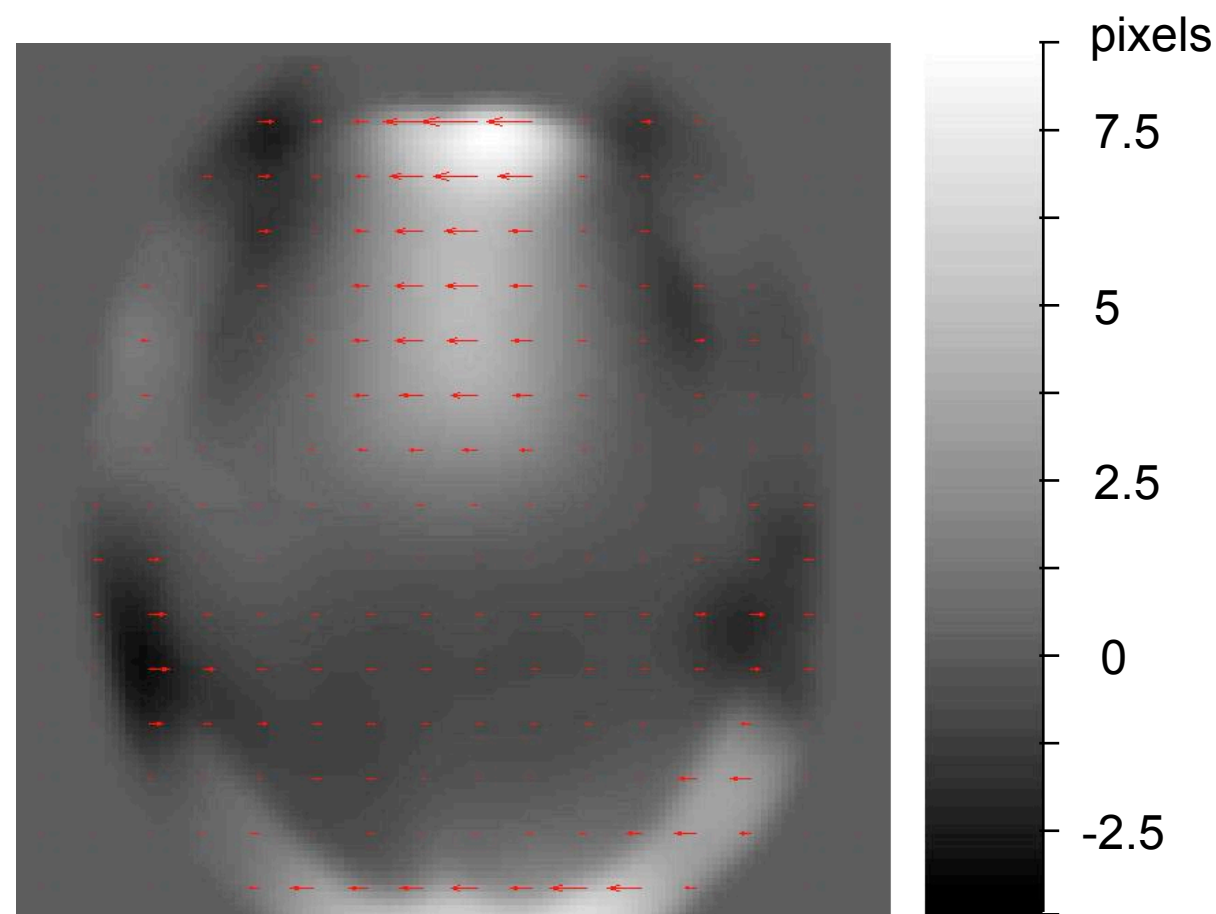
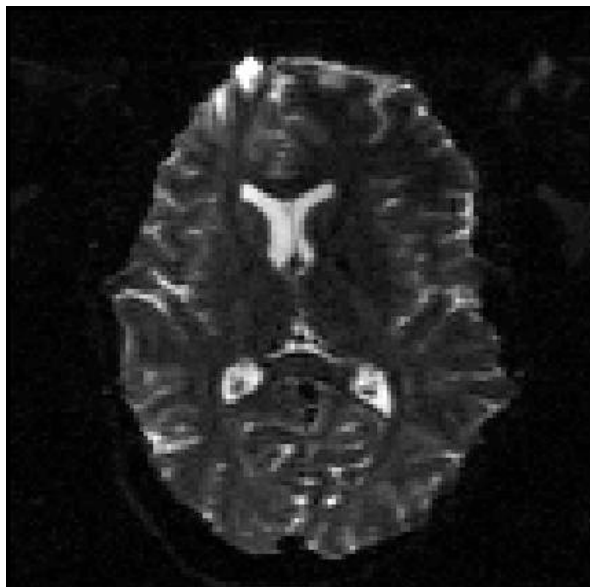
So, an off-resonance field is effectively a scaled voxel-displacement map.

And if we know the imaging parameters we can do the translation.

$$\text{BW/pixel} = 10\text{Hz}, \mathbf{p} = [0 \ 1 \ 0]$$



Off-resonance field \Rightarrow Distortions



And know what to expect

So, an off-resonance field is effectively a scaled voxel-displacement map.

And if we know the imaging parameters we can do the translation.

$$\text{BW/pixel} = 8\text{Hz}, \mathbf{p} = [-1 \ 0 \ 0]$$



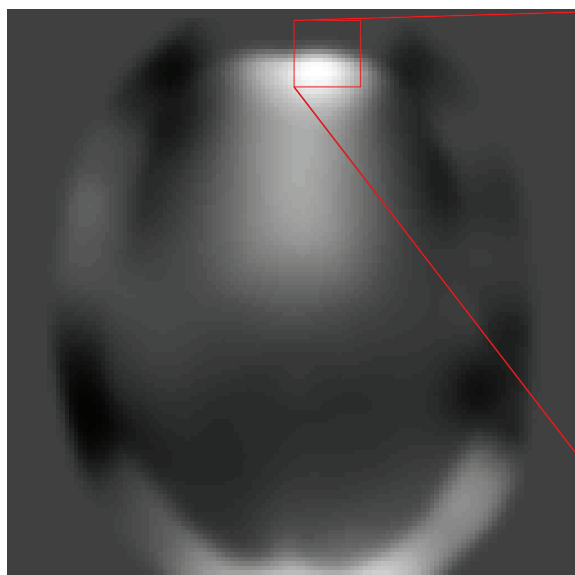
Outline of the talk

- What is the problem with diffusion data?
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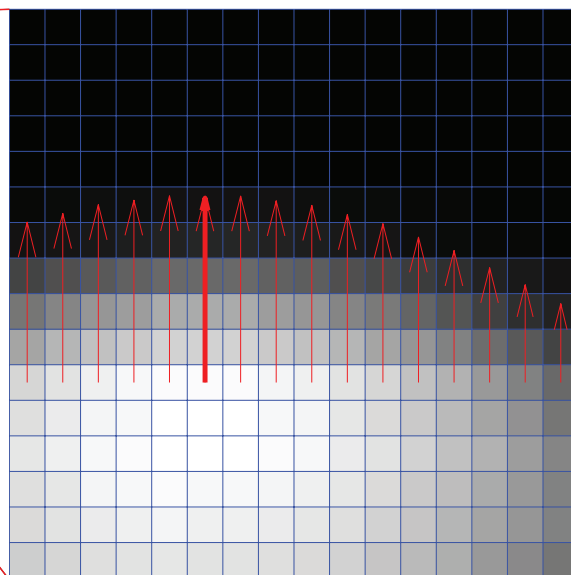


How to “fix” a distorted image

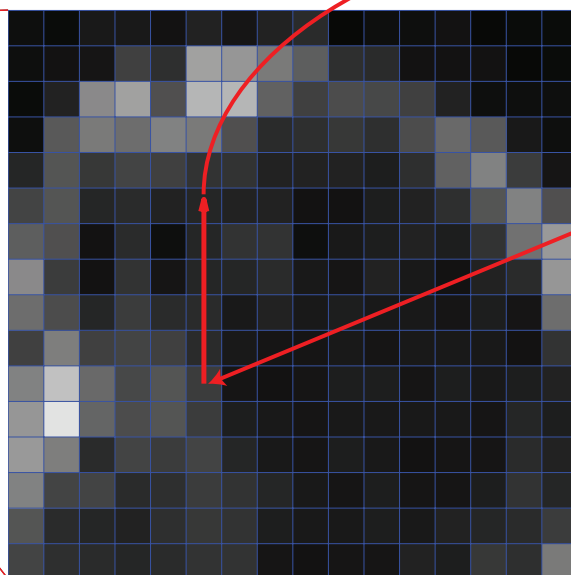
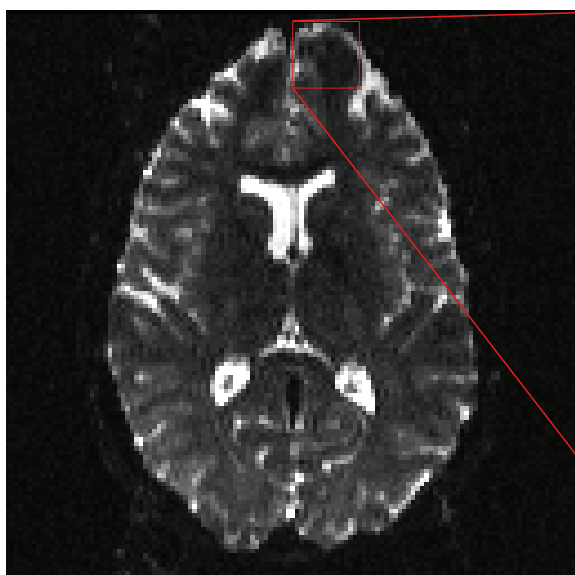
Off-resonance field (Hz)



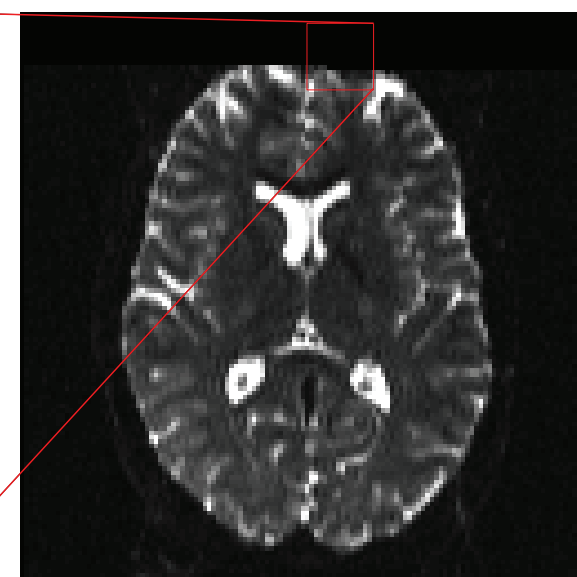
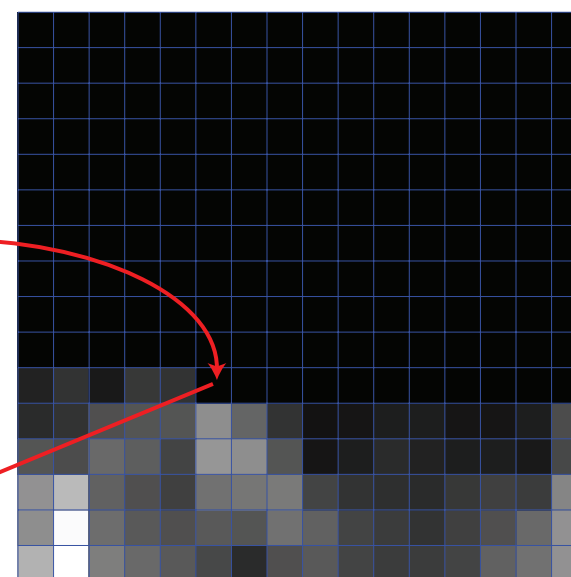
Field as displacement-map



Distorted EP-image

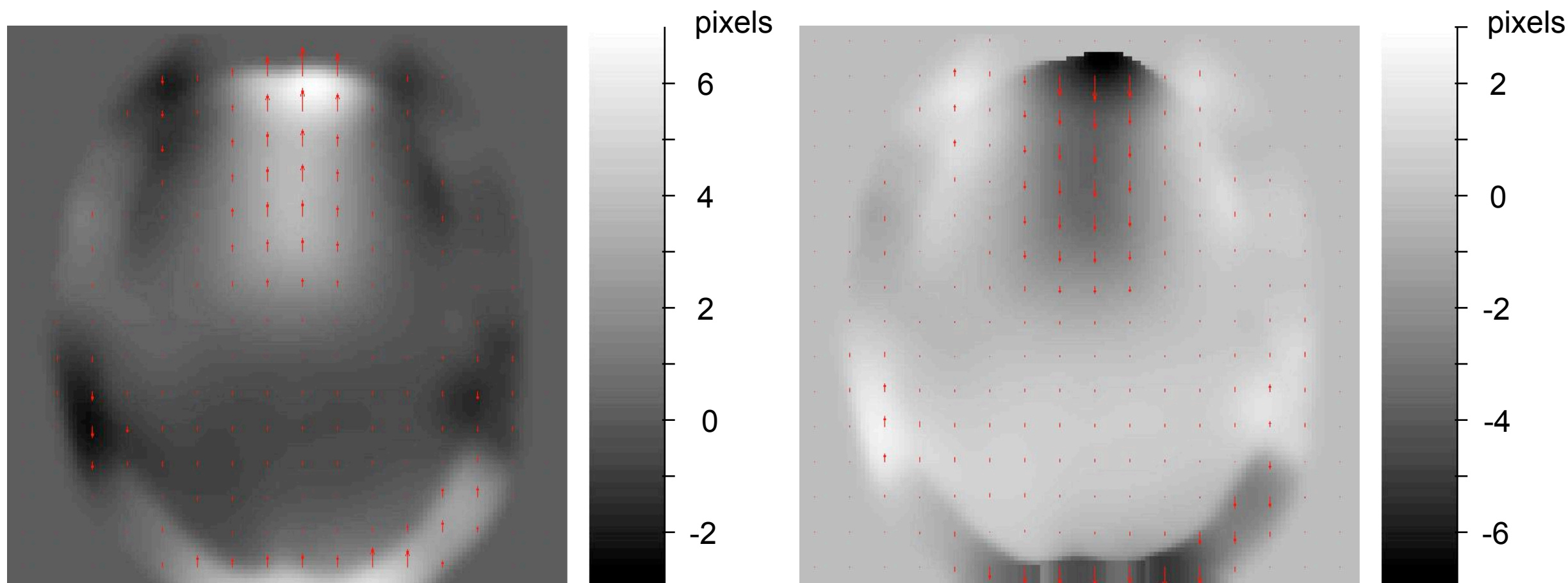


Distortion corrected EP-image





How to “mess up” a good image



For that we need the inverse displacement map.

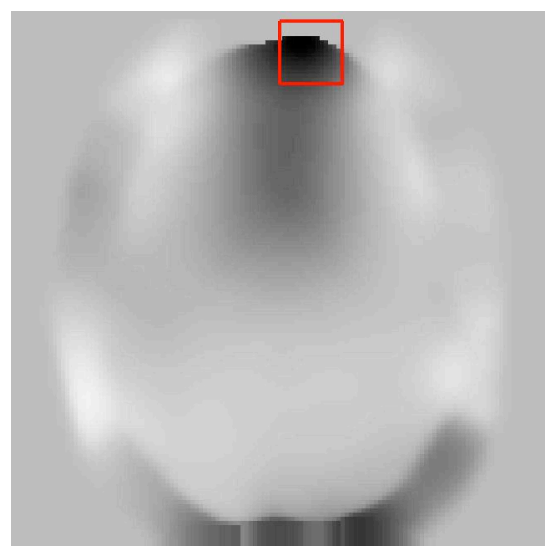
The inverse map is that which “undoes what the forward map does”.

N.B. the inverse map is NOT the negation of the forward map.

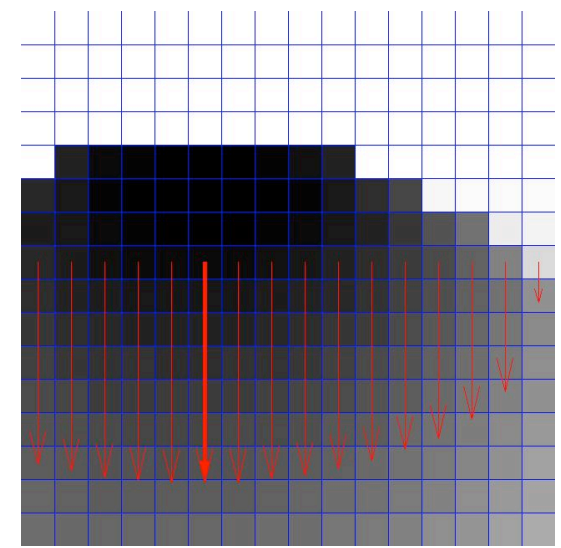


How to “mess up” a good image

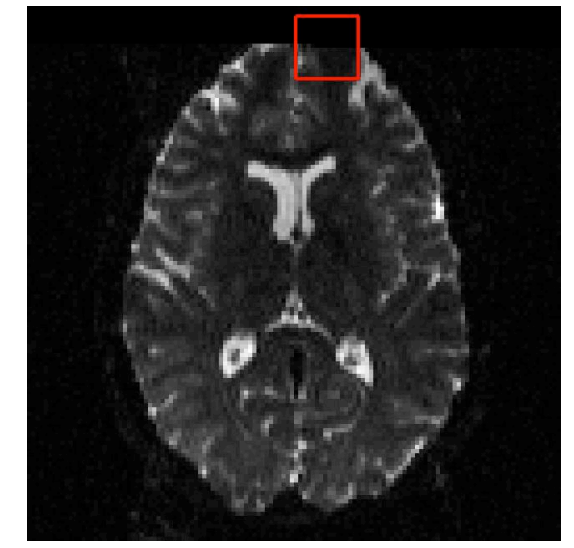
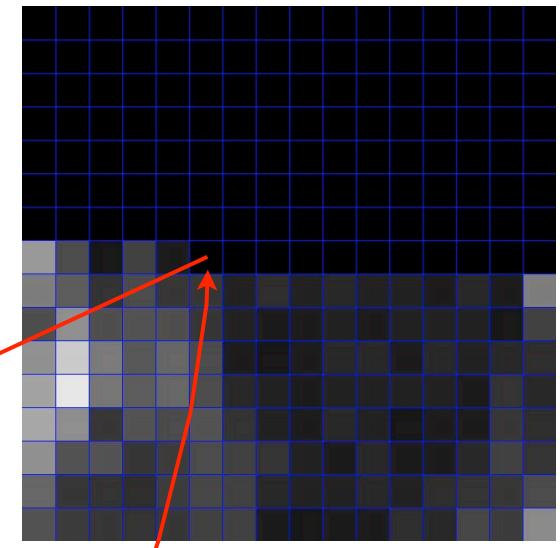
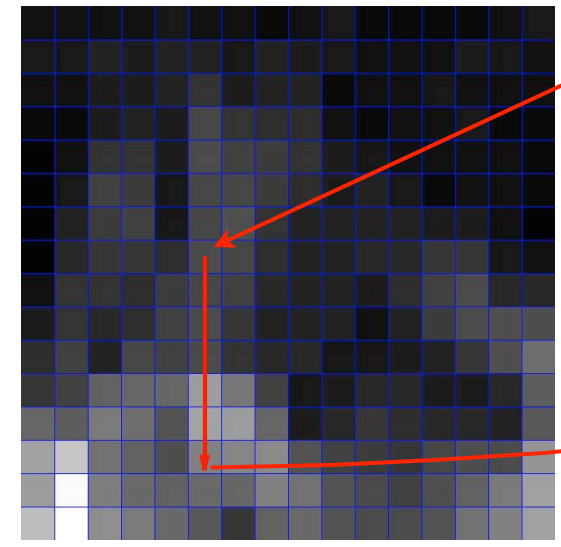
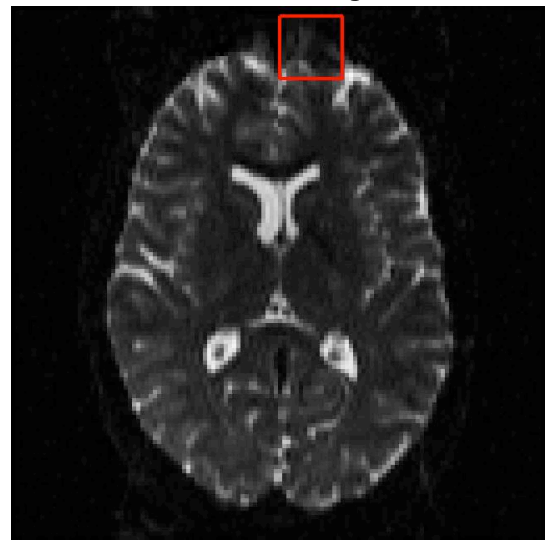
Inverted vd-field



Inverted vd-field



“True” object



Then we do just like before.



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Where does the off-resonance field come from?

- There are two sources
- The first is the object (head) itself.

(CT of) Human head

$B_0 \odot$



Resulting field



PPMs

Must fulfil $\begin{cases} \nabla \times \mathbf{H} = 0 \\ \nabla \cdot \mathbf{B} = 0 \end{cases}$ (still)

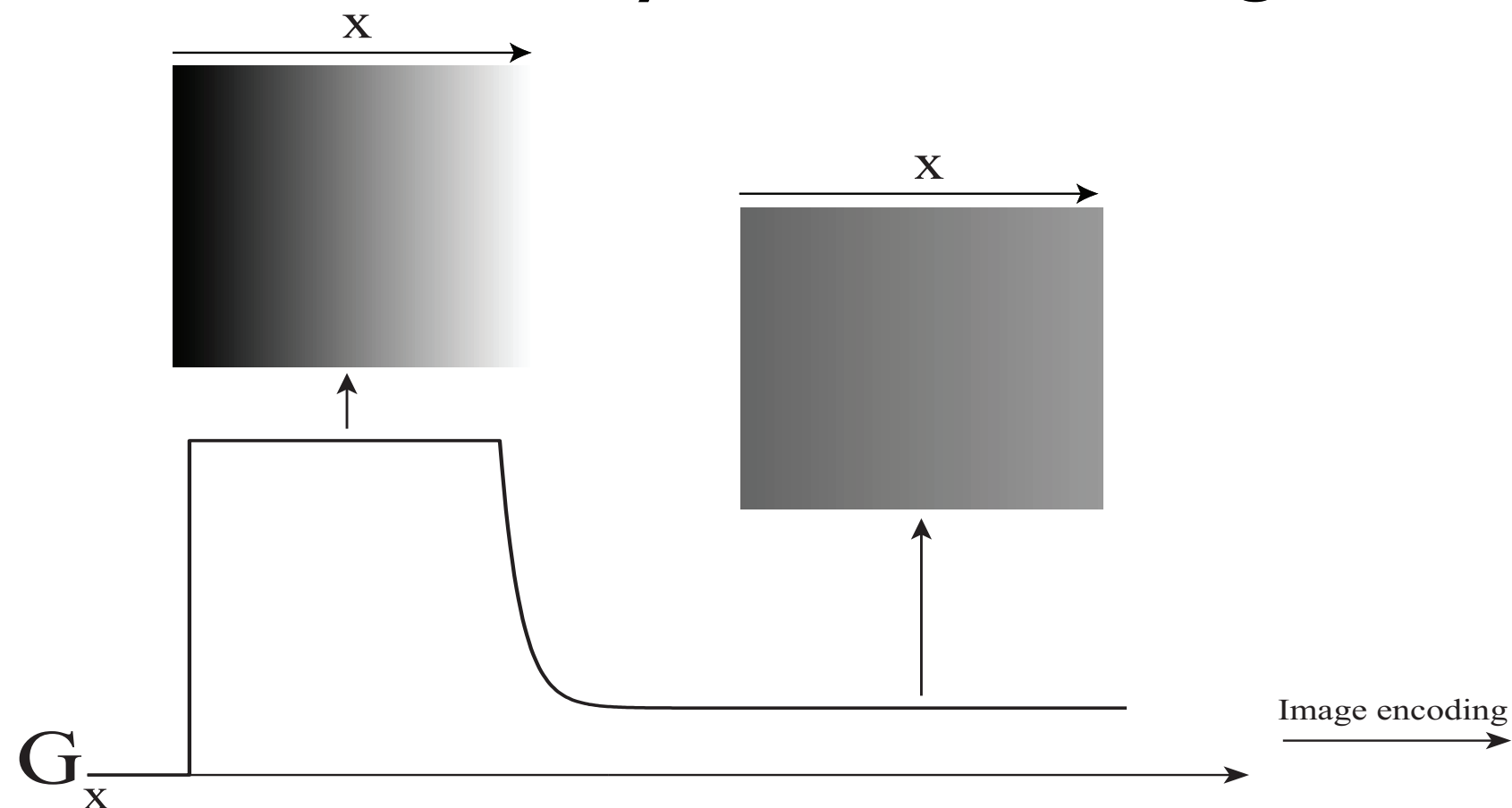


Where does the off-resonance field come from?

- There are two sources
- The first is the object (head) itself.



- The second is caused by the diffusion gradient

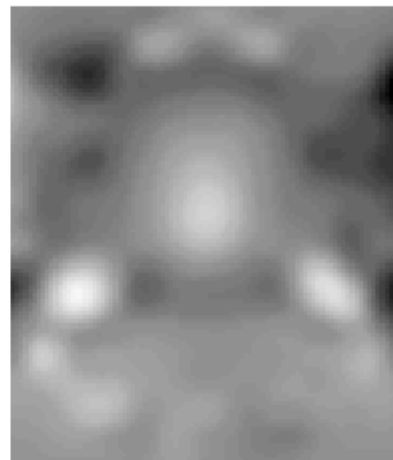




Where does the off-resonance field come from?

So for any diffusion weighted volume the off-resonance field is the sum of these two contributions

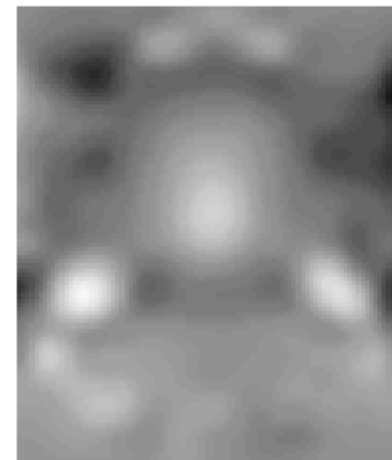
Susceptibility



Eddy currents

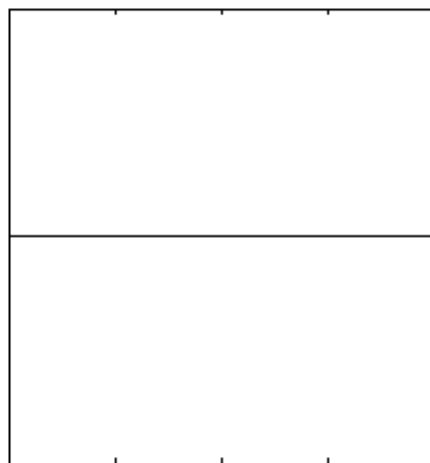


Total

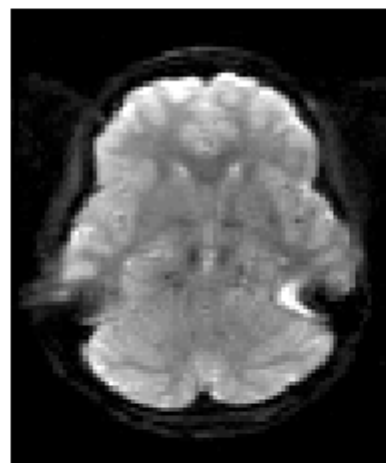


+

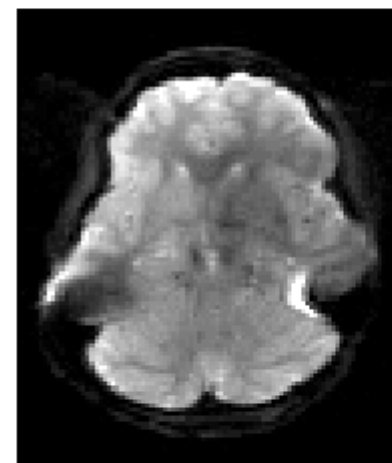
=



Diffusion gradient



"True" object



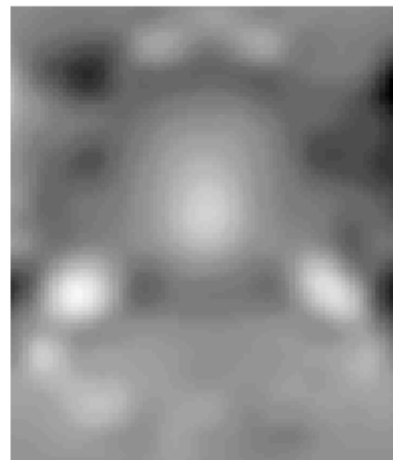
Observed image



Where does the off-resonance field come from?

So for any diffusion weighted volume the off-resonance field is the sum of these two contributions

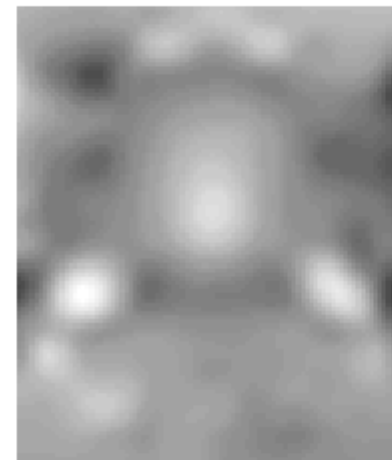
Susceptibility



Eddy currents

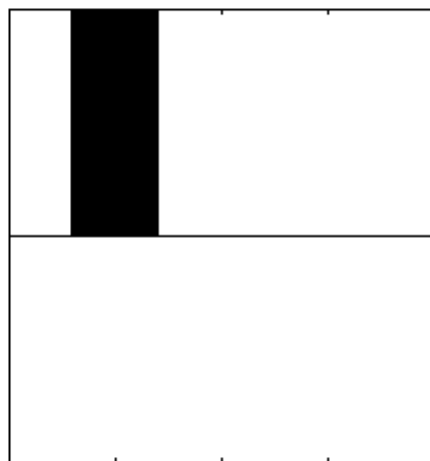


Total

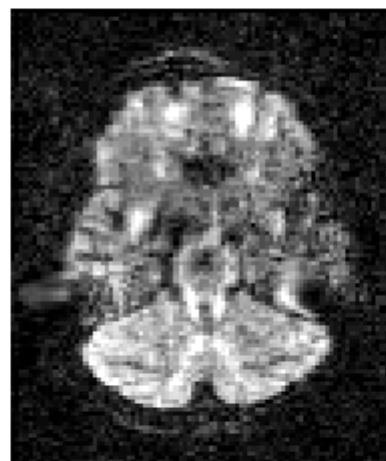


+

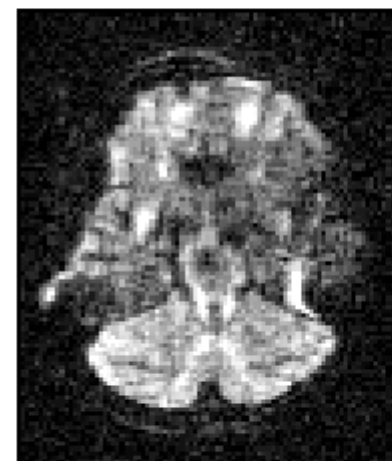
=



Diffusion gradient



"True" object



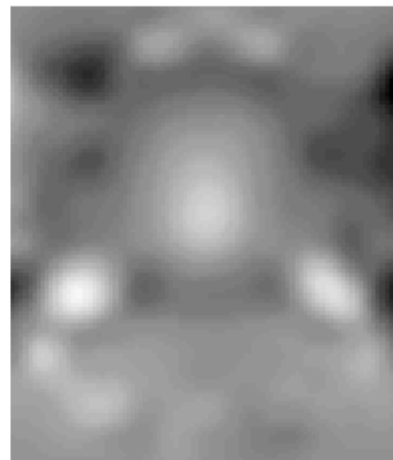
Observed image



Where does the off-resonance field come from?

So for any diffusion weighted volume the off-resonance field is the sum of these two contributions

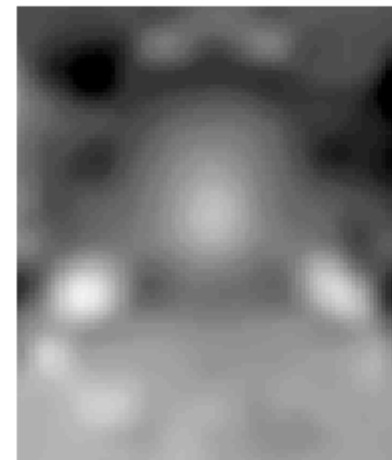
Susceptibility



Eddy currents

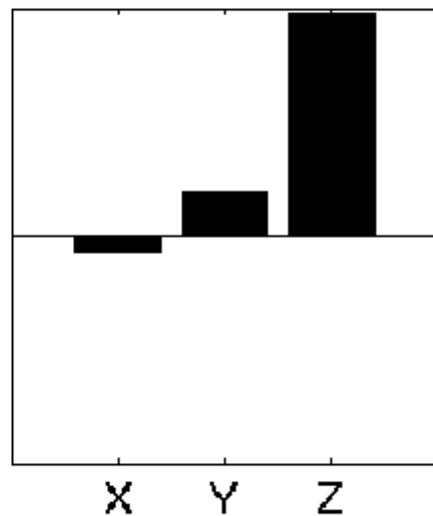


Total

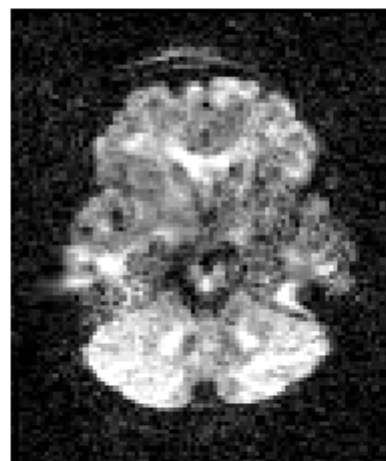


+

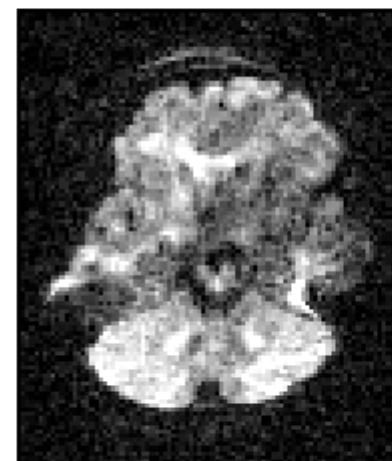
=



Diffusion gradient



"True" object



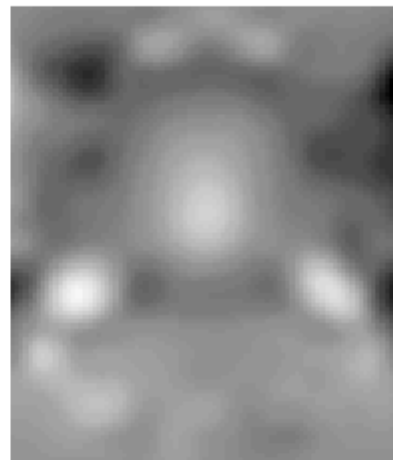
Observed image



Where does the off-resonance field come from?

So for any diffusion weighted volume the off-resonance field is the sum of these two contributions

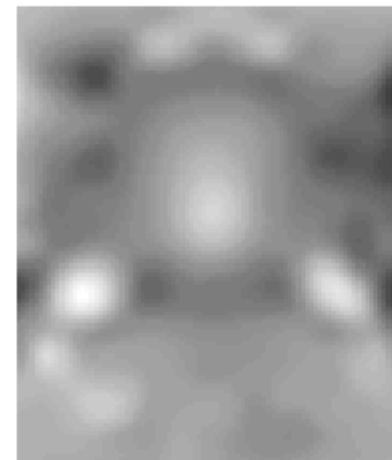
Susceptibility



Eddy currents

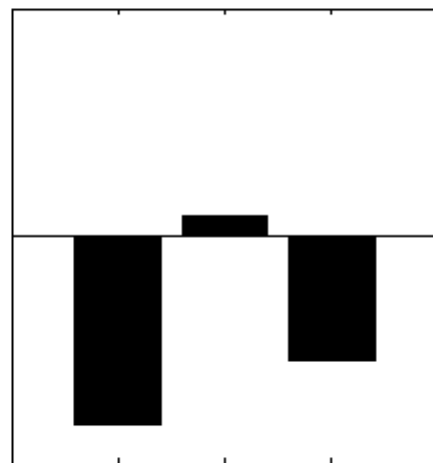


Total

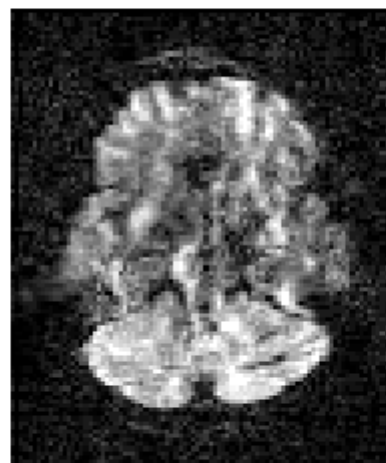


+

=



Diffusion gradient



"True" object



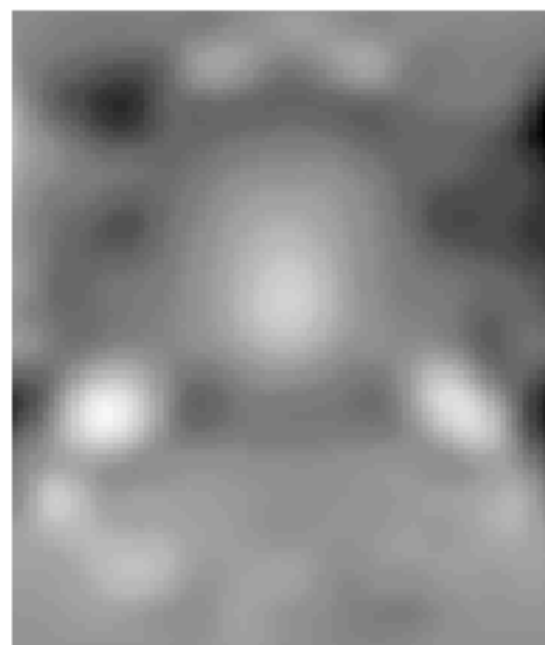
Observed image



Separate estimation of susceptibility- and eddy current-fields

So, what we need to estimate is

One of these per
subject



One of these per
volume



FSL-tools:

topup

eddy

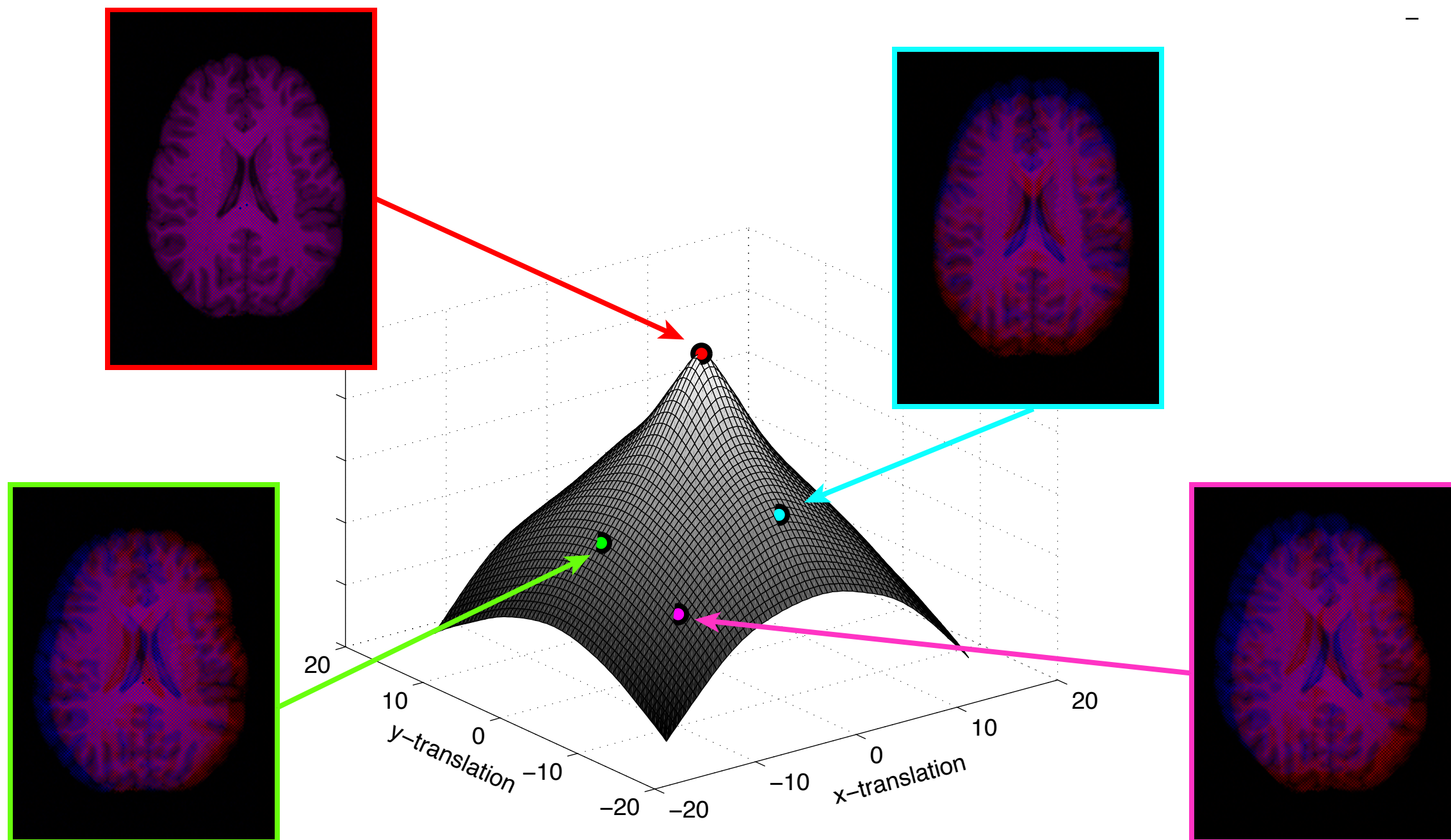


Outline of the talk

- What is the problem with diffusion data?
- Off-resonance field \Rightarrow Distortions
- How to fix, and mess up, data
- Where does the off-resonance field come from?
- **Worlds shortest course on image registration**
- How topup works
- Zoltar -- The prediction maker
- How eddy works
- Under the hood of Zoltar
- Outlier detection
- Some results



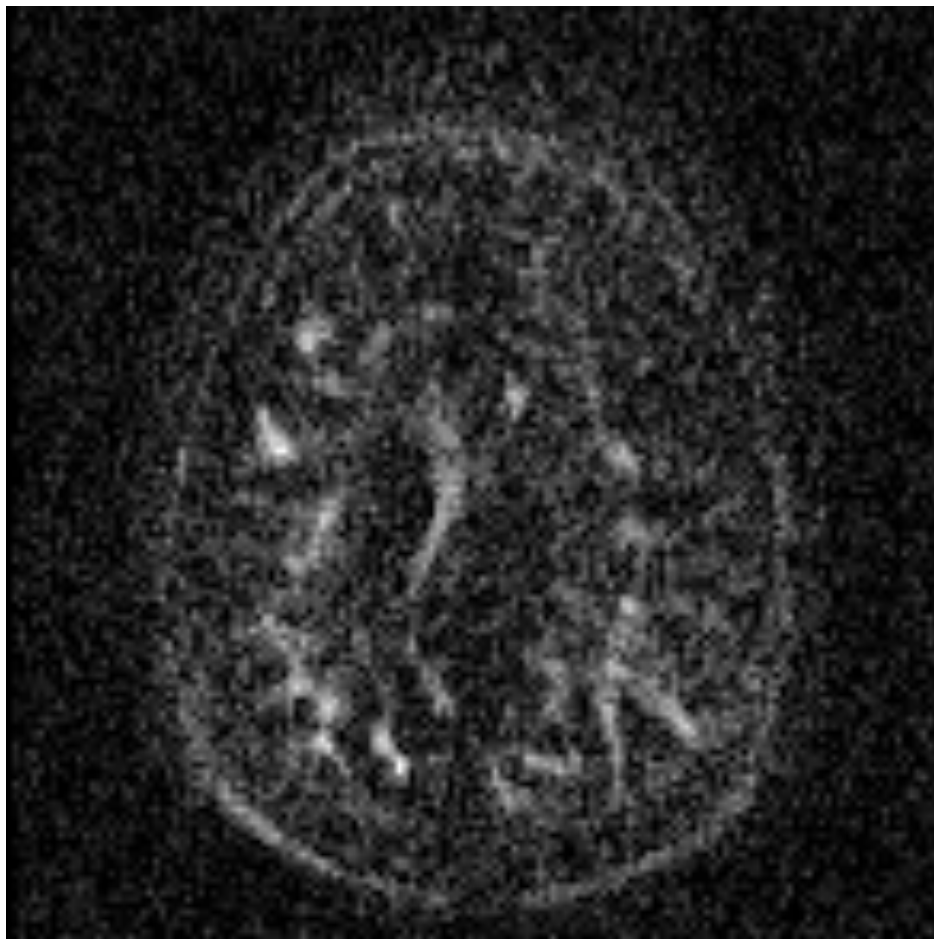
Worlds shortest course on image registration



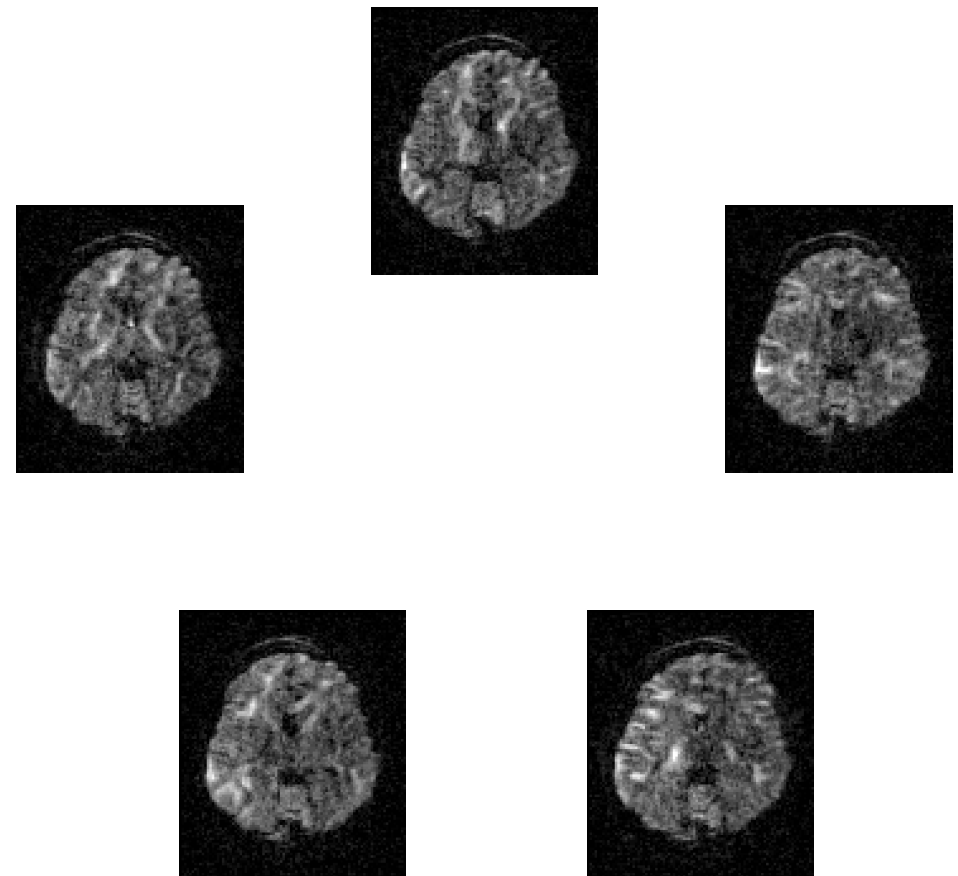
Maximising/minimising an objective/cost-function



But it is not easy to register diffusion weighted images



The different diffusion
weighted images have
different contrast.



All the images are distorted,
only differently. How do we
know the truth?

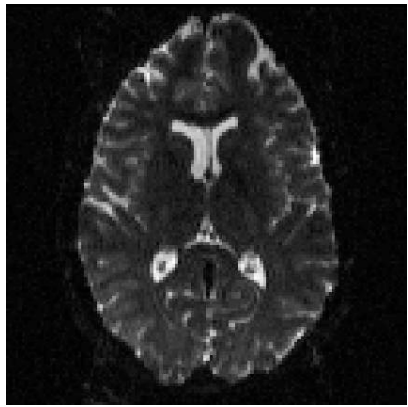


Outline of the talk

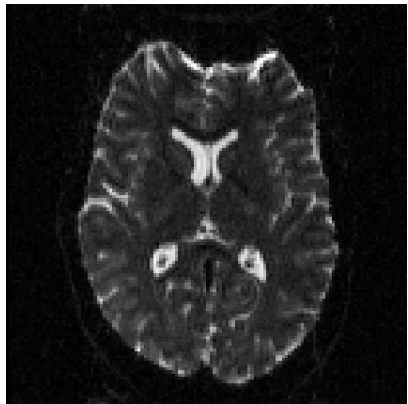
- What is the problem with diffusion data?
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How topup works (very briefly)



$p=[0 \ 1 \ 0]$

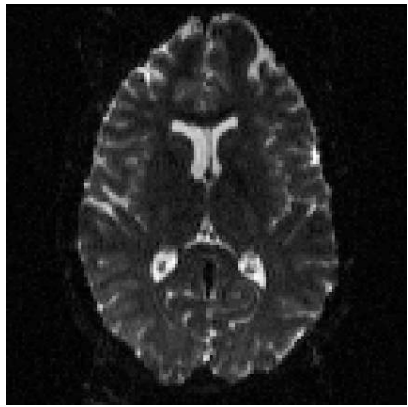


$p=[0 \ -1 \ 0]$

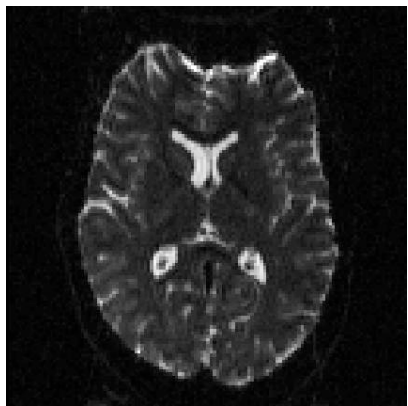
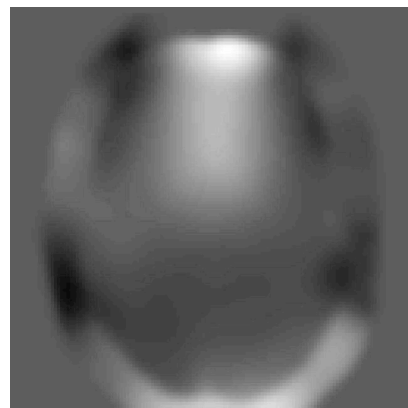
If we have two images acquired with different phase-encoding



How topup works (very briefly)



$p=[0 \ 1 \ 0]$

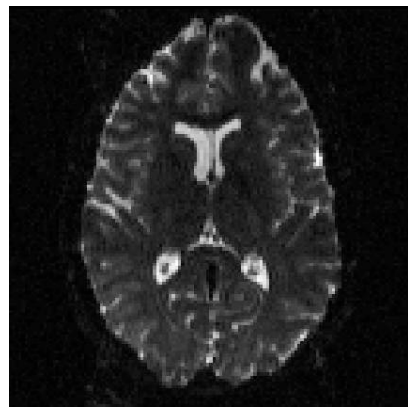


$p=[0 \ -1 \ 0]$

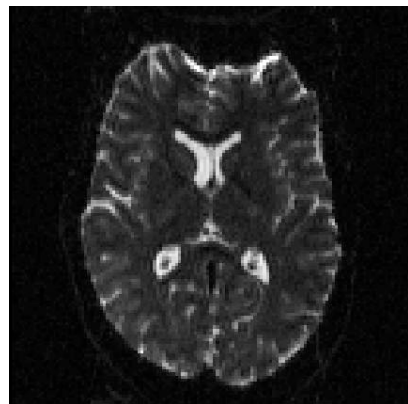
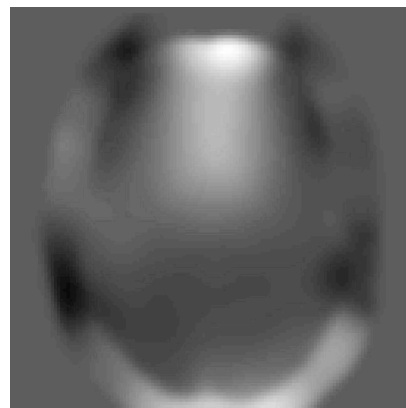
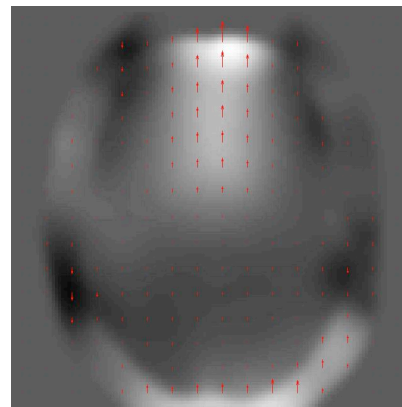
And we know what the off-resonance field is



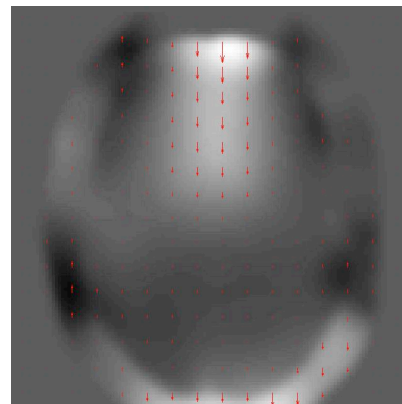
How topup works (very briefly)



$p=[0 \ 1 \ 0]$



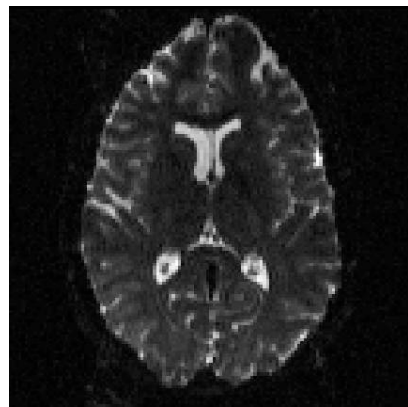
$p=[0 \ -1 \ 0]$



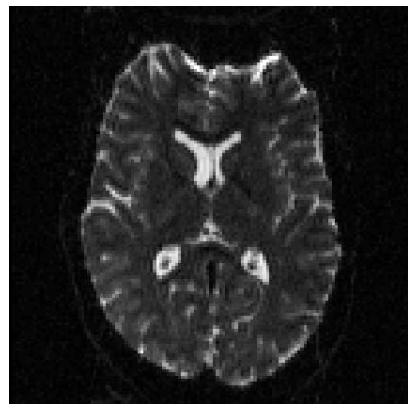
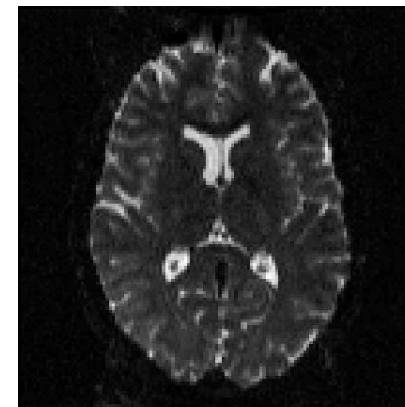
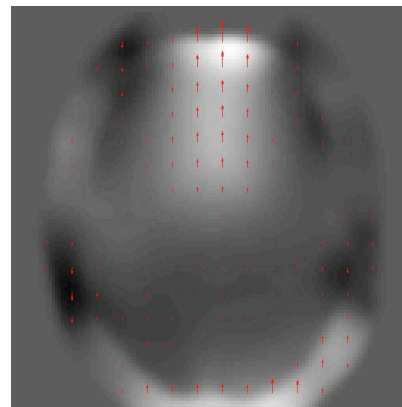
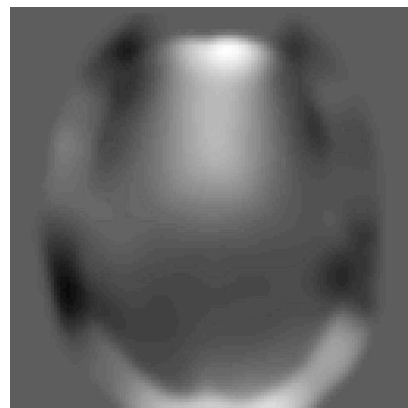
We can combine this with the PE information to get displacement maps



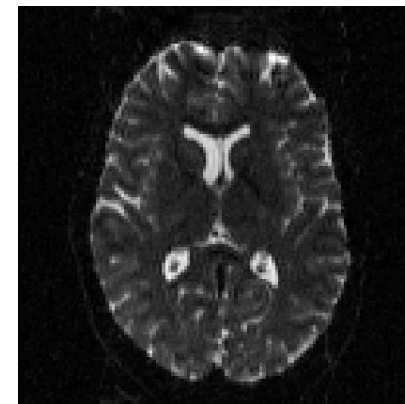
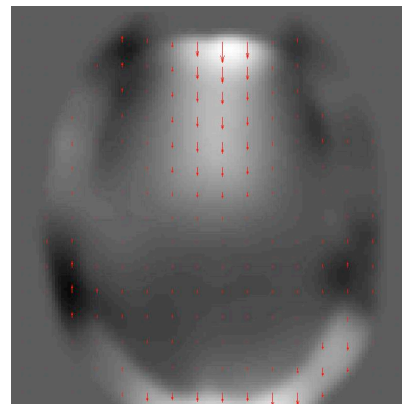
How topup works (very briefly)



$p=[0 \ 1 \ 0]$



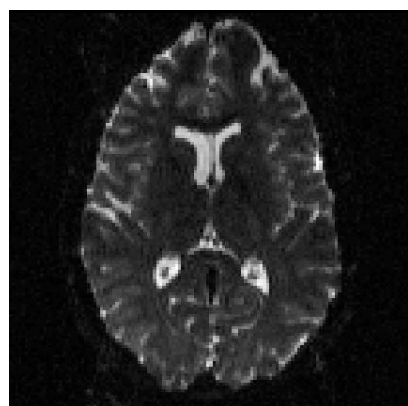
$p=[0 \ -1 \ 0]$



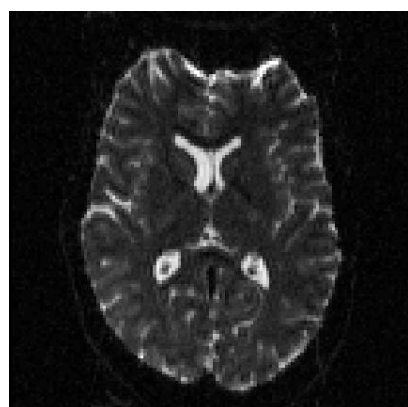
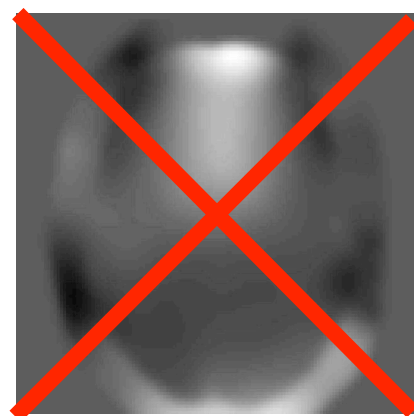
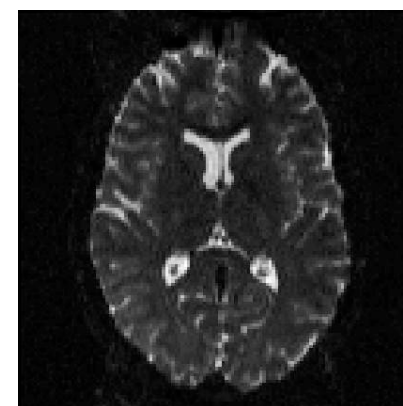
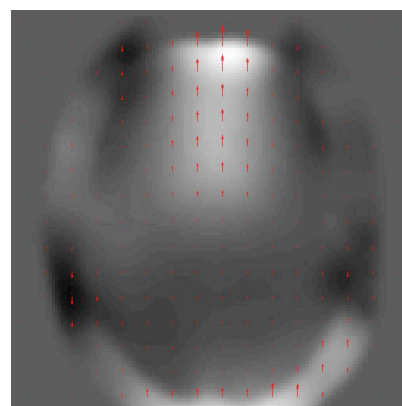
And use that to correct the distortions



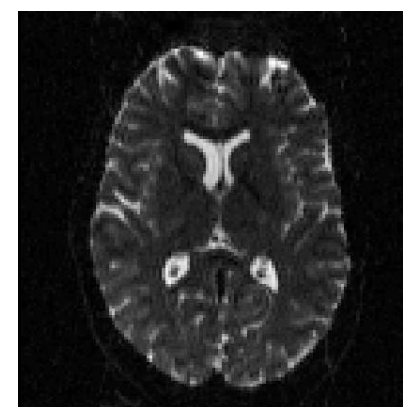
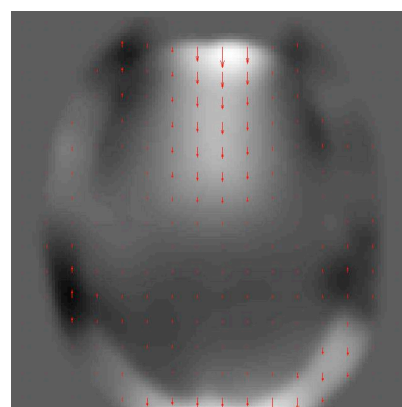
How topup works (very briefly)



$p=[0 \ 1 \ 0]$



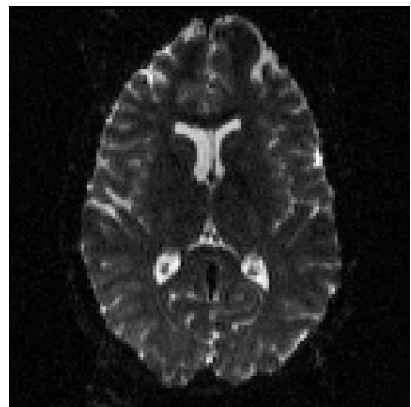
$p=[0 \ -1 \ 0]$



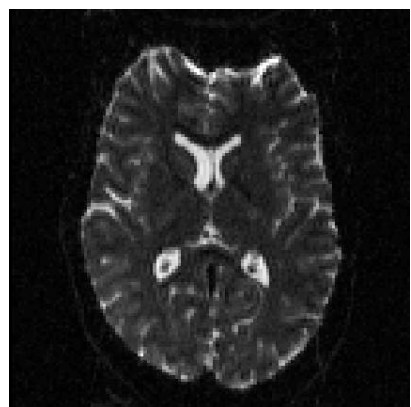
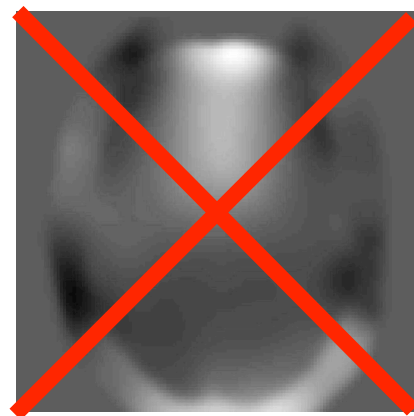
BUT we don't know the field. That is what we want topup to calculate.



How topup works (very briefly)



$p=[0 \ 1 \ 0]$

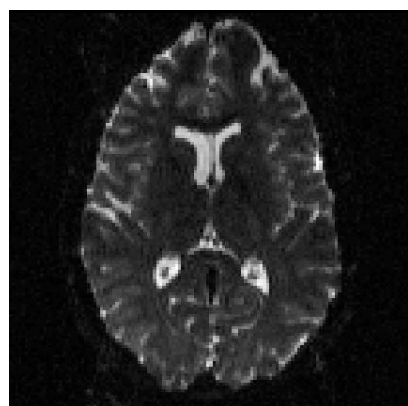


$p=[0 \ -1 \ 0]$

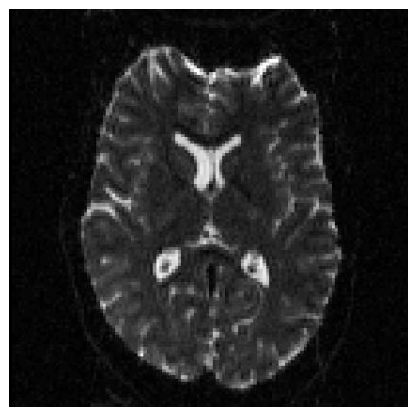
BUT we don't know the field. That is what we want topup to calculate.



How topup works (very briefly)



$p=[0 \ 1 \ 0]$

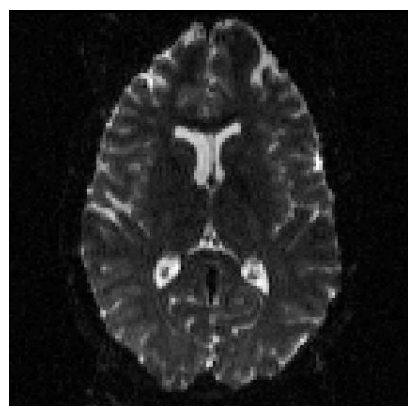


$p=[0 \ -1 \ 0]$

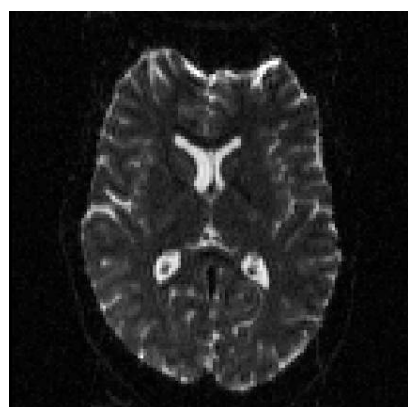
So, topup “guesses” a field...



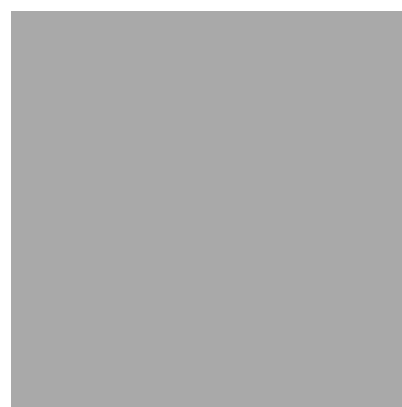
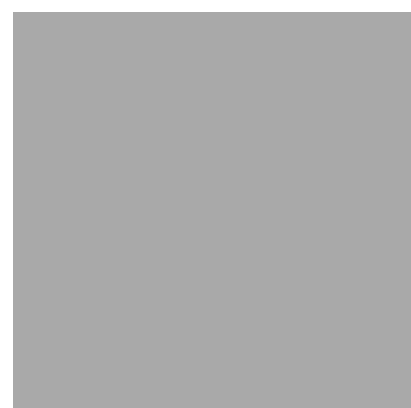
How topup works (very briefly)



$p=[0 \ 1 \ 0]$



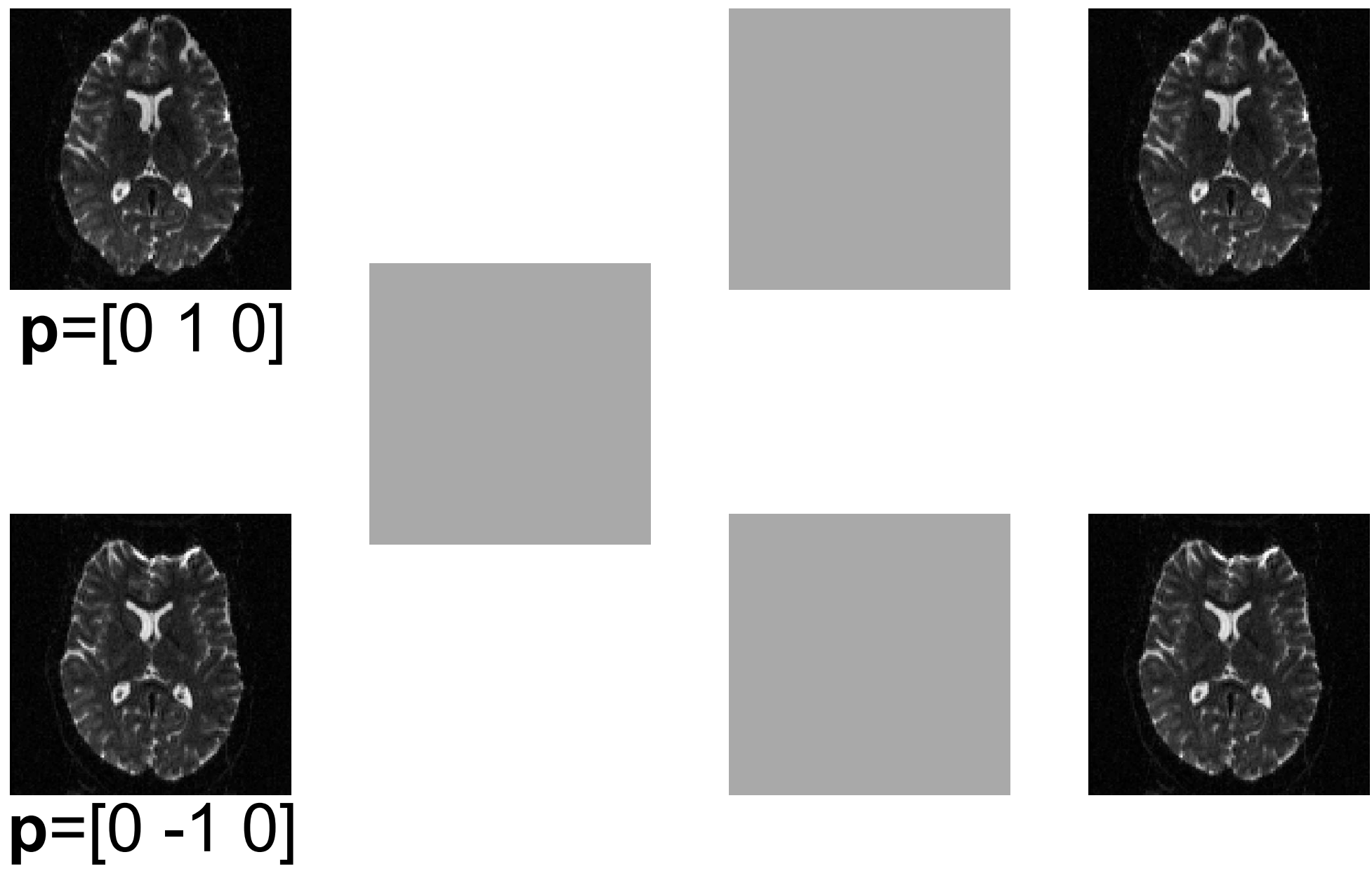
$p=[0 \ -1 \ 0]$



...calculates the displacement maps...



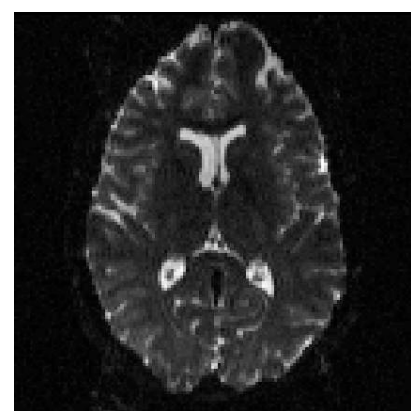
How topup works (very briefly)



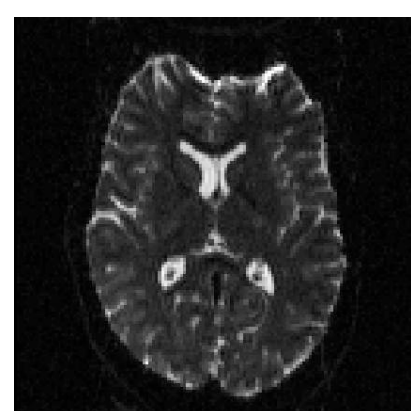
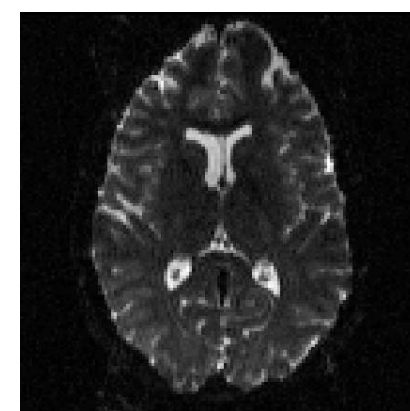
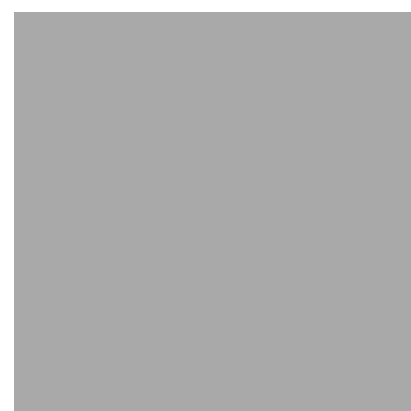
...”corrects” the images...



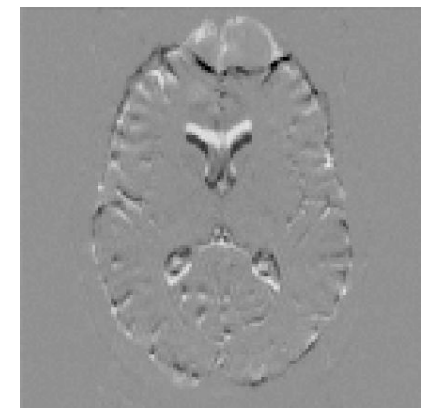
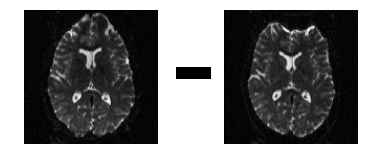
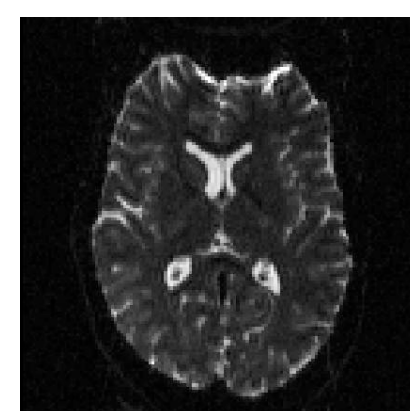
How topup works (very briefly)



$p=[0 \ 1 \ 0]$



$p=[0 \ -1 \ 0]$

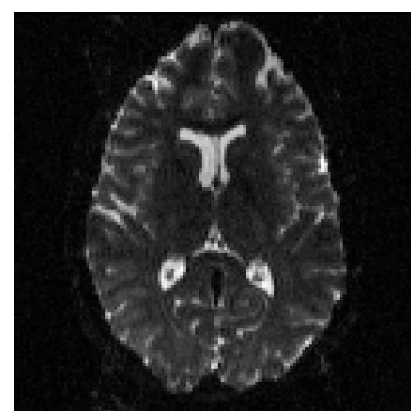


BAD!

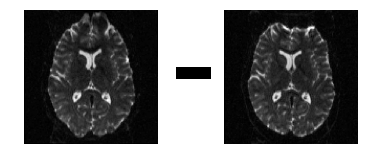
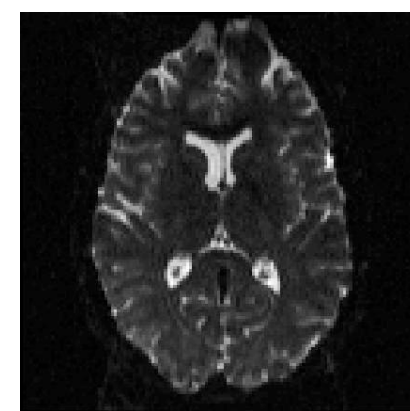
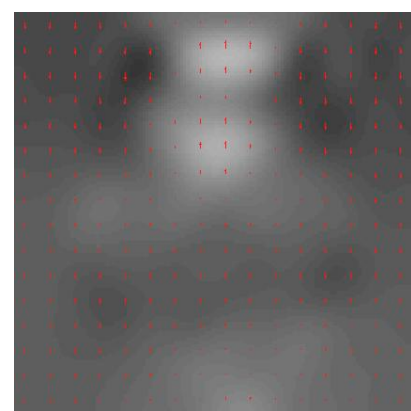
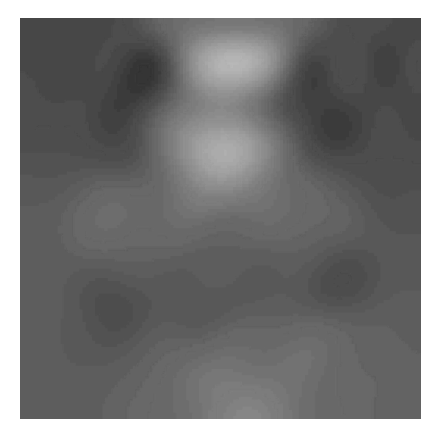
...and evaluates the results...
And **this** is the crucial bit.



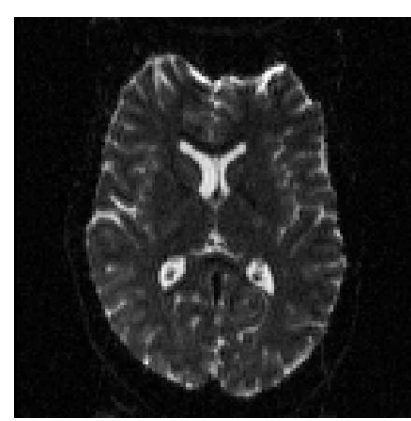
How topup works (very briefly)



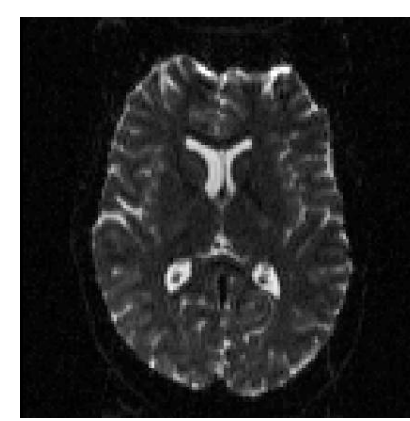
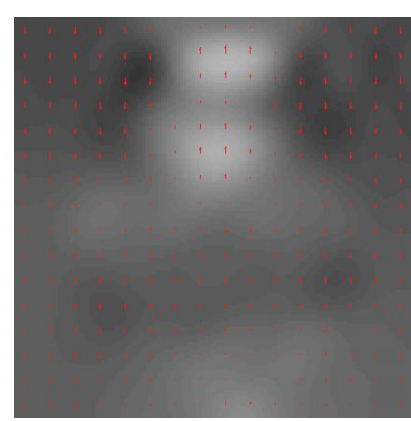
$p=[0 \ 1 \ 0]$



better



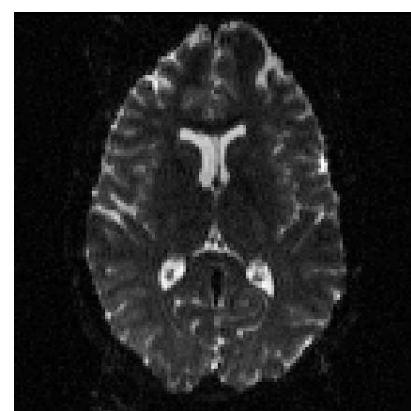
$p=[0 \ -1 \ 0]$



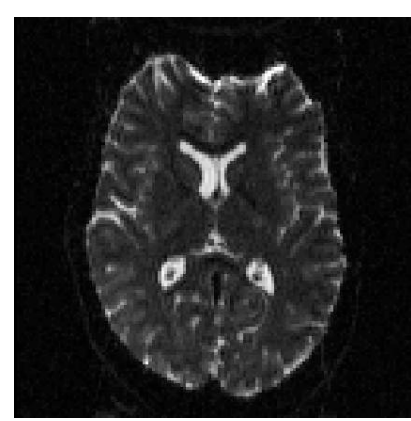
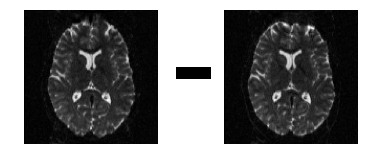
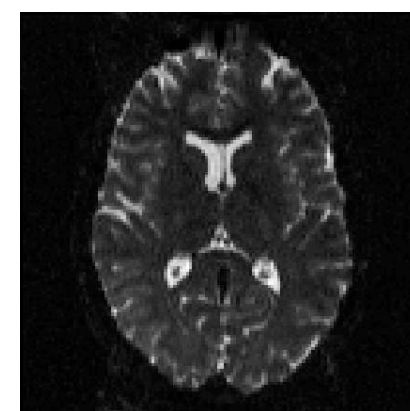
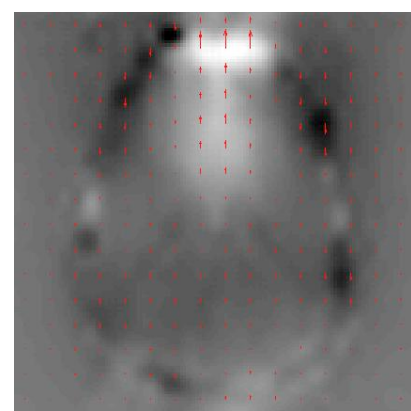
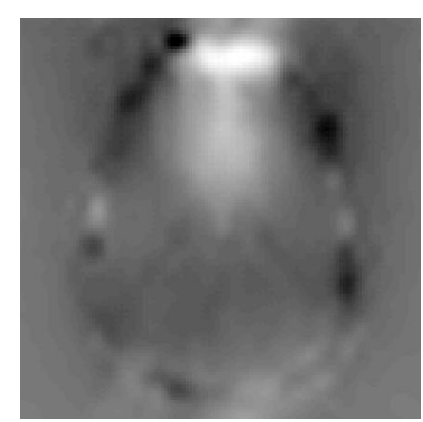
Because topup can then “guess”
another field



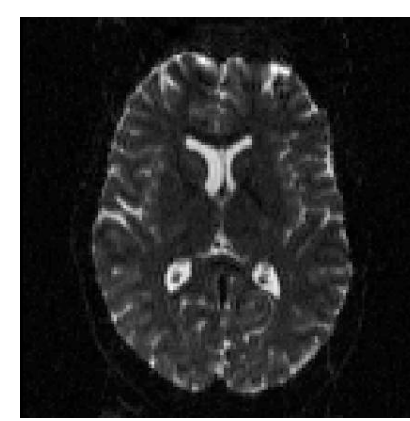
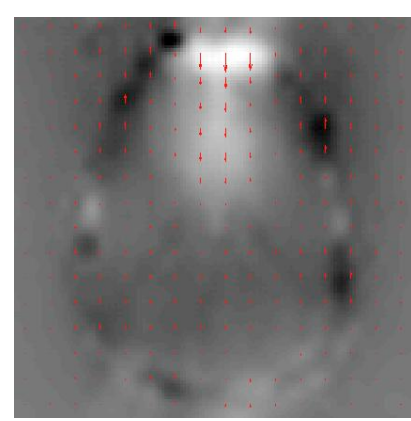
How topup works (very briefly)



$p=[0 \ 1 \ 0]$



$p=[0 \ -1 \ 0]$



even
better

...and another...until it is happy,
and then it “knows” the field

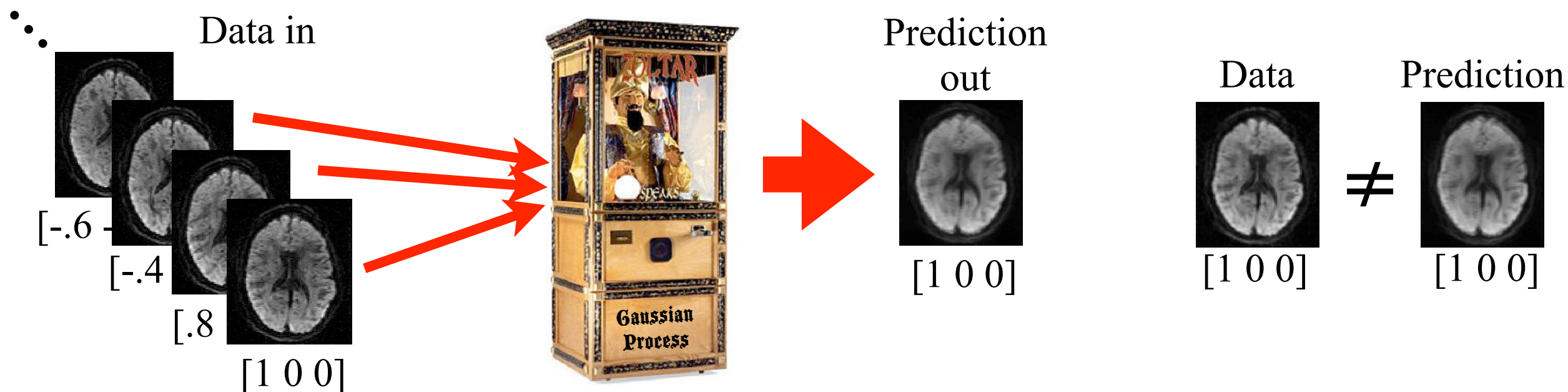


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Zoltar -- The prediction maker



Given some data in, Zoltar will make a prediction what the data “should” be.

The prediction for a given dwi will not be identical to the “input” for that dwi

I know this sounds crazy, but suspend disbelief for now and we’ll get back to Zoltar later (he’s actually a Gaussian Process)



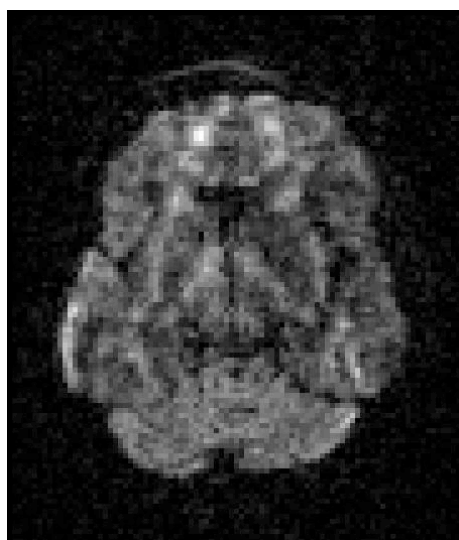
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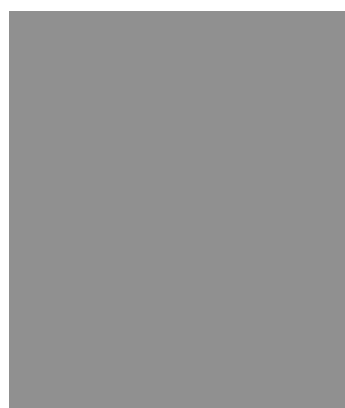
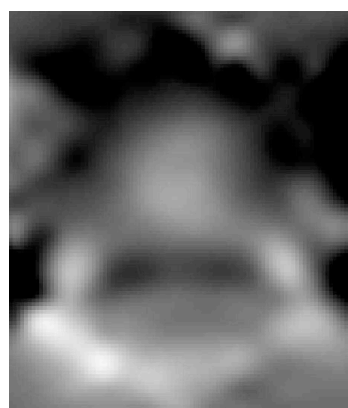


How eddy works: Loading step

Pick the first dwi

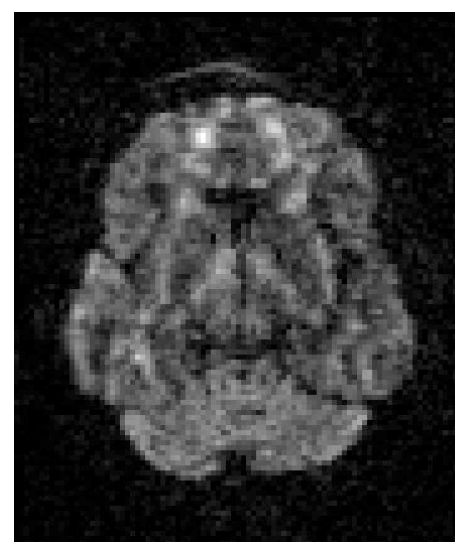


Use current estimates of
Susc EC MP

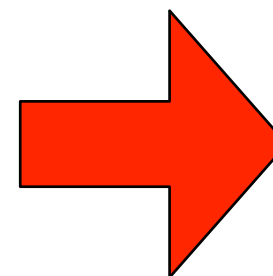


$$\begin{bmatrix} 0 \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$

To correct
image



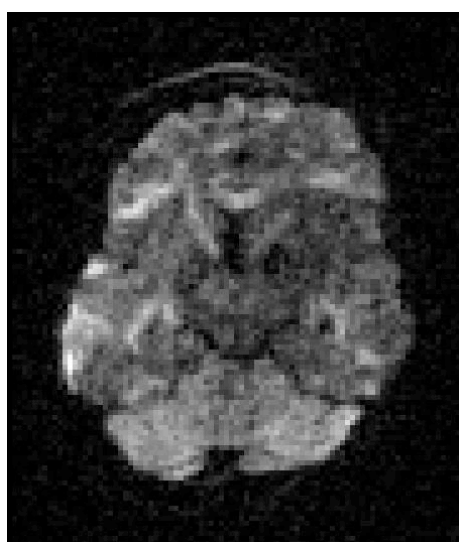
And load into
prediction
maker



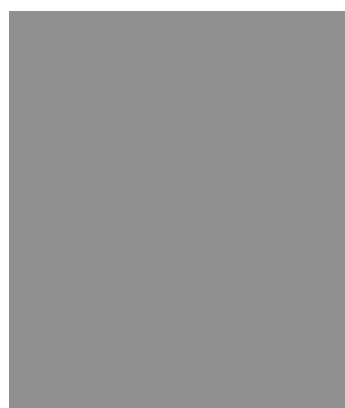
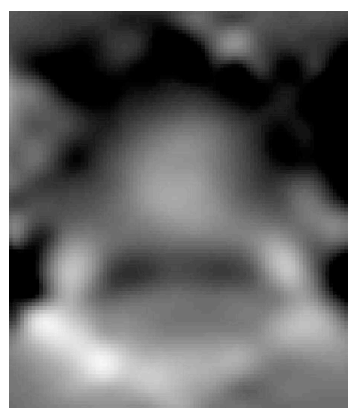


How eddy works: Loading step

then the 2nd dwi

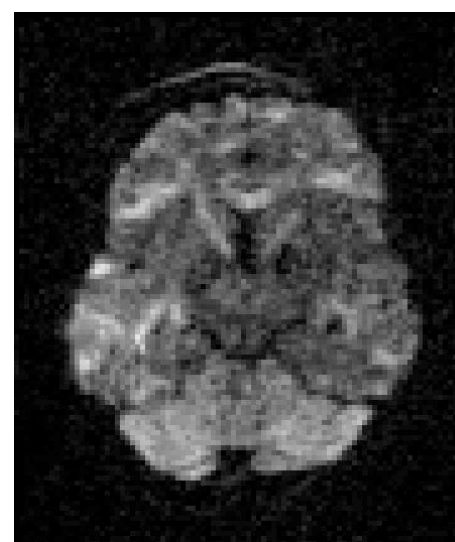


Use current estimates of
Susc EC MP

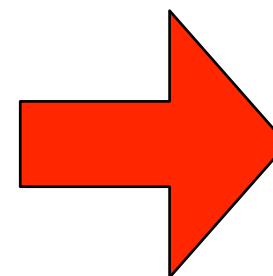


$$\begin{bmatrix} 0 \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$

To correct
2nd image



And load into
prediction
maker

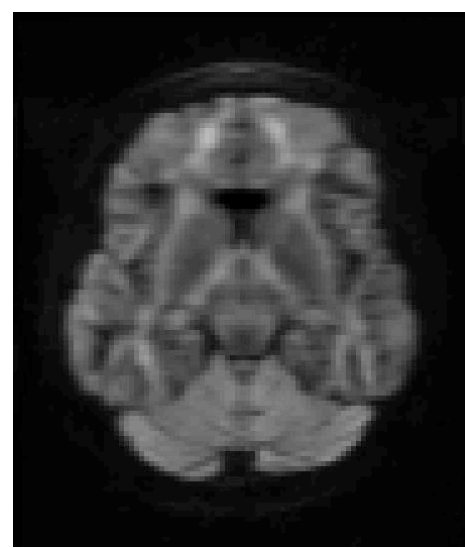


Until we have
loaded all dwis

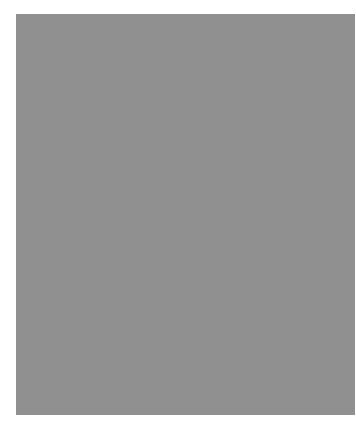


How eddy works: Estimation step

Draw a prediction
for first dwi

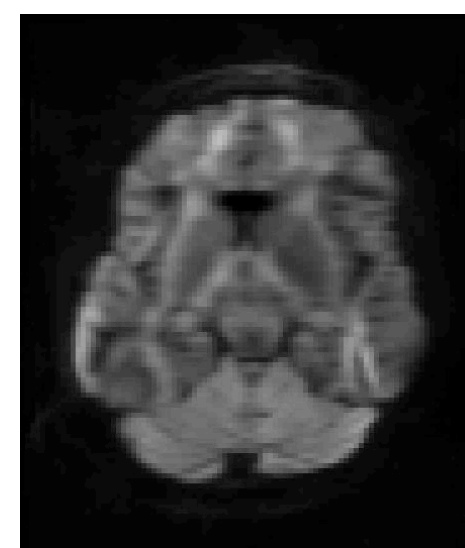


Use current estimates of
Susc EC MP

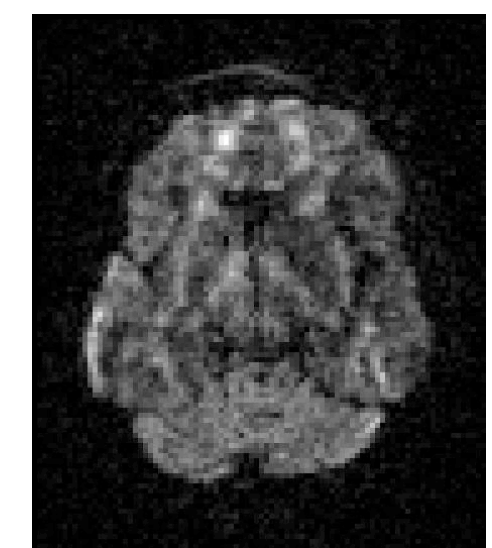


$$\begin{bmatrix} 0 \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$

Invert



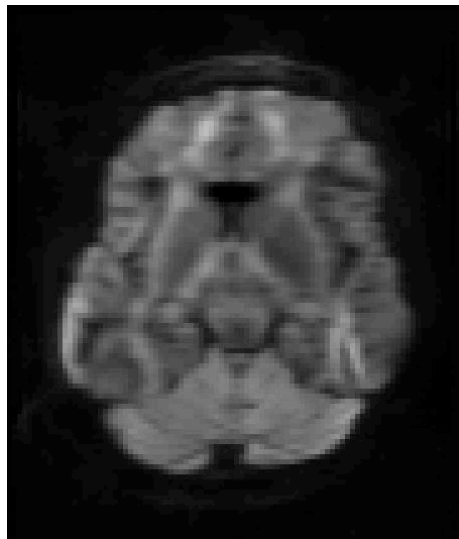
To get
prediction in
“observation
space”



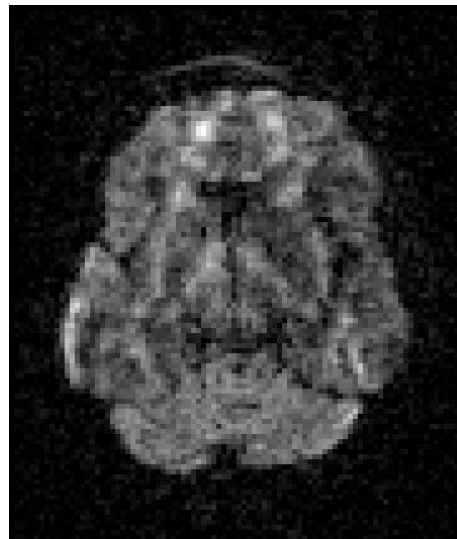
And compare
to actual
observation



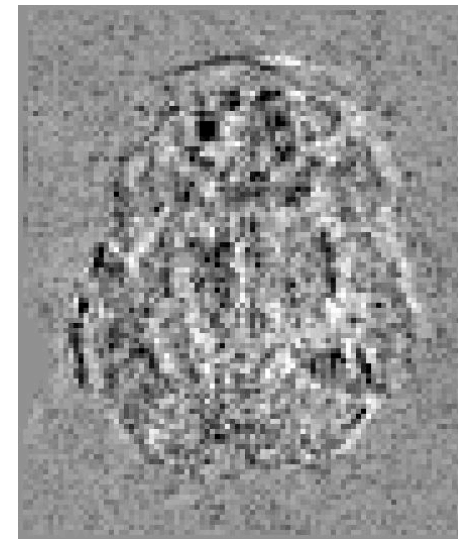
How eddy works: Estimation step



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Prediction in
“observation
space”

Observation

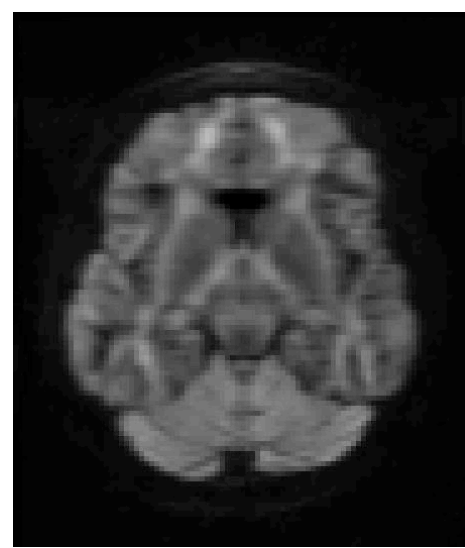
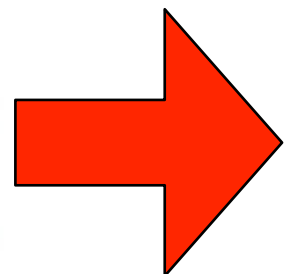
This observed
difference is what
drives the estimation

But how do we go from this observed difference to estimates of the eddy currents (and movements)?

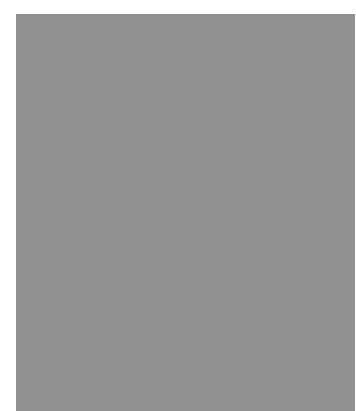
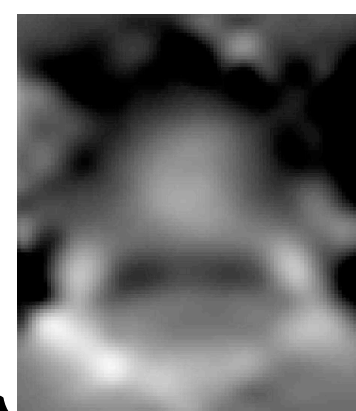


How eddy works: Estimation step

Draw a prediction
for first dwi

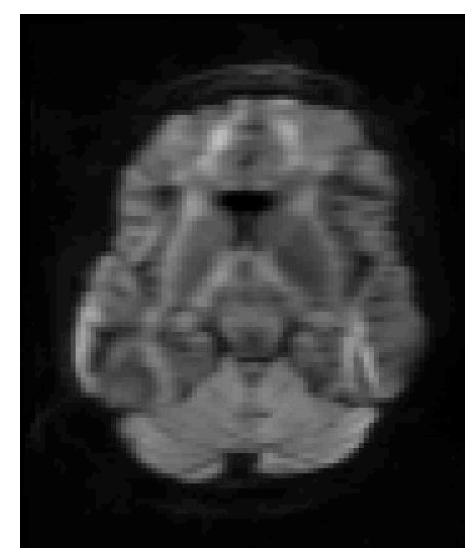


Use current estimates of
Susc EC MP



$$\begin{bmatrix} 0 \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$

Invert



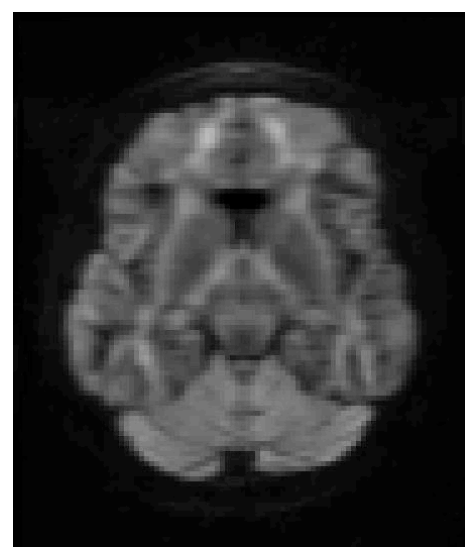
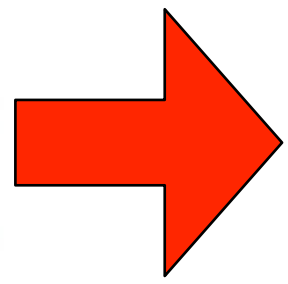
But what if the
estimates
were a little
different?

Prediction with
current
estimates.

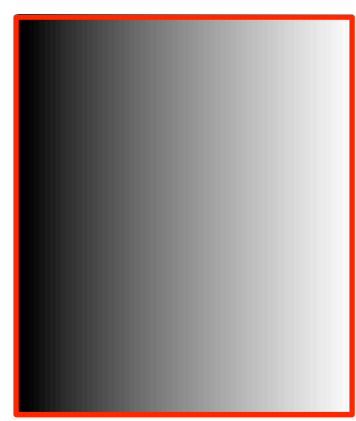


How eddy works: Estimation step

Draw a prediction
for first dwi



Use current estimates of
SusC EC MP

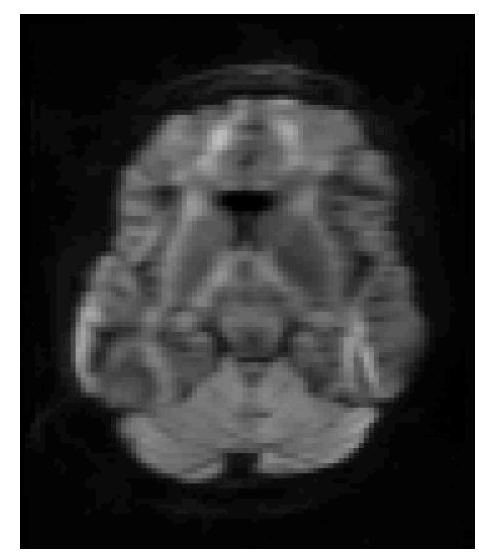


$$\begin{bmatrix} 0 \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$

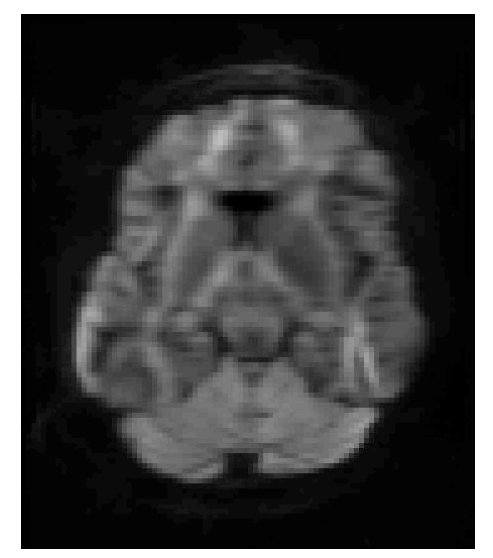
Invert



(linear x-gradient)



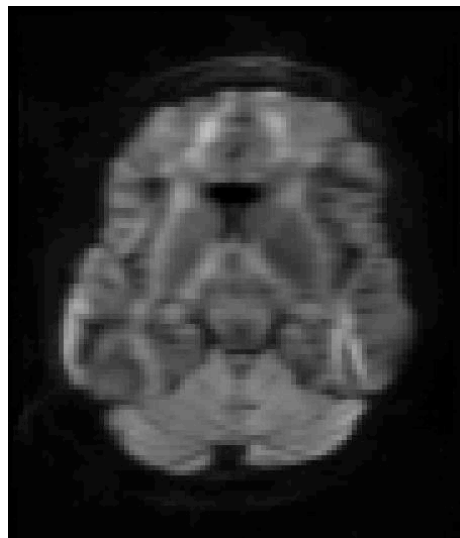
Prediction with
“different”
estimates.



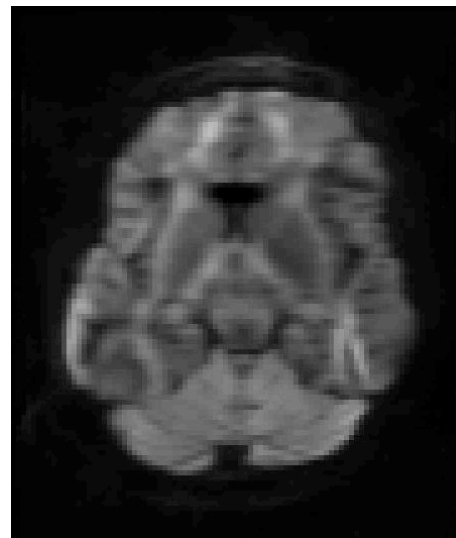
Prediction with
current
estimates.



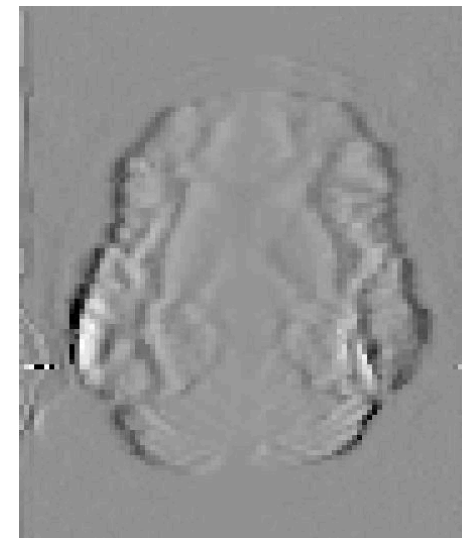
How eddy works: Estimation step



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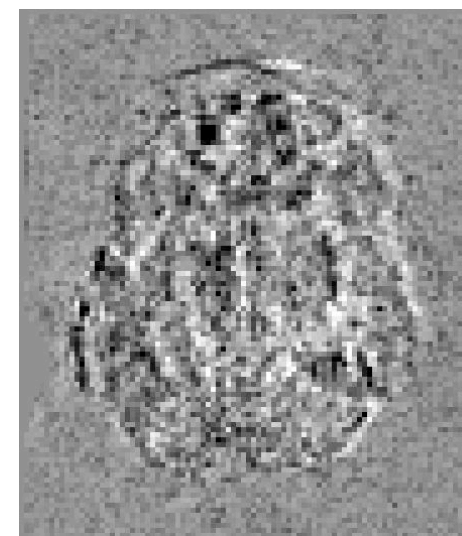


Prediction with
“different”
estimates.
(linear x-gradient)

Prediction with
current
estimates.

Derivative
w.r.t. linear
x-gradient

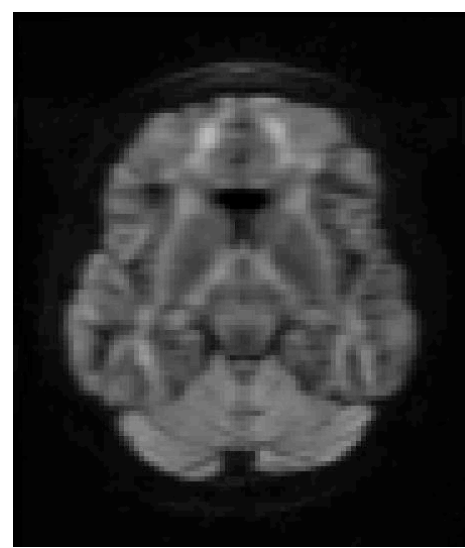
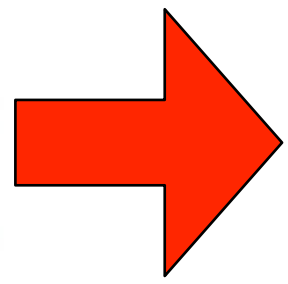
And then we
compare this to the
observed difference





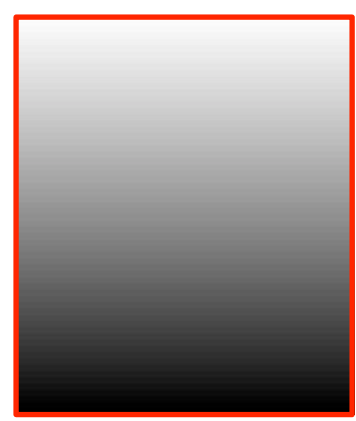
How eddy works: Estimation step

Draw a prediction
for first dwi

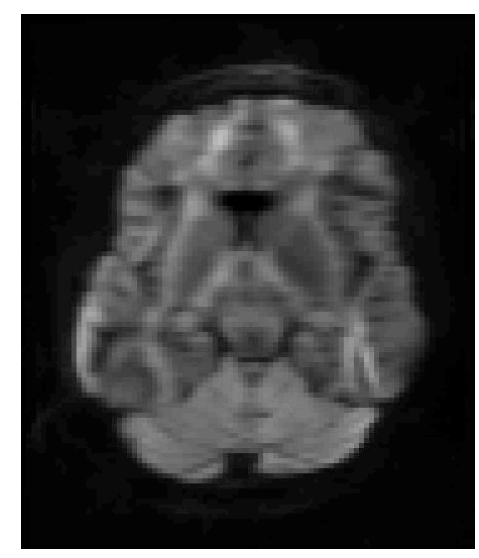
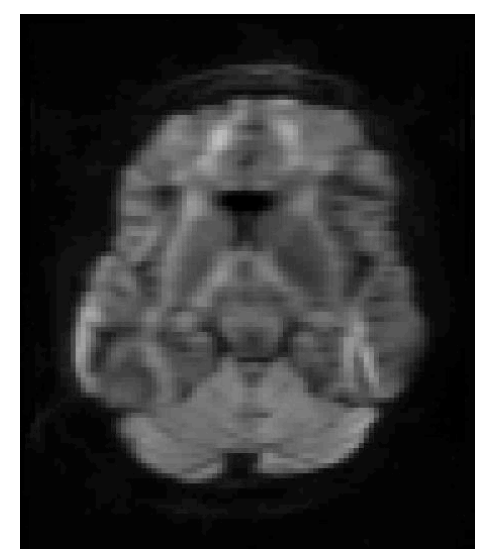


And we can repeat
this for all EC and
MP parameters

Use current estimates of
Susc EC MP



$$\begin{bmatrix} 0 \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$



Prediction with
“different”
estimates.

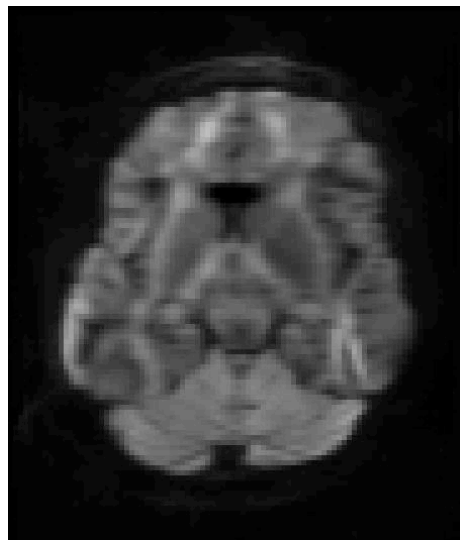
Prediction with
current
estimates.

Invert

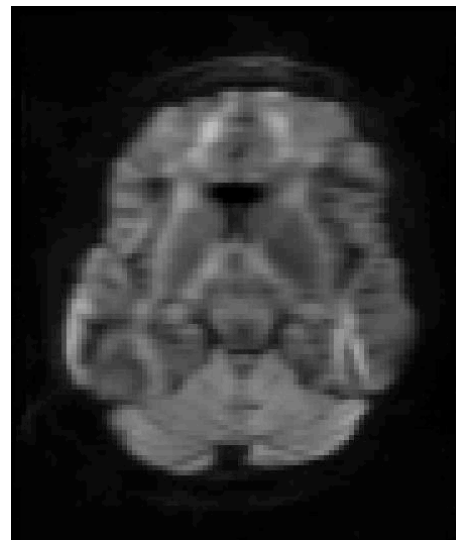
(linear y-gradient)



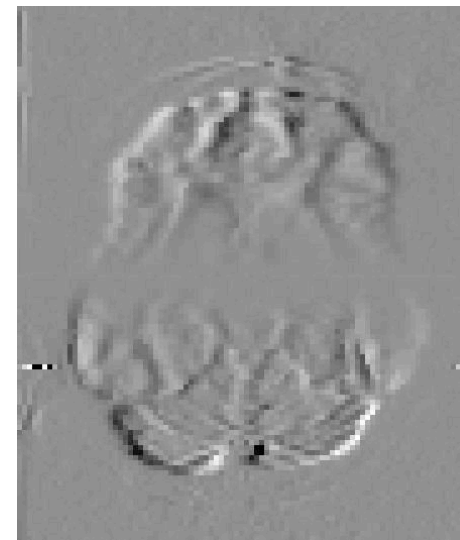
How eddy works: Estimation step



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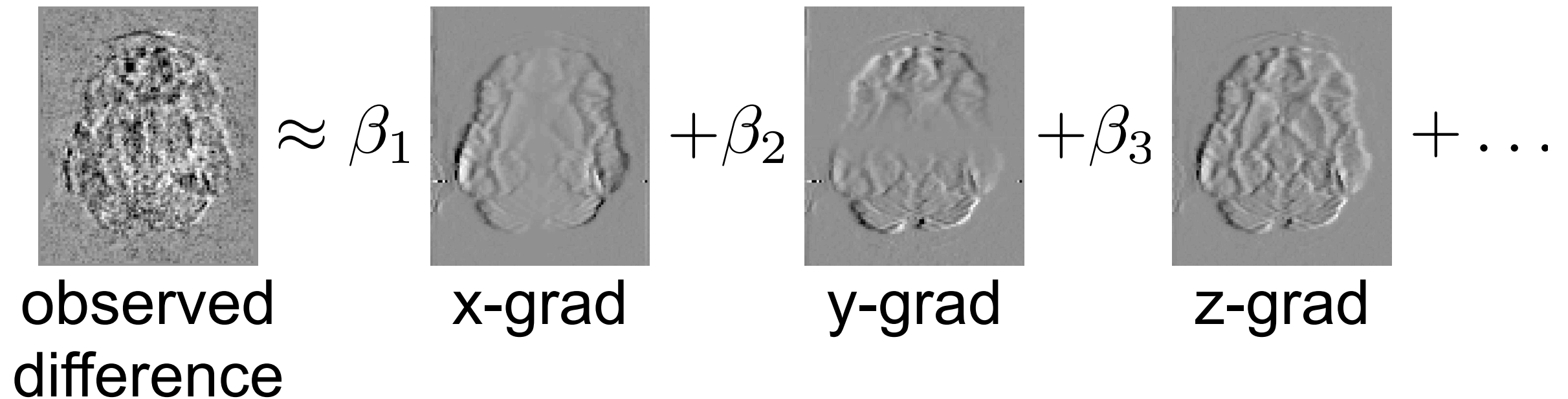
Prediction with
“different”
estimates.
(linear y-gradient)

Prediction with
current
estimates.

Derivative
w.r.t. linear
y-gradient



How eddy works: Estimation step



The diagram illustrates the estimation step of the eddy model. It shows a sequence of brain MRI slices. The first slice is labeled 'observed difference'. This is followed by an approximation symbol \approx , then a coefficient β_1 , then a slice labeled 'x-grad'. This is followed by a plus sign, a coefficient β_2 , then a slice labeled 'y-grad'. This is followed by a plus sign, a coefficient β_3 , then a slice labeled 'z-grad'. Finally, there is a plus sign and an ellipsis \dots .

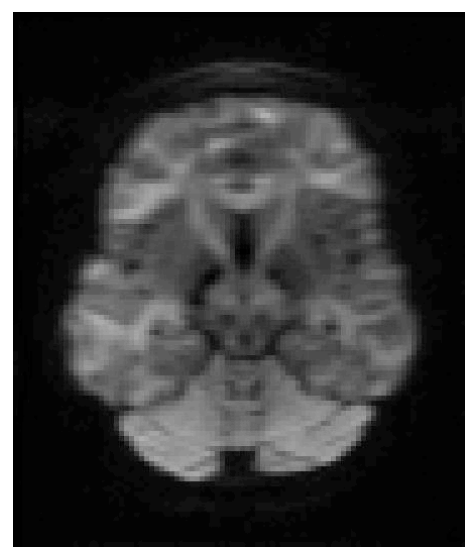
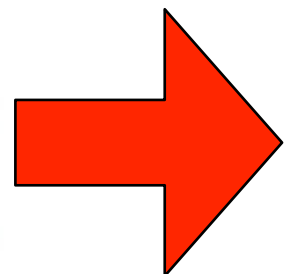
$$\text{observed difference} \approx \beta_1 \text{ x-grad} + \beta_2 \text{ y-grad} + \beta_3 \text{ z-grad} + \dots$$

We model the observed difference as a linear combination of the “tentative” causes. It is trivial to solve for β and get a first estimate of these parameters.

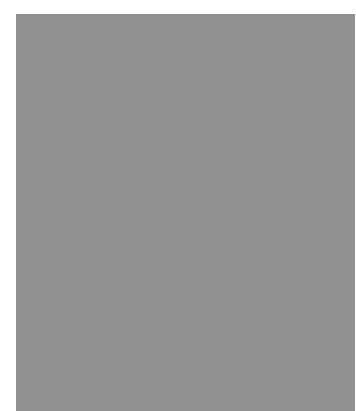
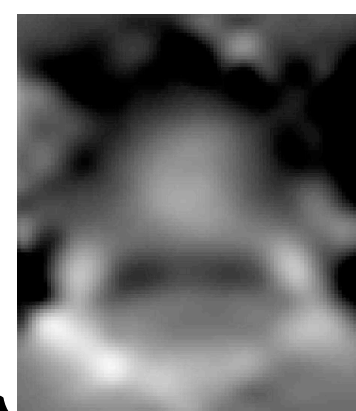


How eddy works: Estimation step

Draw a prediction
for 2nd dwi

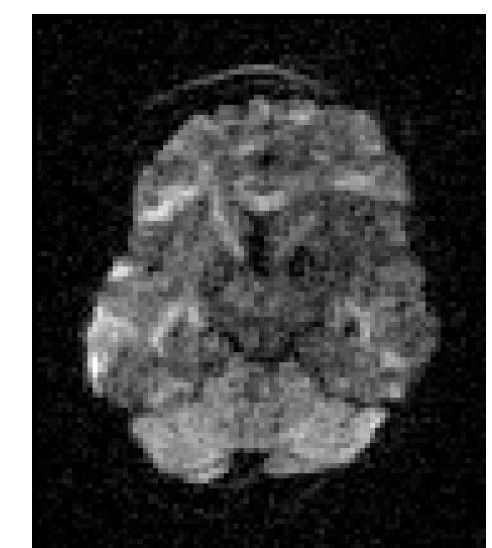
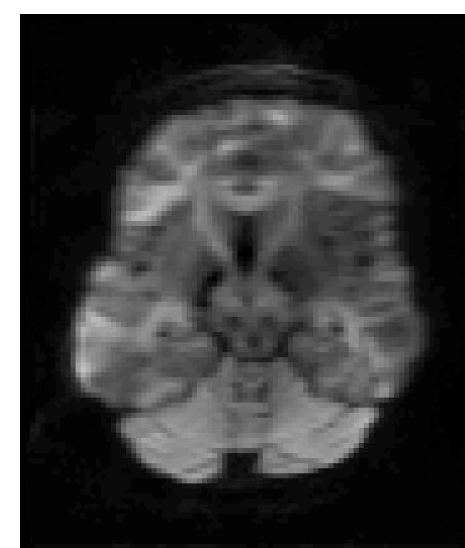


Use current estimates of
Susc EC MP



$$\begin{bmatrix} 0 \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$

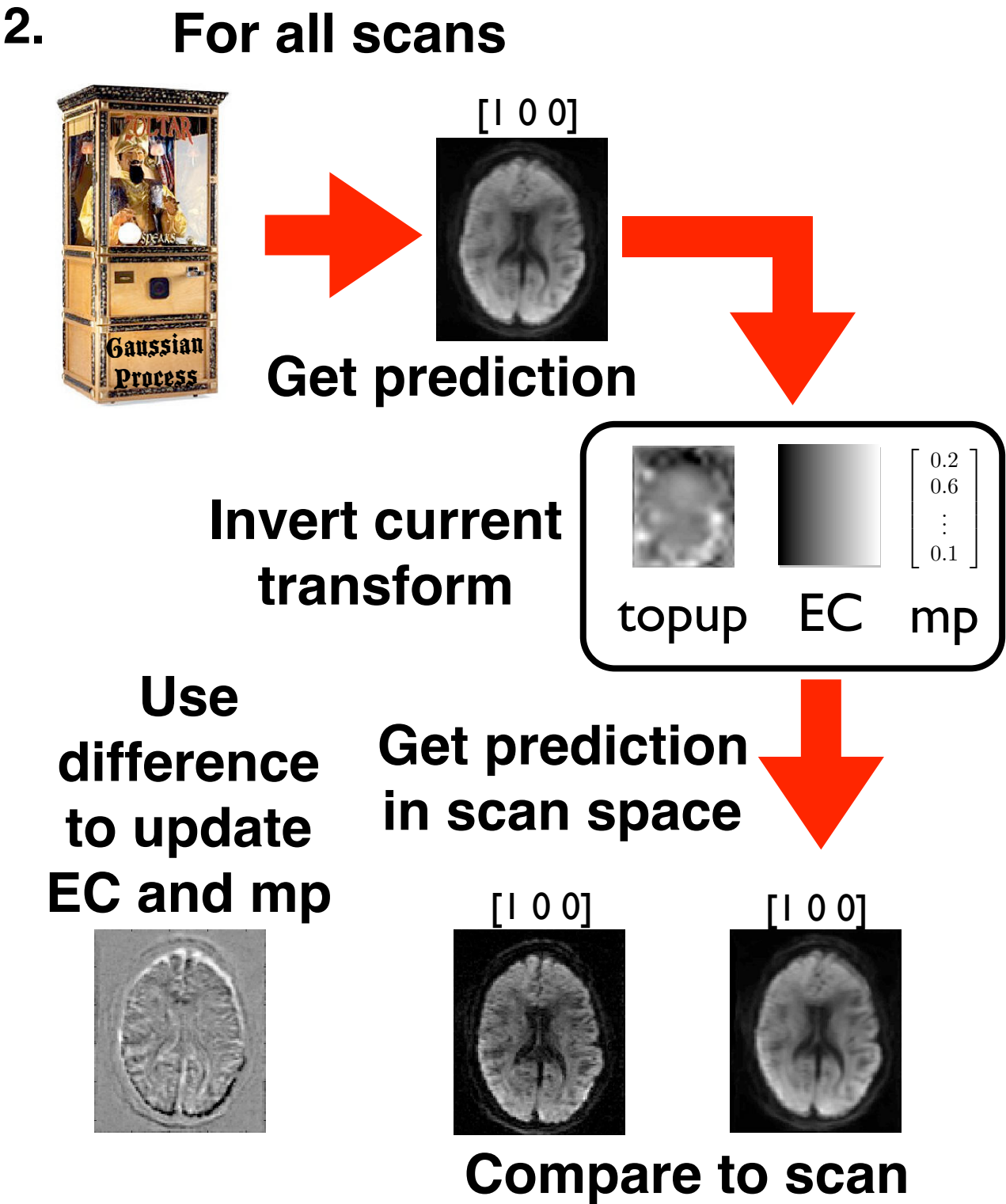
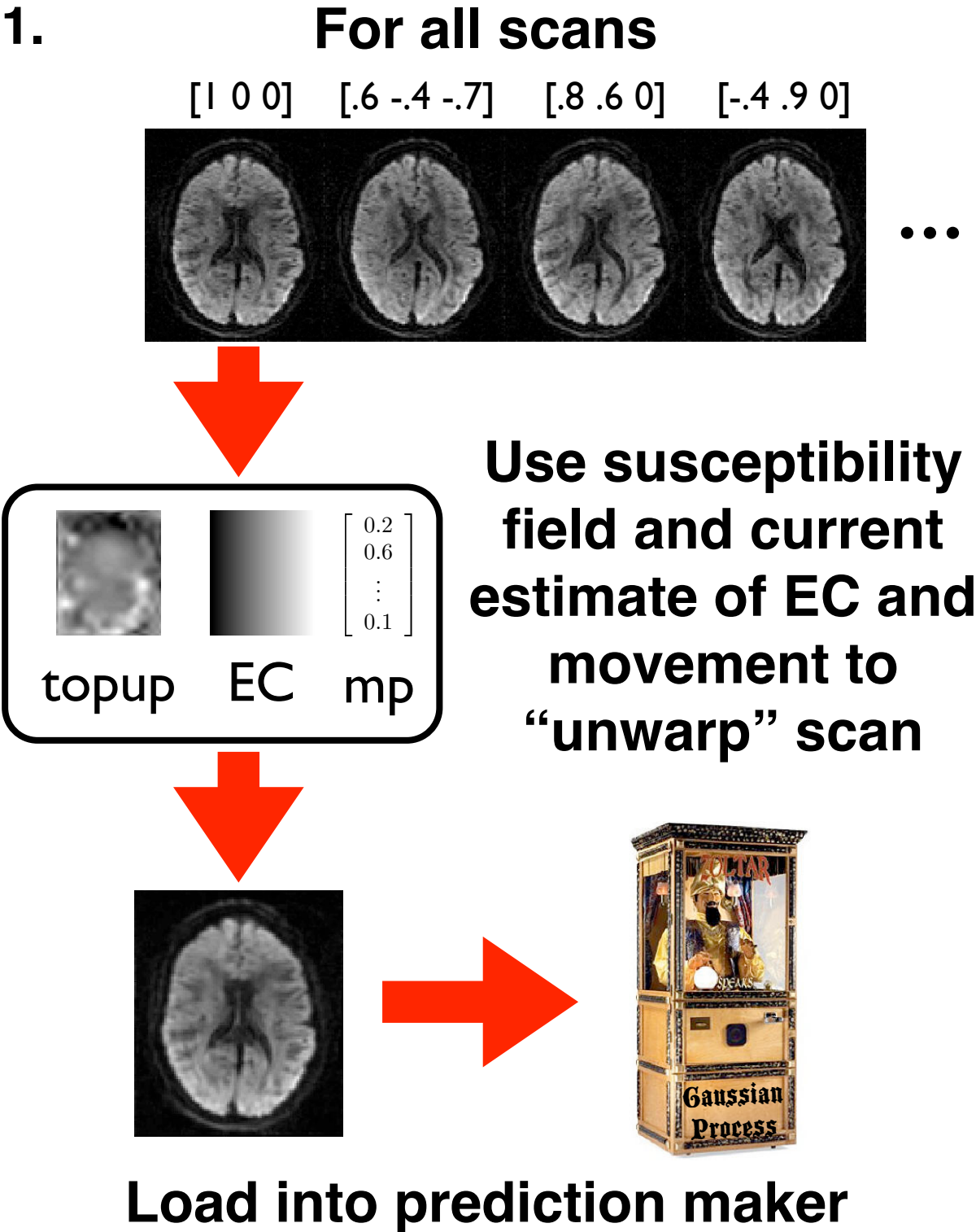
Invert



And then we repeat
the procedure for the
next dwi ...



How eddy works





Outline of the talk

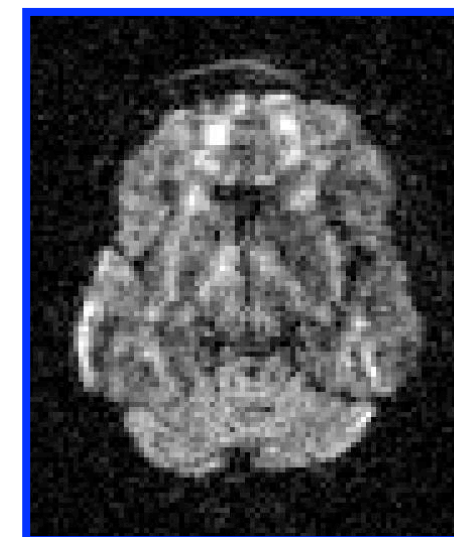
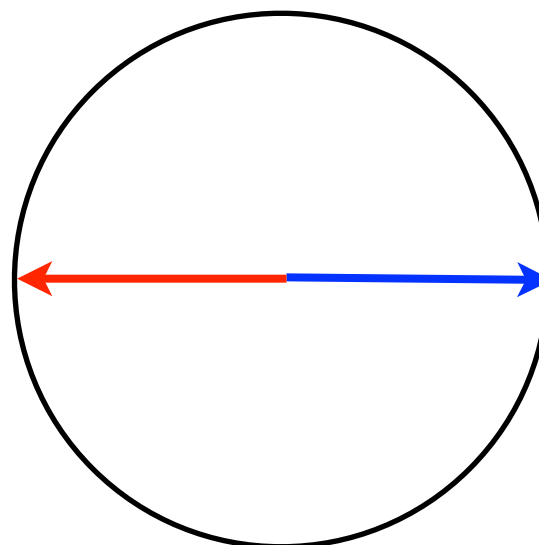
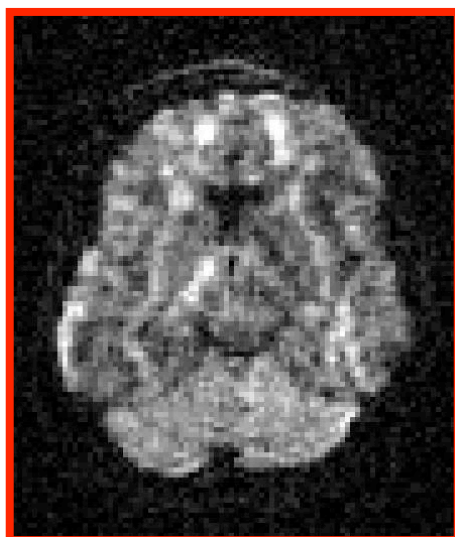
- What is the problem with diffusion data?
- Off-resonance field \Rightarrow Distortions
- How to fix, and mess up, data
- Where does the off-resonance field come from?
- Worlds shortest course on image registration
- How topup works
- Zoltar -- The prediction maker
- How eddy works
- Under the hood of Zoltar
- Outlier detection
- Some results



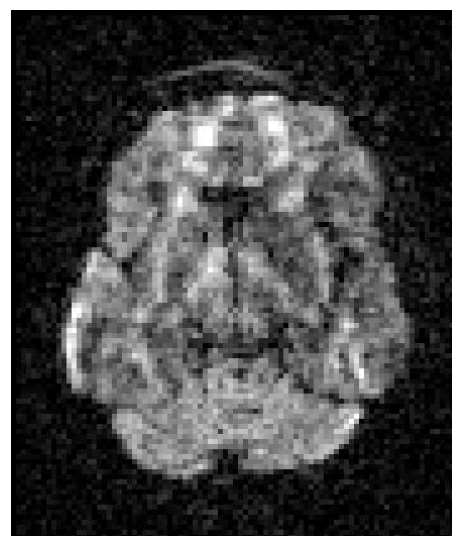
Under the hood of Zoltar

Let us first look at what we
could have done ... but didn't

Diffusion gradient



We could have used
the average of dwis
with opposing gradients
as our prediction



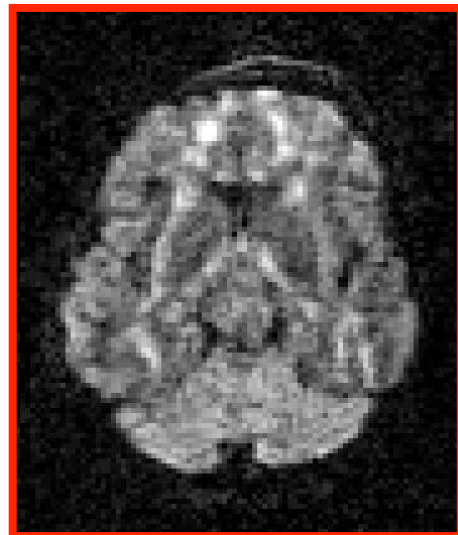
but didn't ...



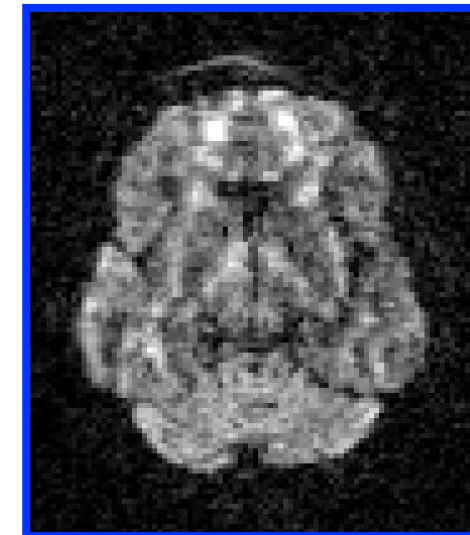
Under the hood of Zoltar

Let us first look at what we
could have done ... but didn't

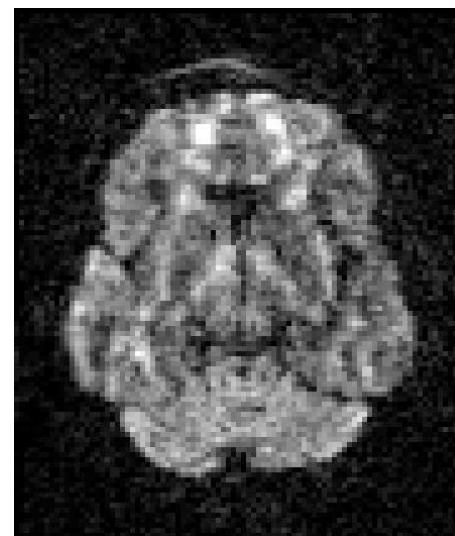
phase-encode



phase-encode



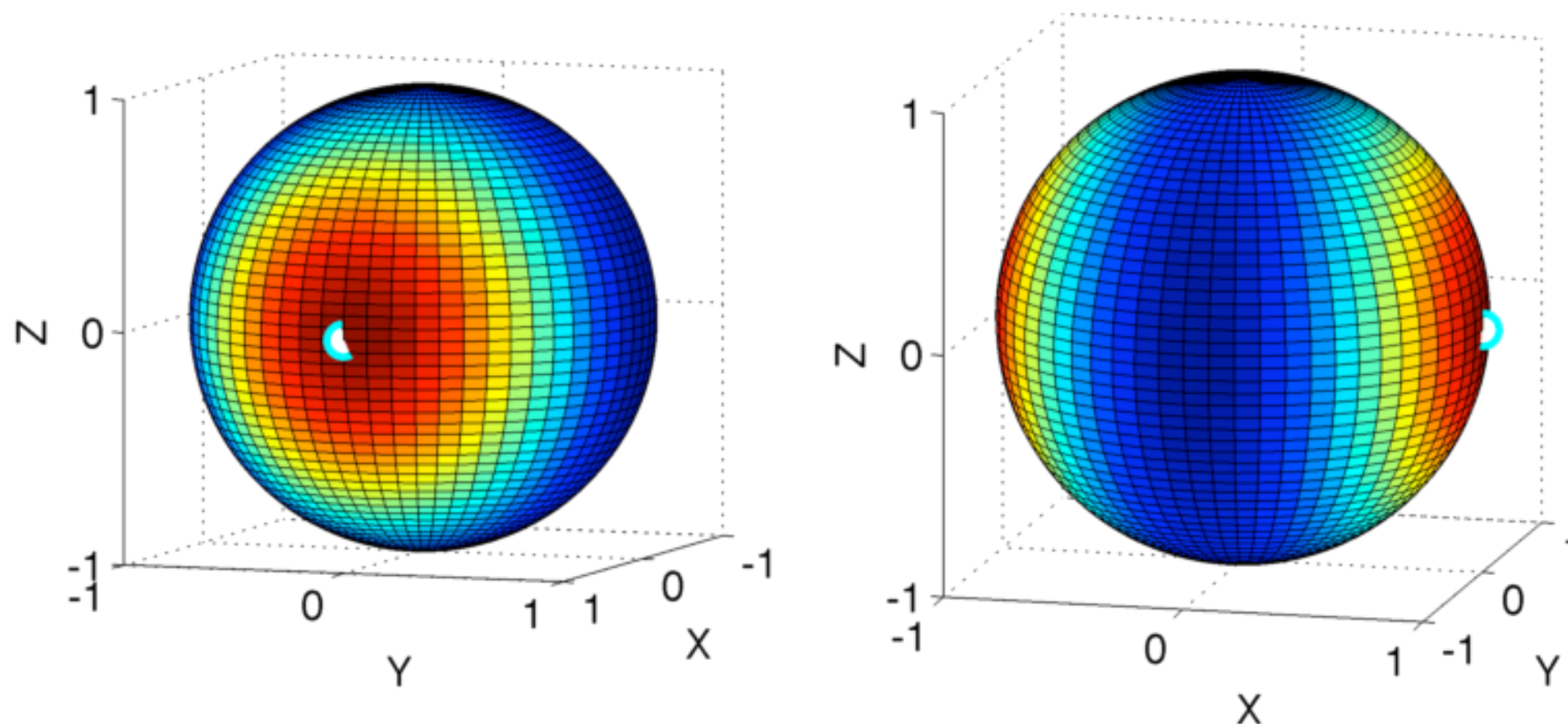
We could have used
the average of dwis
with opposing PE-blips
as our prediction



but didn't ...



Under the hood of Zoltar

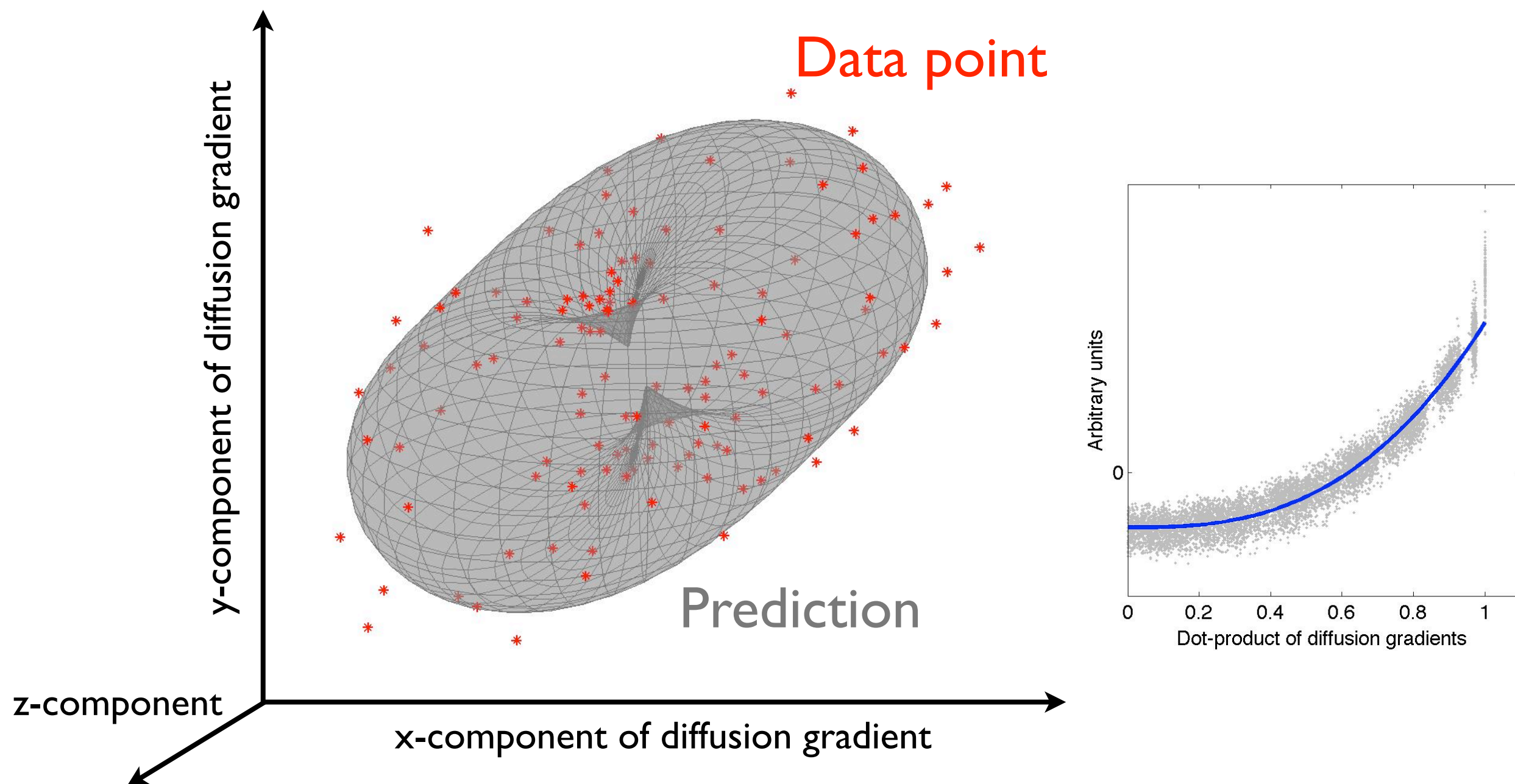


We used a weighted average of all dwis.

The weights were calculated using a
Gaussian Process



Under the hood of Zoltar

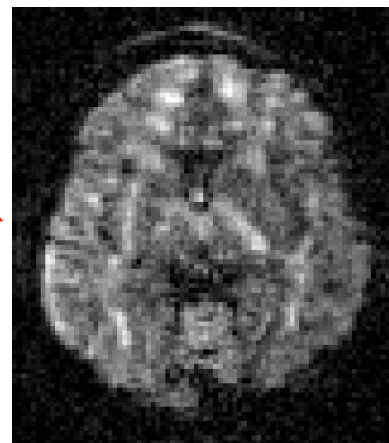
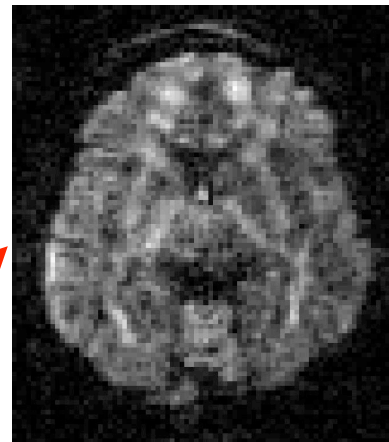
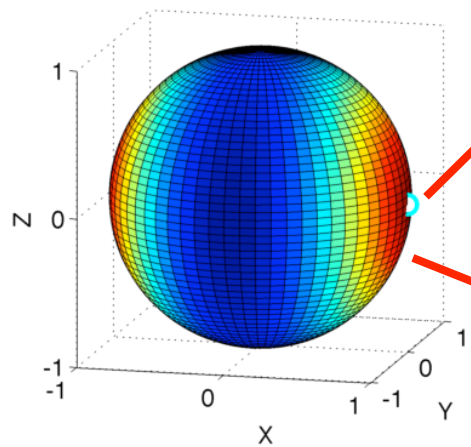


$$\hat{y}_{\mathbf{g}} = K(\mathbf{g}, \mathbf{G}) [K(\mathbf{G}, \mathbf{G}) + \sigma^2 \mathbf{I}]^{-1} \mathbf{y}$$



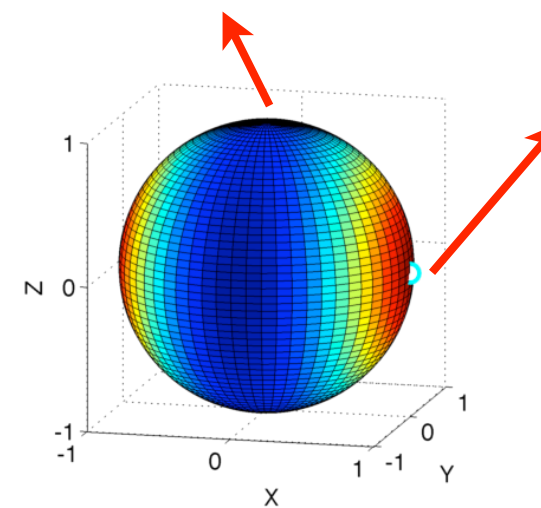
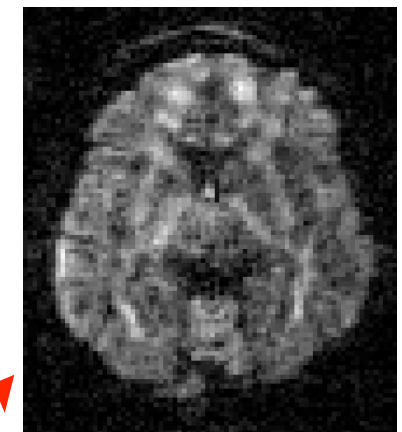
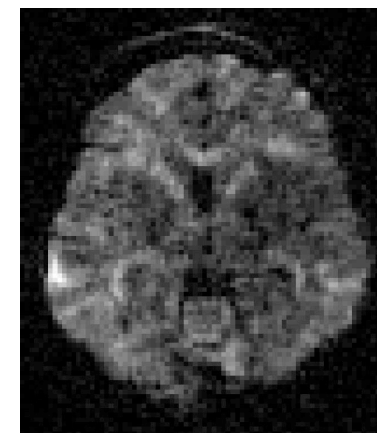
Where is the “good” information?

Not great



Contrast similar, but so are distortions

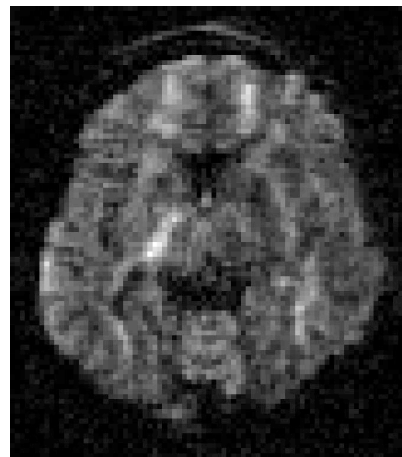
Not great



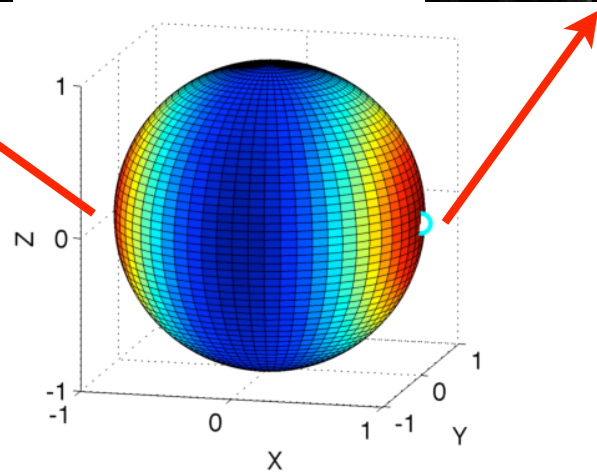
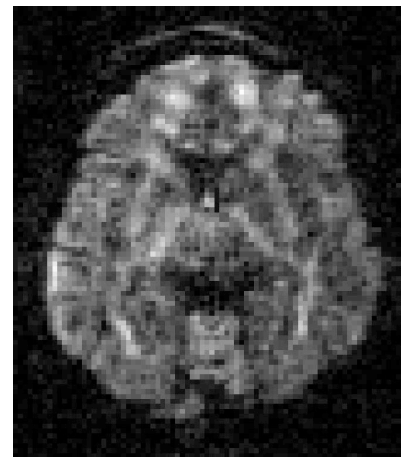
Distortions different, but so is contrast



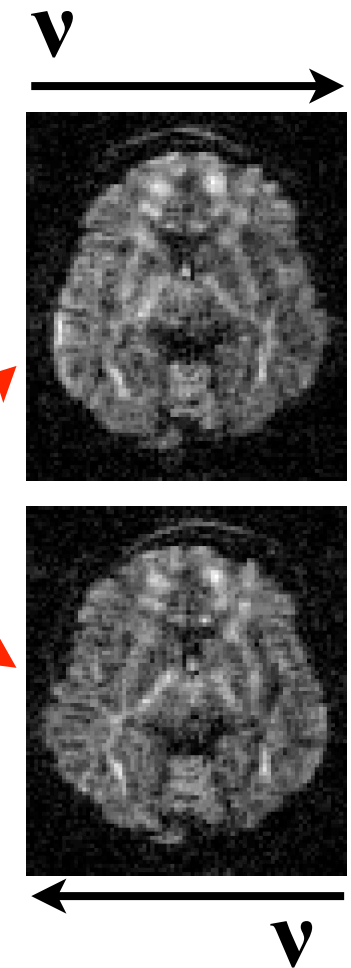
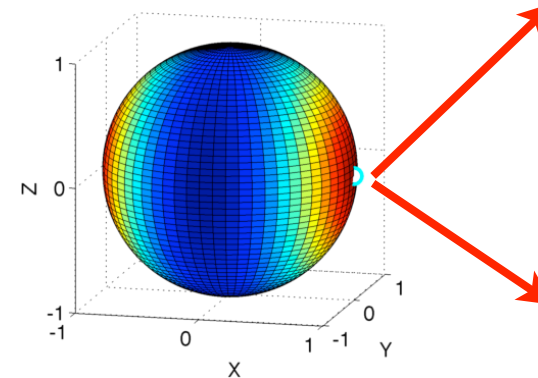
Where is the “good” information?



Great!



Distortions different, similar contrast



Great!

**Distortions opposed, identical contrast.
N.B. needs topup field**

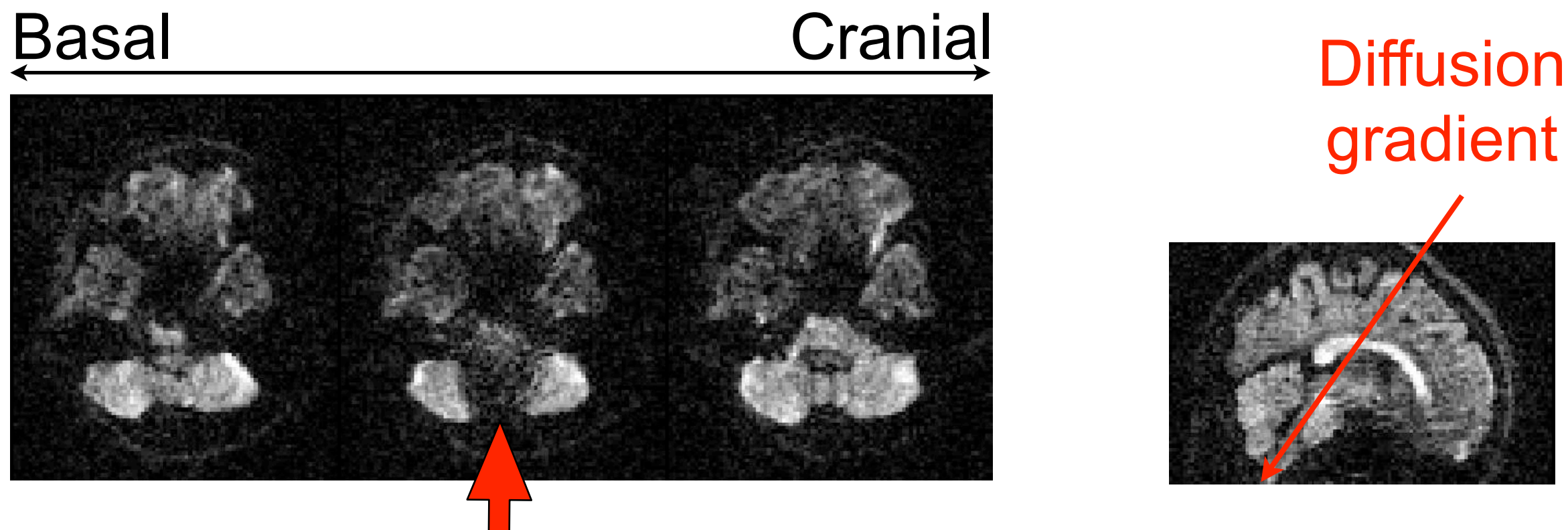


Outline of the talk

- What is the problem with diffusion data?
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Outlier detection



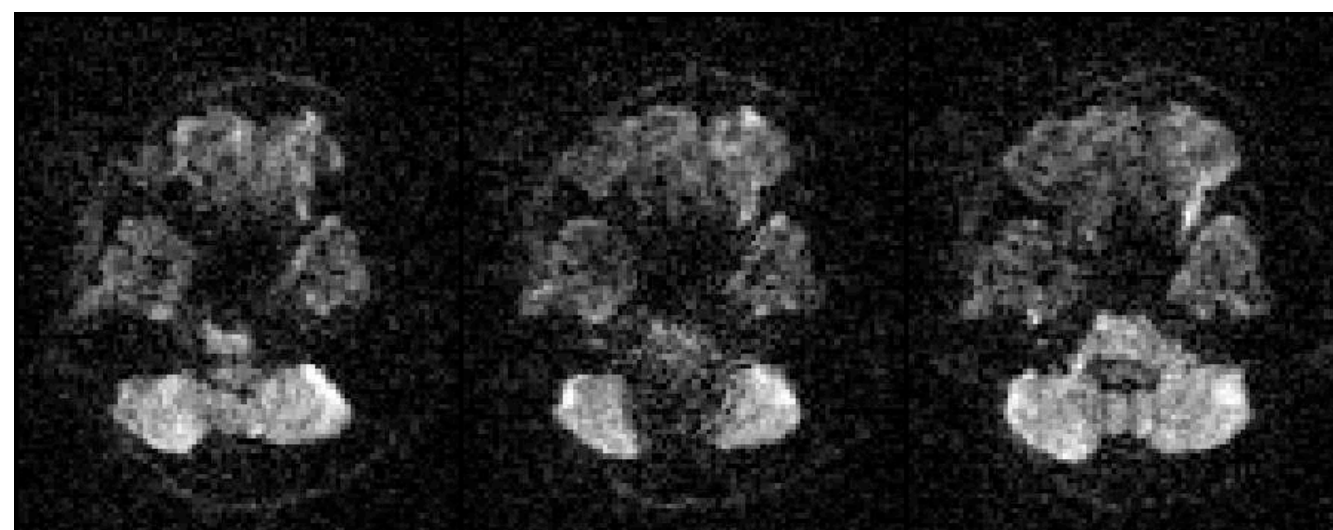
Sometimes things don't go as we would like them to.

These drop-outs are related to coherent movement coinciding with the diffusion encoding which causes the signal to be translated outside the acquisition window in k -space.

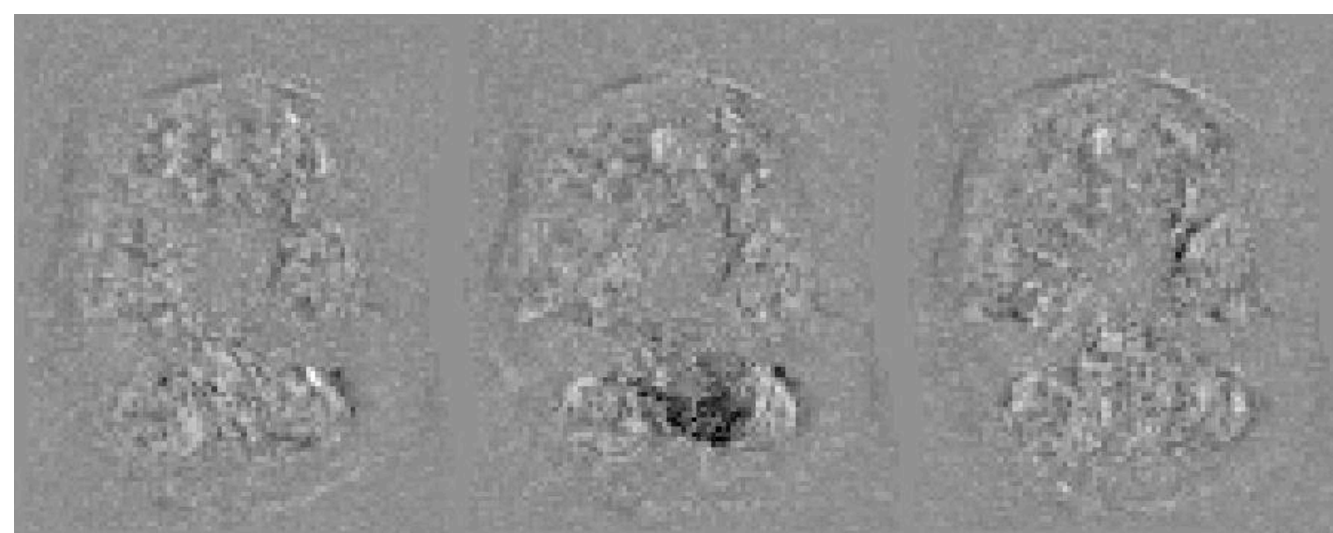


Outlier detection

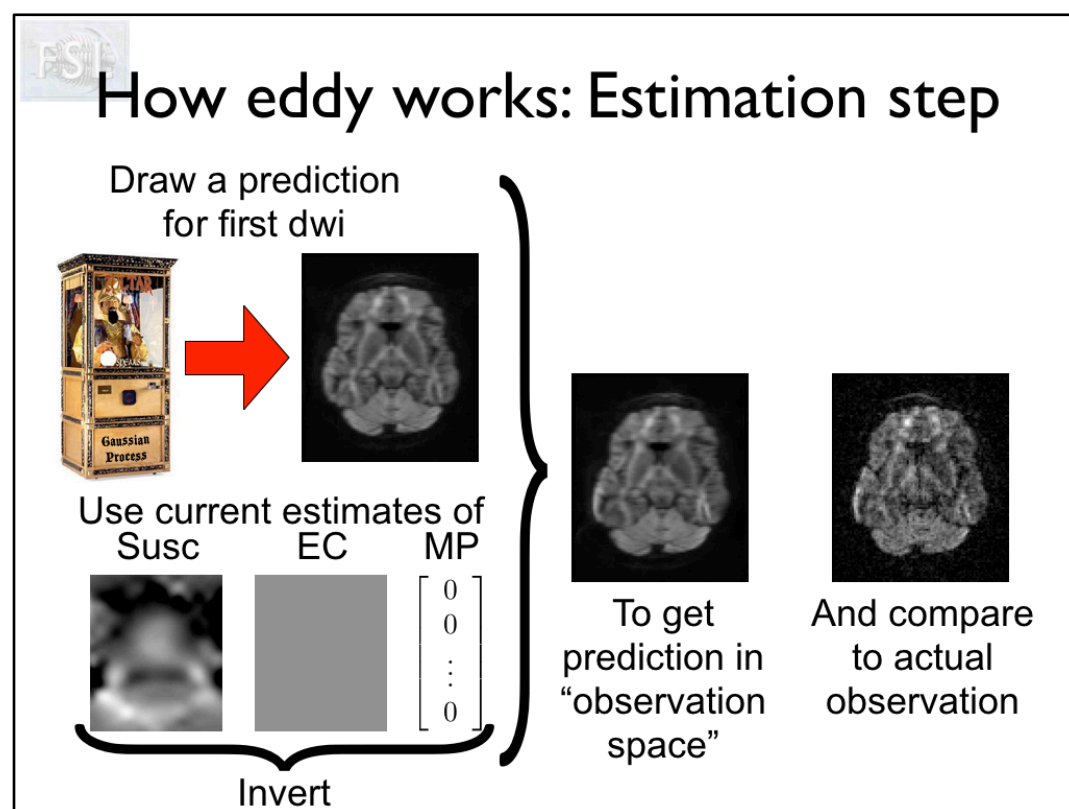
Observed data



Observed - predicted



$$\bar{x} = 0.084 \quad \bar{x} = -0.791 \quad \bar{x} = -0.125$$

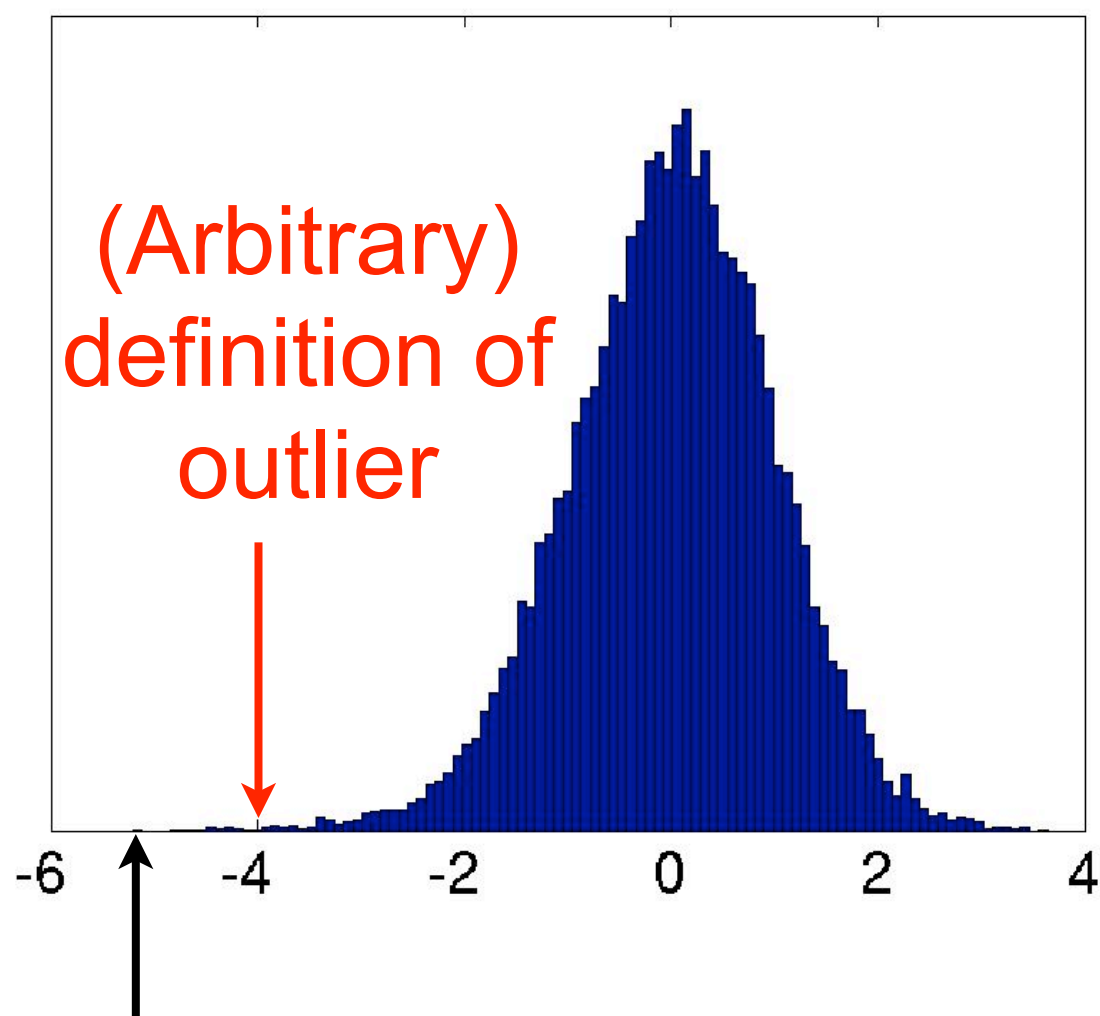


Remember that we do all comparisons in observation space.

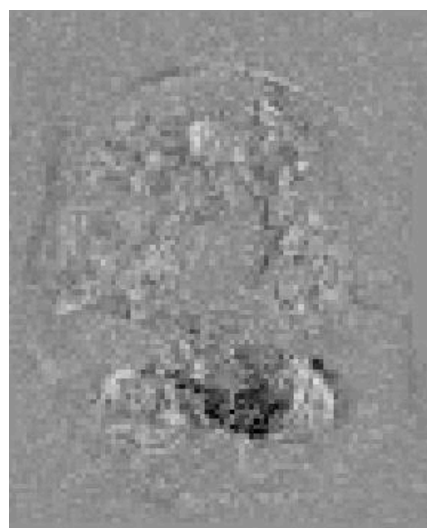
This allows us to calculate the a per-slice mean difference between observation and prediction



Outlier detection



We can calculate the mean difference for every slice in every volume and get an empirical distribution that we can convert to z-scores



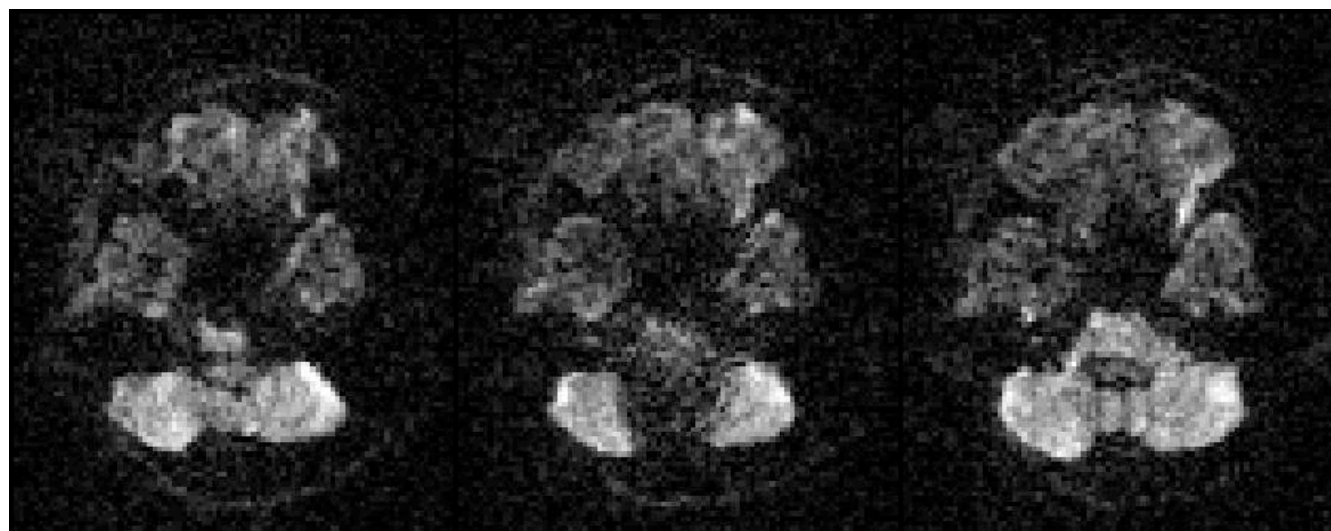
We can define an outlier slice as one with a z-score above an (arbitrary) threshold. We then have a choice of reporting outliers and/or replacing them with their predictions.

Worst slice

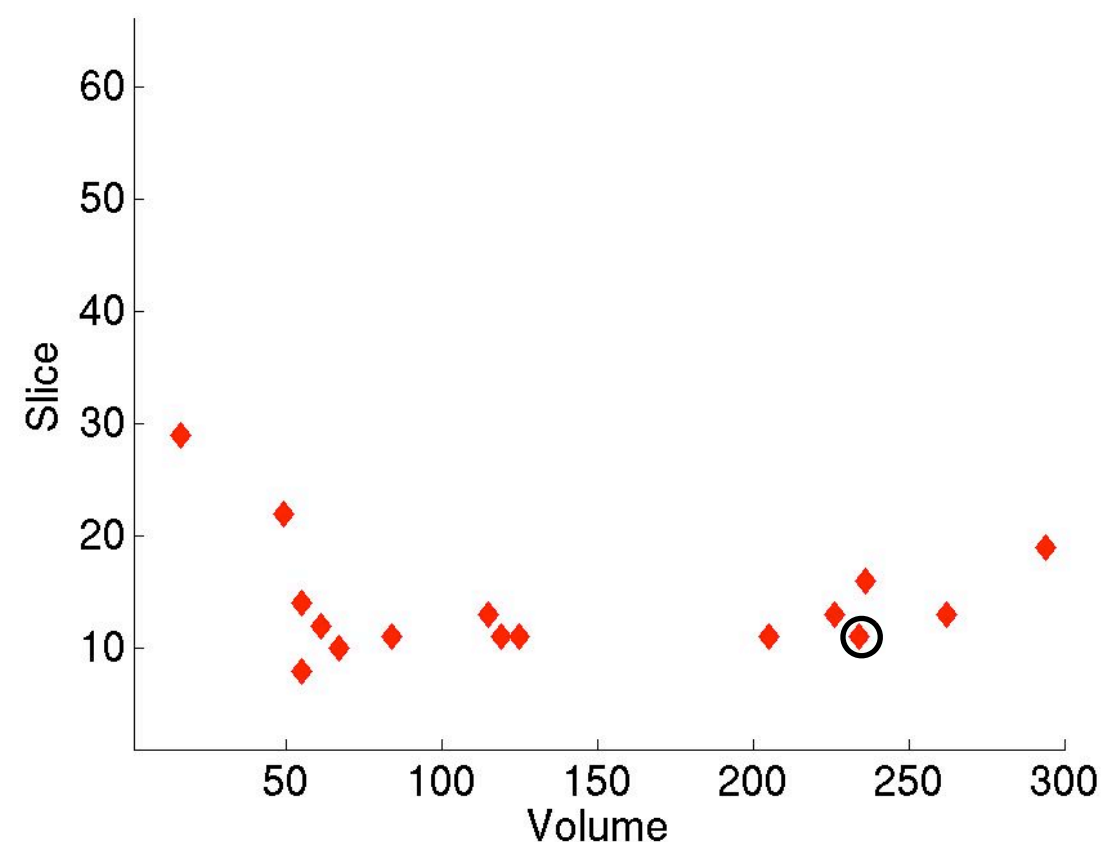
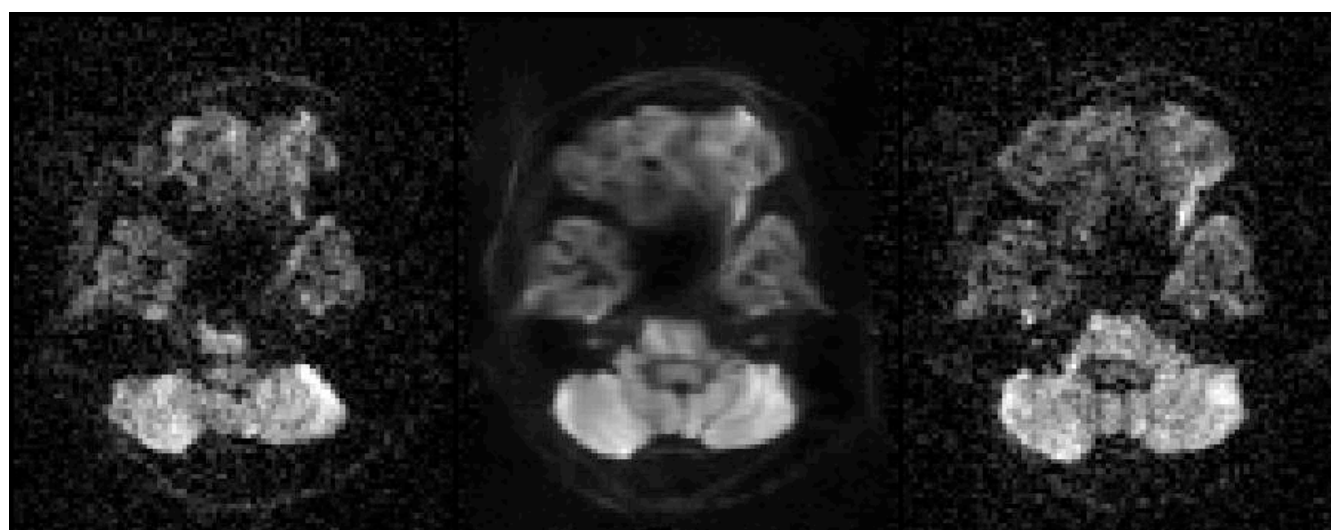


Outlier detection

Original data



Data after replacement

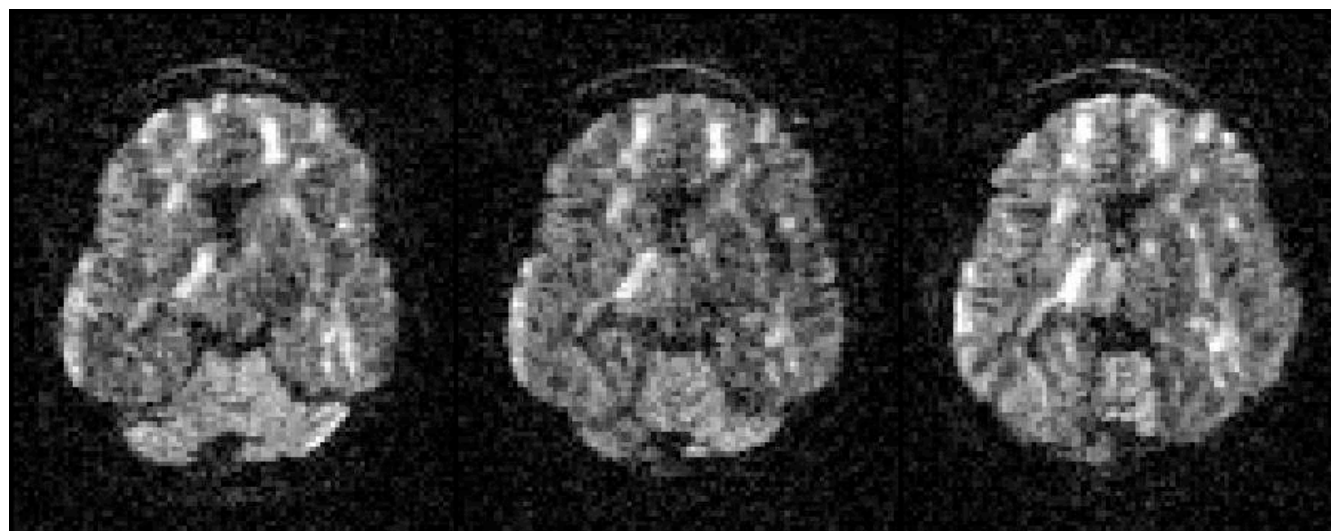


Outliers for a very still volunteer. Outliers mainly in basal slices.

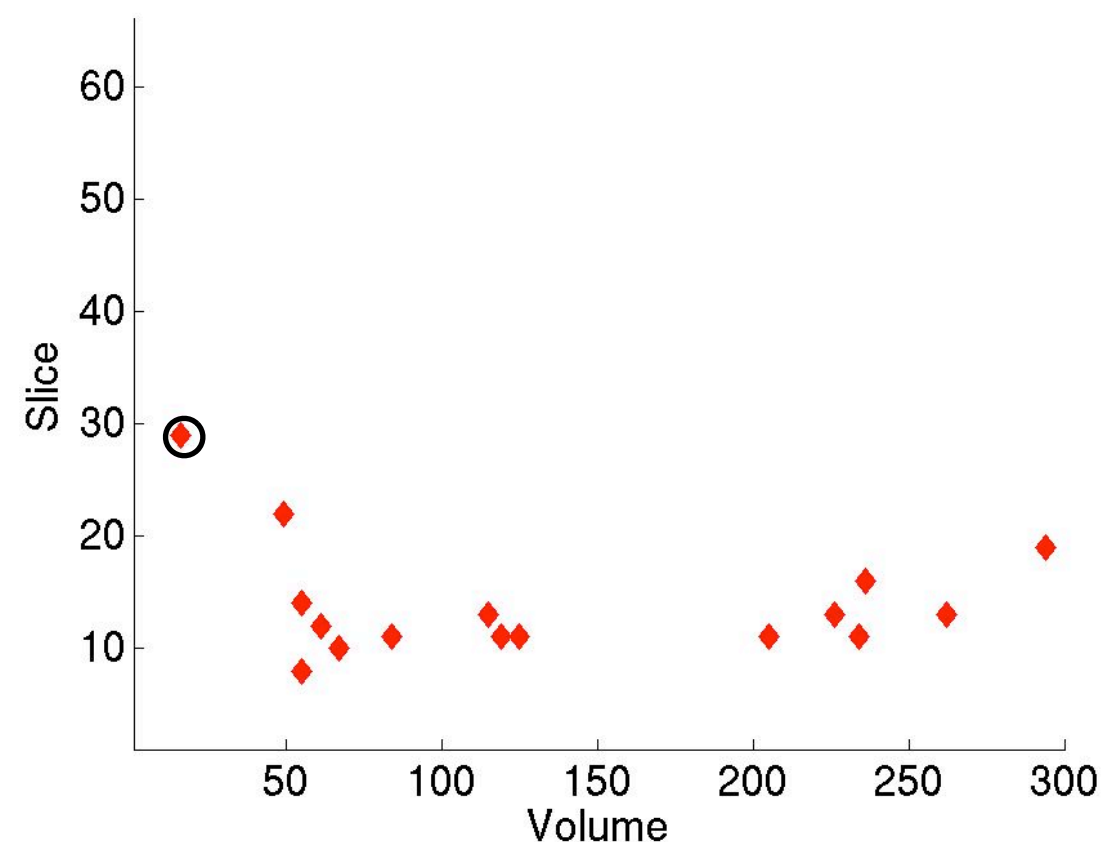
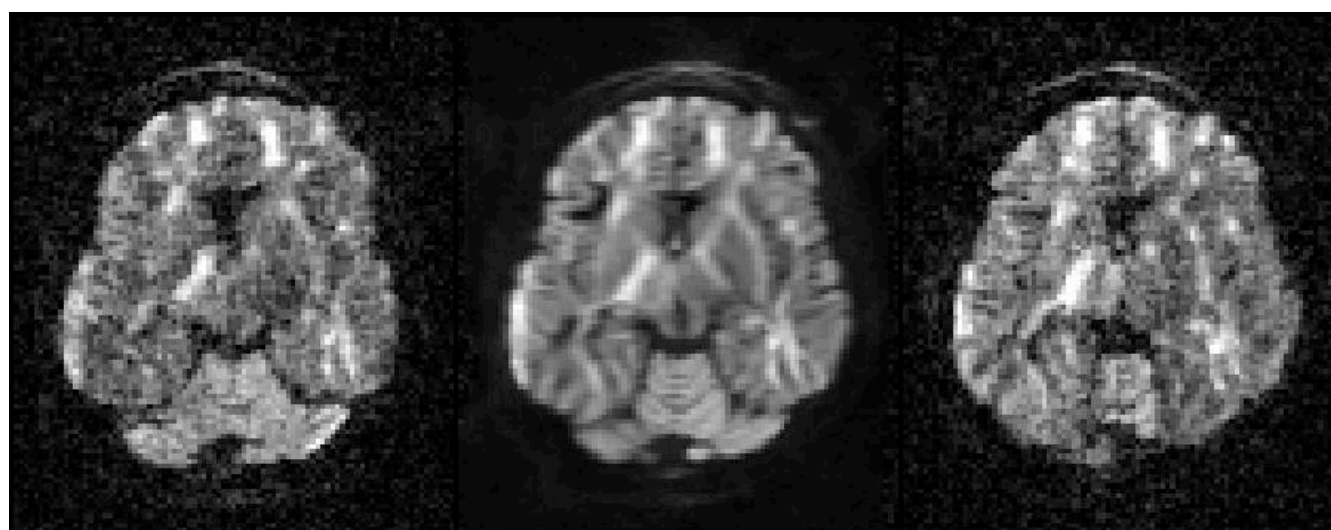


Outlier detection

Original data



Data after replacement



This outlier probably
due to subject
movement.

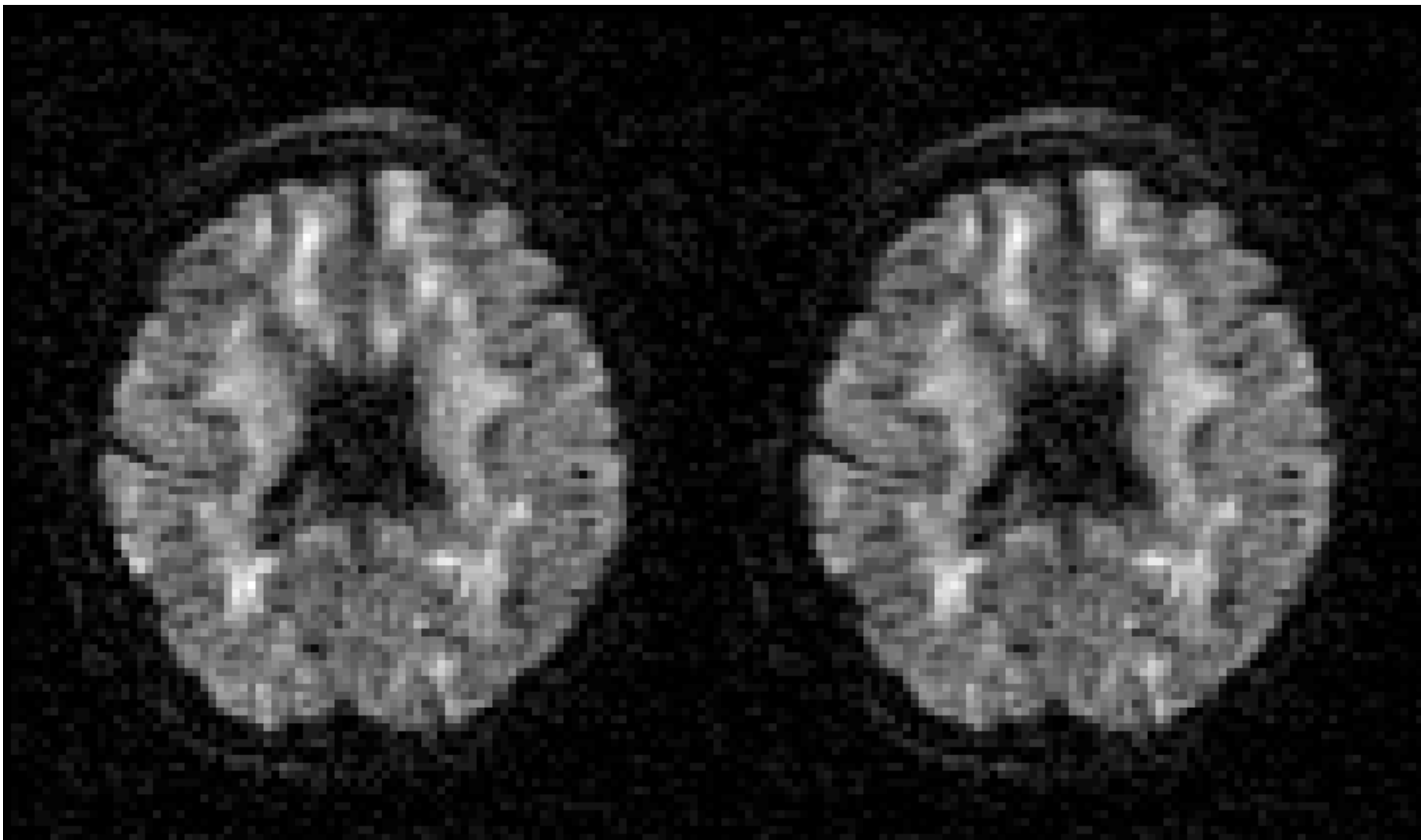


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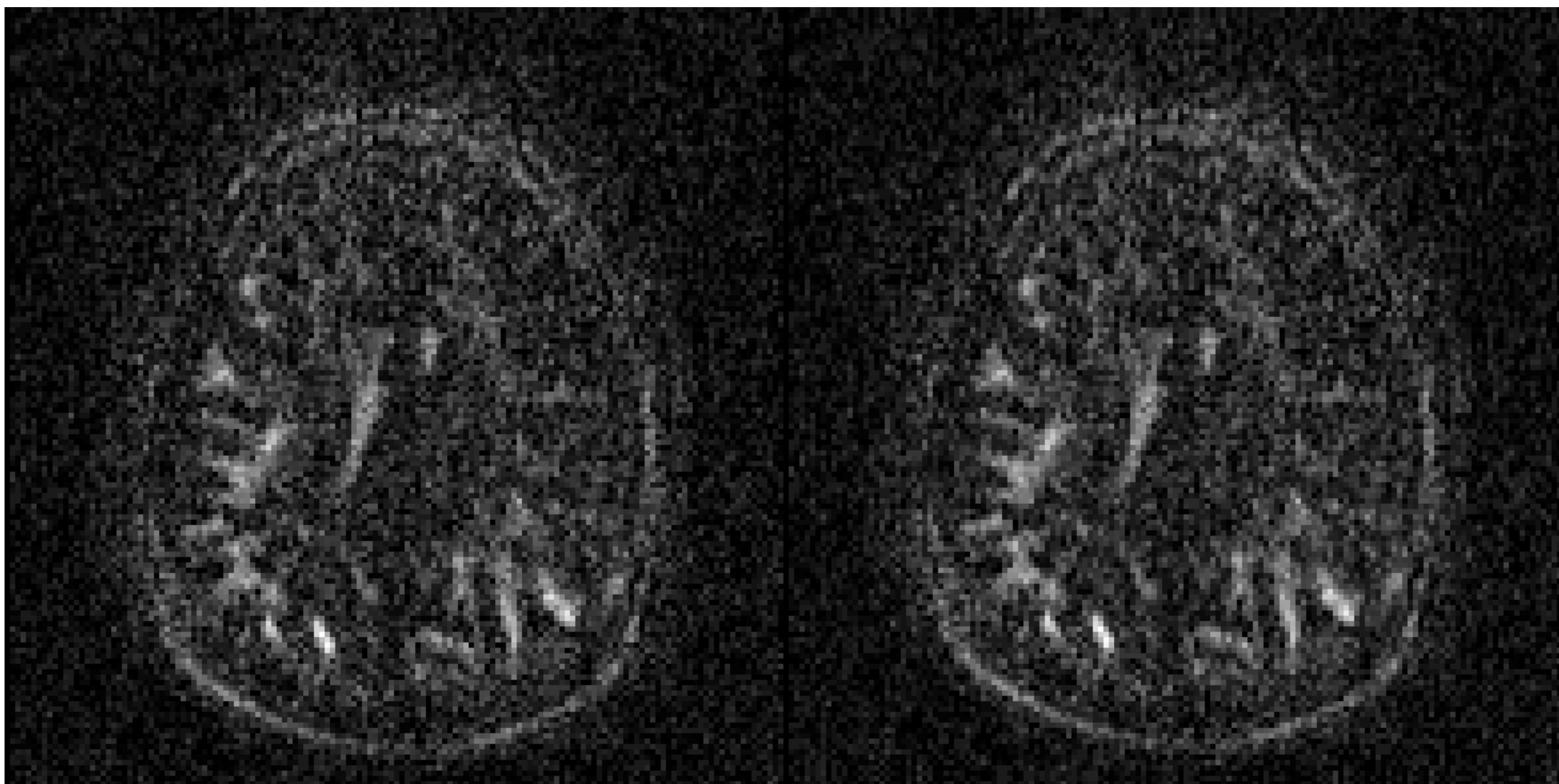


HCP-data, 150 directions, $b=3000$, blip-up-blip-down



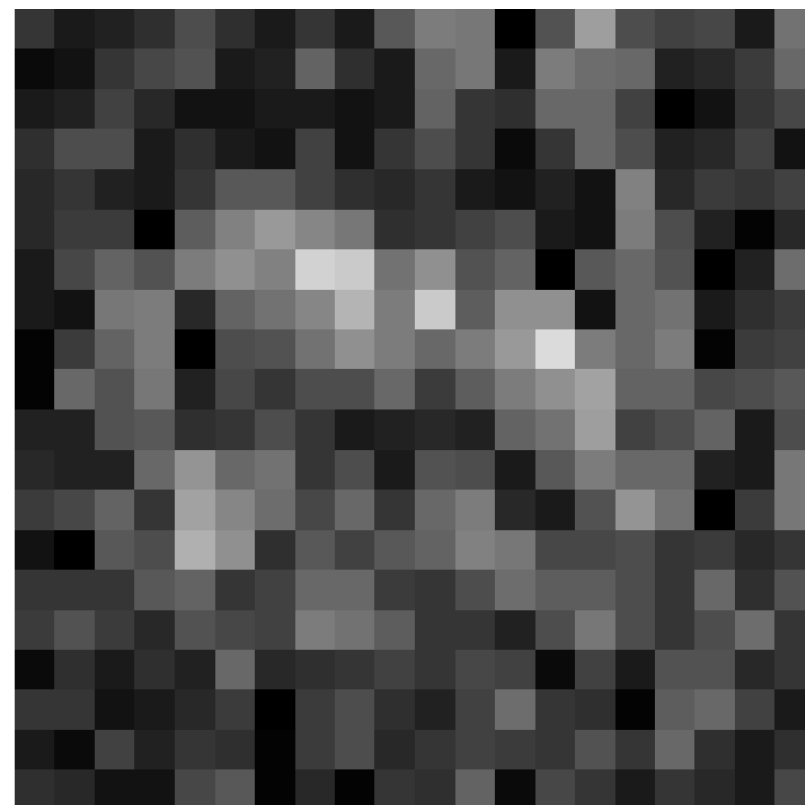
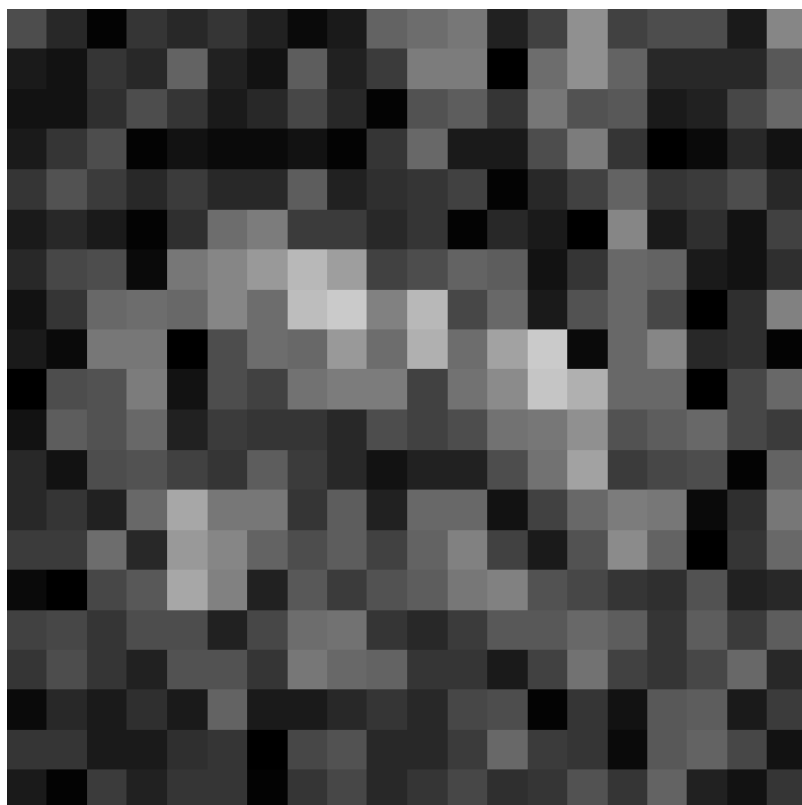
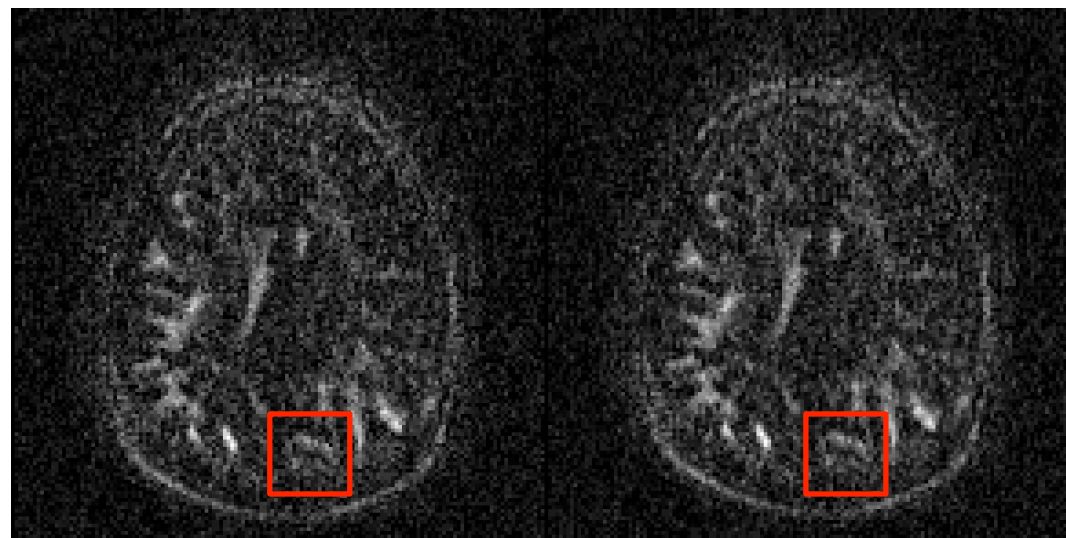


MGH-data, 198 directions, $b=10000!$





MGH-data, 198 directions, $b=10000!$



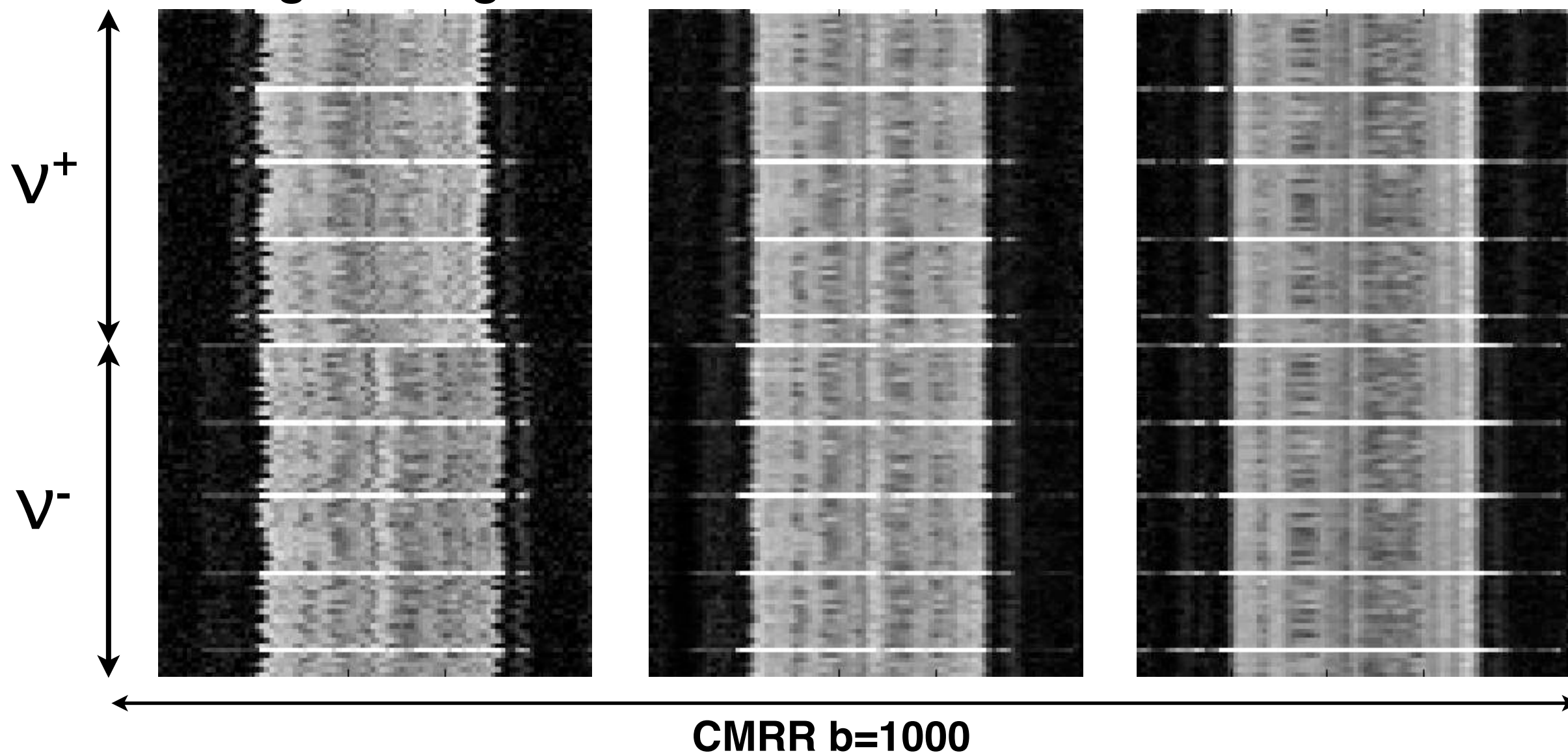


Some result in case the movies don't work

Original images

Linear EC model

Quad EC model





Some result in case the movies don't work

